# **ENERGY**

### **ENERGY CALCULATIONS**

HOW MUCH ENERGY DOES IT TAKE TO WALK UP THE STEPS FROM COLLEGE WALK TO LOW LIBRARY ASSUMING THE ONLY ENERGY NEEDED IS THAT TO INCREASE THE GRAVITATIONAL POTENTIAL ENERGY OF YOUR BODY,  $\Delta V = m \times g \times \Delta h$ ? NOTE: g = 9.8 m s<sup>-2</sup>.

HOW MANY TIMES DO YOU HAVE TO MAKE THIS CLIMB TO "WORK OFF" ONE SNICKERS BAR?

ANSWERS TOMORROW.



# ENERGY



ONE SNICKERS BAR SUPPLIES 280 CALORIES, SO IT TAKES ABOUT 250 SUCH CLIMBS TO EXPEND THE ENERGY EQUAL TO THAT IN ONE SNICKERS BAR.



# **HEAT CAPACITY CALCULATIONS**

HOW MANY SNICKERS BARS PROVIDE ENOUGH ENERGY TO HEAT THE WATER IN A COMMON HOUSEHOLD WATER HEATER (40 GALLONS) FROM 55 FAHRENHEIT TO 130 FAHRENHEIT?

TAKE A GUESS AS TO HOW MANY CUBIC FEET (AT STP) OF NATURAL GAS (MOSTLY METHANE) WOULD HAVE TO BE BURNED TO DO THE SAME THING?

ANSWERS TOMORROW.



# **HEAT CAPACITY CALCULATIONS**

### THE ANSWER

 $\begin{array}{l} q = m \ x \ c_s \ x \ \Delta T \\ m = 40 \ gal \ x \ 3.785 \ L \ gal^{-1} \ x \ (1.0 \ x \ 10^3 \ g \ L^{-1}) \\ \Delta T = 75F = 42K \\ q = (1.5 \ x \ 10^5 \ g) \ x \ (1 \ cal \ g^{-1} \ K^{-1}) \ x \ (42 \ K) \\ q = 6.3 \ x \ 10^6 \ cal = 6.3 \ x \ 10^3 \ Calories = 23 \ SNICKERS \\ \end{array}$ 

ONE CUBIC FOOT OF METHANE AT STP HAS AN ENERGY CONTENT OF ABOUT 4.5 x 10<sup>3</sup> kcal, SO WE NEED ABOUT 1.4 CUBIC FEET.



# **HEAT CAPACITY CALCULATIONS**

THERE ARE ABOUT 100 MILLION SUCH WATER HEATERS IN THE US. IF ALL THE ENERGY IN ALL THOSE WATER HEATERS WERE TRANSFERRED AS HEAT TO THE EARTH ESTIMATE HOW MUCH THE TEMPERATURE RISE OF THE EARTH WOULD BE. NOTE: TABLE 10-1 PROVIDES ALL THE INFORMA-TION YOU NEED EXCEPT FOR THE MASS OF THE EARTH, WHICH IS 6 X 10<sup>24</sup> kg.

ANSWER TOMORROW.



# THE RELATION OF HEAT TO WORK

THE MECHANICAL EQUIVALENT OF HEAT IS ESTABLISHED BY MEASURING THE TEMPERATURE INCREASE IN AN OBJECT WHEN A PRECISE AMOUNT OF WORK IS DONE ON IT.





falling weights

turn shaft

# THE RELATION OF HEAT TO WORK

### JOULE'S EXPERIMENT ESTABLISHED THAT WORK CAN BE QUANTITATIVELY CONVERTED INTO HEAT

1. WORK DONE <u>BY</u> THE WEIGHTS <u>ON</u> THE WATER:

 $w_{water} = -m_{weight} \times g \times \Delta h.$ 

- 2. THE ONLY EFFECT OF THIS WORK WAS TO RAISE THE TEMPERATURE OF THE WATER.
- 3. SO, HEAT WAS ABSORBED BY THE WATER:

 $q = m_{water} \times c_{s,water} \times \Delta T.$ 

### CONCLUSION

-  $m_{weight} \times g \times \Delta h = m_{water} \times c_{s,water} \times \Delta T$ 

w = q



 THE FIRST LAW OF THERMODYNAMICS STATES THAT ENERGY IS CONSERVED IF YOU TAKE ACCOUNT OF BOTH HEAT AND WORK:



- NOTE HOWEVER THAT THIS DESCRIBES THE <u>CHANGE</u> IN ENERGY, NOT THE ENERGY ITSELF.
- WORK AND HEAT ARE <u>TRANSFERS</u> OF ENERGY FROM ONE BODY TO ANOTHER, SO <u>TWO</u> OBJECTS ARE INVOLVED.



