#### Temptation and Self Control: Evidence

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Behavioral Economics G6943 Fall 2018

- A sketch of the theoretical conclusions
  - People who suffer from temptation and who are
    - Certain about the future
    - Sophisticated

Should exhibit preferences for commitment

- Non-exponential discounting should lead to
  - Preference reversals in intertemporal choice
  - Preference for commitment
- In this lecture we will talk about the evidence for
  - Preference for commitment
  - Preference for flexibility
  - Preference reversals in discounting experiments
  - The link between the two
  - Sophistication

## Preference for Commitment

- Do we see much evidence for 'Preference for Commitment' in the field?
- Arguably not much
- Some evidence for 'informal' commitment devices
  - New year's resolutions
  - Joining a gym
  - ROSCAs
- Most formal commitment devices have been generated by behavioral economists
  - Stiikk
  - Beeminder
  - SMART
- And are relatively small in scale
  - e.g. Stickk has 424,000 'commitments'
- Can we generate preference for commitment in the lab?

## Can We Generate A Preference for Commitment?

- Two examples:
- Lab: "Eliciting temptation and self-control through menu choices: a lab experiment" [Toussaert 2017]
  - See also "Temptation and commitment in the laboratory," [Hauser et al 2018]
- Field: "Self Control at Work" [Kaur et al 2015]
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- Aim: Estimate fraction of people who exhibit "Temptation" and "Self Control" a la Gul and Pesendorfer
  - Obviously going to be more interesting if they do manage to generate some of this type of behavior!
- How to generate temptation and self control in the lab?
- They use 'curiosity'
  - All subjects were given 10 mins to write about an incredible life event
  - RA picked one
  - Temptation was the chance to read one of the stories
- Temptation occured while subjects asked to peform a boring task
  - Stare at a 4 digit number which updated for 60 seconds
  - At random intervals a prompt appeared telling them to report number
  - Paid \$2 per correct answer
  - Lasted up to 60 mins (!?!?)

#### • Two options:

- (0) Get paid for each of the 5 prompts
- (1) Read story and get paid for 4 randomly selected prompts
- Three menus
  - $\{0\},\;\{1\},\;\text{and}\;\{0.1\}$
- Temptation:  $\{0\} \succ \{0, 1\}$
- Self control:  $\{0\} \succ \{0,1\} \succ \{1\}$

- Experimental timing:
  - Practice task
  - Rank menus (higher ranked menus have higher probability of being implemented)
  - **3** Extract WTP to replace worse options with better options
  - 4 Elicit beliefs about reading the story if given the option
  - 6 Perform task

Preference ordering	menu type	% subjects	(N)	random benchmark	<i>p</i> -value
$\{0\} \succ_1 \{0,1\} \succ_1 \{1\}$	$SSB_{-0}$	35.8%	(43)	7.7%	< 0.001
$\{1\}\succ_1\{0,1\}\succ_1\{0\}$	$SSB_{-1}$	4.2%	(5)	7.7%	0.171
$\{0,1\} \succ_1 \{0\} \succ_1 \{1\}$	FLEX <sub>-0</sub>	20.8%	(25)	7.7%	< 0.001
$\{0,1\} \succ_1 \{1\} \succ_1 \{0\}$	$FLEX_{-1}$	7.5%	(9)	7.7%	1.000
$\{0,1\}\succ_1\{0\}\sim_1\{1\}$	$FLEX_{-0\vee 1}$	5.8%	(7)	7.7%	0.605
$\{0\}\sim_1\{0,1\}\succ_1\{1\}$	$STD_{-0}$	9.2%	(11)	7.7%	0.494
$\{0\}\succ_1\{1\}\succ_1\{0,1\}$	GUILT	6.7%	(8)	7.7%	0.863
other ordering		10.0%	(12)	46.1%	< 0.001
Total		100%	(120)	100%	

Table 1: Main preference orderings

#### • Results using rankings only

Preference ordering	menu type	% subjects	(N)	random benchmark	<i>p</i> -value
$\{0\} \succ_1 \{0,1\} \succ_1 \{1\}$	$SSB_{-0}$	23.3%	(28)	7.7%	< 0.001
$\{1\}\succ_1\{0,1\}\succ_1\{0\}$	$SSB_{-1}$	4.2%	(5)	7.7%	0.171
$\{0,1\} \succ_1 \{0\} \succ_1 \{1\}$	$FLEX_{-0}$	10.8%	(13)	7.7%	0.226
$\{0,1\}\succ_1\{1\}\succ_1\{0\}$	$FLEX_{-1}$	5.8%	(7)	7.7%	0.605
$\{0\}\sim_1\{0,1\}\succ_1\{1\}$	$STD_{-0}$	30.0%	(36)	7.7%	< 0.001
$\{0\}\succ_1\{1\}\succ_1\{0,1\}$	GUILT	8.3%	(10)	7.7%	0.732
$\{0\}\sim_1\{1\}\sim_1\{0,1\}$	IND	9.2%	(11)	7.7%	0.494
other ordering		8.3%	(10)	46.1%	< 0.001
Total		100%	(120)		

