### **Optimization with Constraints on Resources**

#### **Examples:**

- 1. How should Mayor Bloomberg spend \$100,000,000 on political advertising to maximize his chances of being reelected?
- 2. How should I invest \$1000 to maximize my expected return in 3 years?
- 3. How should I invest \$1000 to maximize the chances that I will have \$5000 in 3 years?
- 4. How often should I replace my car?
- 5. How should I choose food at a salad bar to meet my nutritional needs for the minimum amount of money?
- 6. Where should the government store emergency supplies to help out in a natural disaster?
- 7. How does an oil company decide where to drill wells?
- 8. How should an auto factory be set up to maximize the number of cars made per day?
- 9. Where should a cell phone company locate its towers to maximize coverage area?
- 10. How does a UPS driver visit 87 customers in one day and still get home in time to watch the Mets game on TV?

- 11. Should I buy skis?
- 12. How do I get to Carnegie Hall?

# Topics

See syllabus

## Q. Why study this stuff?

A. It's a success.

#### Some examples

- 1. Police Patrol Officer Scheduling in San Francisco. Using linear programming, goal programming and integer programming, the department saves \$11 million per year, improved response times by 20% and increased revenue from traffic citations by \$3 million per year.
- 2. Reduction of Fuel Costs in Electric Power Industry Using dynamic programming, 79 electric utilities saved \$125 million per year.
- 3. Gasoline Blending at Texaco. Using blending models, Texaco saves \$30 million annually
- 4. Scheduling Trucks at North American Van Lines. Using network models and dynamic programming to assign loads to North American Van Line drivers reduced costs by \$2.5 million per year and improved service.
- 5. Linear programming to determine bond portfolios.
- 6. Linear programming to plan Creamery Production

### Why is mathematical programming a success

- Real Life Models
- Mathematical Insight
- Efficient Algorithms
- Fast Computers
- All four exist in a synergistic fashion.

### Goals of the course

- Learn how to model real-life problems mathematically
- Understand the mathematics behind optimization
- Understand different types of problems/solutions/methods/algorithms
- Learn how to interpret the solutions to the models