### THE SIGN OF q

WE PREVIOUSLY DEFINED HEAT FROM AN EXPERIMENT INVOLVING THE TEMPERTURE CHANGE OF <u>TWO</u> BODIES IN CONTACT:

> q =  $m_1 \times c_{s,1} \times \Delta T_1$ and q =  $m_2 \times c_{s,2} \times \Delta T_2$

THESE TWO q DIFFER IN SIGN. WHICH ONE GOES INTO THE FIRST LAW EQUATION?

IT DEPENDS ON WHICH ONE YOU ARE INTERESTED IN.



### THE SYSTEM AND THE SURROUNDINGS

HEAT IS A <u>TRANSFER</u> OF ENERGY <u>FROM</u> ONE BODY <u>TO</u> ANOTHER. FOR ONE q IS POSTIVE, AND FOR THE OTHER q IS NEGATIVE. ONE BODY GAINS ENERGY (E INCREASES) WHILE THE OTHER LOSES ENERGY (E DECREASES).  $\Delta E_1 = -\Delta E_2$ .

WE CALL THE BODY WE ARE INTERESTED IN THE **SYSTEM** WE CALL THE OTHER BODY THE **SURROUNDINGS** 



# THE SYSTEM AND SURROUNDINGS

### THE SIGN CONVENTION ON q and w

- q IS <u>POSITIVE</u> IF HEAT FLOWS <u>TO</u> THE SYSTEM.
- q IS <u>NEGATIVE</u> IF HEAT FLOWS <u>FROM</u> THE SYSTEM.
- w IS <u>POSITIVE</u> IF WORK IS DONE <u>ON</u> THE SYSTEM.
- w IS <u>NEGATIVE</u> IF WORK IS DONE <u>BY</u> THE SYSTEM.

 $\Delta E_{SURROUNDINGS} = - \Delta E_{SYSTEM}$   $q_{SURROUNDINGS} = - q_{SYSTEM}$   $w_{SURROUNDINGS} = - w_{SYSTEM}$ 



THE SIGN CONVENTION ON q AND w MAKES SENSE

THE **SYSTEM** AND THE **SURROUNDINGS** ARE IN CONTACT WITH EACH OTHER, BUT <u>ISOLATED</u> <u>FROM EVERYTHING ELSE</u>, SO THE COMBINATION HAS A FIXED (CONSTANT) VALUE OF E.

> $\Delta E_{\text{SURROUNDINGS}} + \Delta E_{\text{SYSTEM}} = 0$   $q_{\text{SURROUNDINGS}} + q_{\text{SYSTEM}} = 0$  $w_{\text{SURROUNDINGS}} + w_{\text{SYSTEM}} = 0$



KINDS OF WORK AND THE SIGN OF THE WORK

PV WORK: 
$$w = -P \times \Delta V$$

NEGATIVE SIGN BECAUSE WORK IS DONE ON THE SYSTEM IF AV IS NEGATIVE

WORK AGAINST GRAVITY: 
$$w = m x g x \Delta h$$

#### POSITIVE SIGN BECAUSE WORK IS DONE ON THE SYSTEM IF Ah IS POSITIVE



### FOSSIL FUEL AND NUCLEAR ELECTRIC POWER GENERATION OPERATE BY PV WORK





### OTHER POWER GENERATION OPERATES BY PV WORK

#### **GEOTHERMAL POWER GENERATION**





### **PV WORK MAKES YOU COMFORTABLE**

### AUTO SHOCK ABSORBERS





### PV WORK MAY SAVE YOUR LIFE

### **AUTO AIRBAGS**





### YOU DO PV WORK EVERY MOMENT OF YOUR LIFE

### HUMAN RESPIRATION





### **PV WORK**

### A PISTON MOVING IN A CYLINDER





### **PV WORK**





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# **CALCULATION OF PV WORK**





# **PV DIAGRAMS**

#### P CONSTANT & n CONSTANT & V INCREASES -> T INCREASES





# **CALCULATION OF PV WORK**

### RELATING q, w, P, V, AND T

IN THE EXMAPLE WE JUST CONSIDERED CALCULATE THE HEAT q FOR EACH STEP FOR A SYSTEM IN WHICH OXYGEN IS THE GAS, BEHAVING IDEALLY.

ANSWER TOMORROW.