Table 3: Alternative classification accounting for WTP choices

#### • Results using rankings and WTP

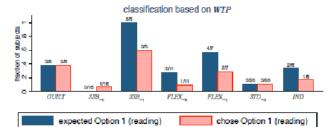
Preference ordering $\succeq_1$ on $M$	menu type	dist. of Period 2 choices under $S$ and $NPR$		vized $\bar{\lambda}_1$ $\succeq_1^{WTP}$	Unincen ≿ <sup>rank</sup>	tivized $\bar{\lambda}_1$ $\succeq_1^{WTP}$
$\{0\}\succ_1\{0,1\}\succ_1\{1\}$	$SSB_{-0}$	$\lambda_0>\lambda_1\geq 0$	0.023 (1/43)	0 (0/28)	0.023 (1/43)	0 (0/28)
$\{1\}\succ_1\{0,1\}\succ_1\{0\}$	$SSB_{-1}$	$\lambda_1>\lambda_0\geq 0$	1 (5/5)	1 (5/5)	$\frac{1}{(5/5)}$	1 (5/5)
$\{0,1\}\succ_1\{0\}\succ_1\{1\}$	FLEX <sub>-0</sub>	$\lambda_0>\lambda_1>0$	0.12 (3/25)	0.385 (5/13)	0.12 (3/25)	0.308 (4/13)
$\{0,1\}\succ_1\{1\}\succ_1\{0\}$	$FLEX_{-1}$	$\lambda_1 > \lambda_0 > 0$	0.667 (6/9)	0.571 (4/7)	0.778 (7/9)	0.714 (5/7)
$\{0,1\}\succ_1\{0\}\sim_1\{1\}$	$FLEX_{-0\vee 1}$	$\lambda_0,\lambda_1>0$	(5/7) (5/7)	(4/*)	(7/3) 0.714 (5/7)	-
$\{0\}\sim_1 \{0,1\}\succ_1 \{1\}$	$STD_{-0}$	$\lambda_1=0$	0 (0/11)	0.083 <i>(3/36)</i>	0 (0/11)	0.056 (2/36)
$\{0\}\succ_1\{1\}\succ_1\{0,1\}$	GUILT	$\lambda_0>\lambda_1\geq 0$	0.125 (1/8)	0.30 (3/10)	0.25 (2/8)	0.20 (2/10)
$\{0\}\sim_1\{1\}\sim_1\{0,1\}$	IND	$\lambda_0,\lambda_1\geq 0$		0.364 (4/11)		0.455 (5/11)

Table 4: Relationship between initial preference ordering and beliefs

Notes: Incentivized  $\bar{\lambda}_1$  is the fraction of subjects who guessed that someone with the same rank ordering would read the story if offered  $\{0,1\}$  in Period 2. Unincentivized  $\bar{\lambda}_1$  is the fraction of subjects who reported being somewhat or very likely to read the story if offered  $\{0,1\}$  in Period 2; for subjects reporting being "unsure", answers to the Incentivized question are used as a tie breaker. The distribution of Period 2 choices inferred from  $\geq_1$  relies on the

Figure 2: Beliefs versus ex post choice by menu type

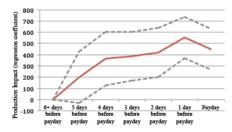




## Can We Generate A Preference for Commitment?

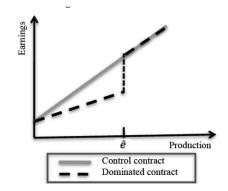
- Two examples:
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- Consider a job in which you get paid piece rate
  - Paid only at the end of the week
- What is the effect of temptation (as modelled by hyperbolic discounting)?
  - Pay day effects: work harder when reward is immediate
  - May work less hard in period t+1 than would like in period t: Creates a demand for commitment
- Test this using an experiment with a data entry firm in Mysore, India



#### Figure 2: Production over the Pay Cycle

- 102 workers over 8 months
- Number of additional fields (over a base of about 5000)
- Size of effect inconsistent with discounting
- Gradual slope: incommensurate with quasi-hyperbolic discounting?