# **CALCULATION OF PV WORK**

YOUR 7-YEAR-OLD NEPHEW IS HAVING A BIRTHDAY PARTY. YOU ARE ASKED TO BLOW UP 75 BALLOONS. EACH BALLOON IS NO BIGGER THAN YOUR THUMB WHEN YOU START, BUT IS A SPHERE OF DIAMETER 25 CM WHEN INFLATED. HOW MUCH WORK WILL YOU PERFORM IN DOING THIS IF YOU ASSUME THAT THE BALLOON IS PERFECTLY ELASTIC?

ANSWER TOMORROW.



# **STATE FUNCTIONS**

### STATE FUNCTIONS DEPEND ONLY ON P, V, AND n

A **STATE FUNCTION** IS A THERMODYNAMIC QUANTITY THAT DEPENDS ONLY ON "WHERE YOU ARE" NOT "HOW YOU GOT THERE."

IN THERMODYNAMICS "WHERE YOU ARE" MEANS A PARTICULAR SET OF VALUES FOR THOSE QUANTITIES THAT DEFINE THE EQUATION OF STATE.



# **STATE FUNCTIONS**

### THE EQUATION OF STATE

# THE EQUATION OF STATE IS A MATHEMATICAL RELATIONSHIP AMONG P, V, T, AND n.

IDEAL GAS EQUATION OF STATE PV= nRT OR PV/nR = T OR nRT/V = P

VAN DER WAALS EQUATION OF STATE  $[P + a(n^2/V^2)][V-nb]/nR = T$ 

P, V, AND T OR ANY OTHER THREE OF THESE VARIABLES SPECIFY THE STATE OF THE SYSTEM.



# **STATE FUNCTIONS**

# SPECIFYING P,V, AND n DETERMINES THE VALUE OF ANY STATE FUNCTION

E IS ONE STATE FUNCTION ... WITH MORE TO COME

WE WILL USE UPPER CASE LETTERS FOR STATE FUNCTIONS.

WHAT IS NOT A STATE FUNCTION? q and w



### **THERMODYNAMICS**

### THERMO (HEAT) AND DYNAMICS (WORK)





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# **THERMODYNAMICS**

### THERMO (HEAT) AND DYNAMICS (WORK)

#### $\mathsf{W} \longleftrightarrow \mathsf{P}$

WHERE DOES q "COME FROM?"

FROM CHEMICAL REACTIONS, ESPECIALLY COMBUSTION AND METABOLISM

CHEMICAL REACTIONS ALSO CAN LEAD DIRECTLY TO w WITHOUT "GOING THROUGH" q.

WHICH BRINGS US TO CHEMICAL THERMODYNAMICS



### THERMOCHEMISTRY IS CHEMICAL THERMODYNAMICS

- MOST OF THE ENERGY USED IN THE WORLD COMES FROM THE BURNING OF FOSSIL FUELS.
- BURNING CONVERTS THE **POTENTIAL ENERGY** IN THE FUEL INTO MOLECULAR **KINETIC ENERGY**, WHICH IS TRANSFERRED AS HEAT TO SOME DEVICE THAT USES THIS HEAT TO DRIVE AN ENGINE THAT DOES WORK.



THERMOCHEMISTRY IS CHEMICAL THERMODYNAMICS

- THE ENERGY HUMANS USE TO SURVIVE COMES FROM FOOD, WHICH IS JUST ANOTHER FUEL.
- METABOLISM CONVERTS THE POTENTIAL ENERGY IN FOOD INTO THERMAL ENERGY TO KEEP YOU WARM AND PROVIDES FOR THE WORK THAT YOU DO.



THERMOCHEMISTRY IS THE QUANTITATIVE MEASUREMENT, ANALYSIS, AND PREDICTION OF THE ENERGY CONTENT OF CHEMICALS AND THE ENERGY CHANGE IN THEIR INTERCONVERSION.

• HOW DO WE DO THAT?

• WE ACTUALLY MEASURE THE HEAT TRANSFERRED IN A CHEMICAL REACTION USING A CALORIMETER.



### THE CALORIMETER

 MEASURE THE TEMPERATURE RISE IN A SAMPLE OF WATER UPON SOME CHEMICAL REACTION, OFTEN COMBUSTION.

• USE THE HEAT CAPACITY OF WATER TO CONVERT THIS TEMPERATURE RISE TO A HEAT TRANSFER <u>FROM/TO</u> THE CHEMICAL SAMPLE <u>TO/FROM</u> THE WATER.



### THE CALORIMETER