- Dominated Contracts: Reduce pay if target is not met
- A form of commitment, as it removes the possibility of producing less than the target at the same pay

#### Table 3

**Contract Treatments** 

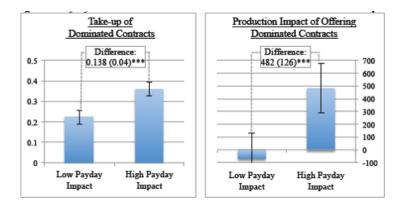
Panel A: Take-up of Dominated Contracts (Summary Statistics)	
Dominated contract chosen: conditional on attendance	0.36
	(0.31)
Dominated contract chosen: target=0 if absent	0.28
-	(0.26)

- In some weeks, workers offered the chance to choose a target b
- Receive half pay if fail to hit target
- t=0 the same as the standard contract

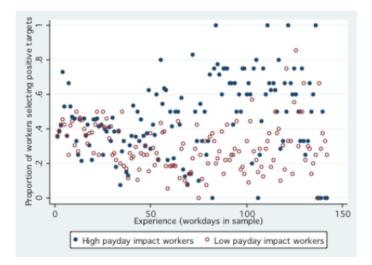
Panel B: Treatment Effects of Contracts				
	De	Dependent var: Attendance		
Sample	Control & Option Obs	Control & Option Obs	Full Sample	Full Sample
	(1)	(2)	(3)	(4)
Option to choose dominated contract	120 (59)**			
Evening option to choose dominated contract		156 (69)**	150 (69)**	0.01 (0.01)
Morning option to choose dominated contract		84 (69)	73 (69)	-0.00 (0.01)
Target imposed: Low target		(00)	3 (90)	-0.00 (0.01)
Target imposed: Medium target			213	-0.01
Target imposed: High target			(91)** 334 (150)**	(0.01) -0.01 (0.02)
Observations: worker-days	6310	6310	8423	8423
R2	0.60	0.60	0.59	0.15
Dependent variable mean	5311	5311	5337	0.88

#### • Targets increased output

- If they were self imposed (columns 1 and 2)
- Exogenously imposed (3)



- Those with high payday impacts more likely to take up dominated contract
- Output also more affected



• Those with high payday impacts also chose the dominated contract more with experience

## Preference for Commitment

- So we can generate preference for commitment
- But (perhaps) surprisingly little of it
- Why?
- (At least) two possibilities
  - Preference for Flexibility (Discuss this now)
  - Lack of sophistication (Discuss after we have talked about time preference experiments)
- Not an exhaustive list
  - e.g. self signalling?

- Preference uncertainty is the enemy of preference for commitment
  - Creates preference for flexibility
- Can we find evidence for preference uncertainty?
  - Dean and McNeill [2015]

#### Preference Uncertainty Model

- X : set of alternatives
- S : set of states
- $\mu \in \Delta(S)$ : probability distribution over states
- $u: X \times S \rightarrow \mathbb{R}$ : utility function
  - u(x, s) utility of alternative x in state s
- Preference uncertainty driven by uncertainty about s
- Use this model to think about
  - Choices between menus of alternatives
  - Choices from those menus
- i.e. do people use the flexibility they desire?

#### Choices between Menus

- Let A be a menu of alternatives
- Choice from A will take place after the state is known
- Value of A before the state is known given by

$$U(A) = \sum_{s \in S} \mu(s) \max_{x \in A} u(x, s)$$

• U represents choice between menus

- The same model also makes predictions about choices **from** menus
- P(y, A): Probability of choosing alternative y from menu A

$$P(y, A) = \sum_{s \in S} \mu(s) \mathbf{1}[\mathbf{x} \in \arg \max_{\mathbf{y} \in \mathbf{A}} \mathbf{u}(\mathbf{y}, \mathbf{s})]$$

- Preference uncertainty implies a link between menu preference and stochastic choice
  - See Ahn and Sarver [2013]

# Implications [Kreps 1979]

#### Weak Preference for Flexibility For any two menus $A \succeq B$ , $A \cup B \succeq A$

- The union of two menus weakly preferred to each individually
- Rules out 'preference for commitment' i.e.  $A \cup B \prec A$ 
  - Observable implication of temptation
- Note: A ∪ B ≻ A only if there is preference uncertainty (i.e. S is not a singleton)
  - If there is no uncertainty,  $A \cup B \sim A$
  - Call this strict preference 'Preference for Flexibility'

# Implications [Ahn and Sarver 2013]

#### Consequentialism $A \cup \{x\} \succ A \Rightarrow P(x, A \cup \{x\}) > 0$

- If you would pay for x to be added to the menu A, must sometimes choose x
- If it is never chosen it cannot be increasing the value of the menu

Responsive Menu Preferences  $P(x, A \cup \{x\}) > 0 \Rightarrow A \cup \{x\} \succ A$ 

- If x is sometimes chosen when added to A ,the larger menu must be preferred
- Except in the case of indifference (which we will discuss later)

## Experimental Design

- Simulated workplace environment
- Subject perform real effort tasks for payment according to payment contracts
  - Choice from menus
- Subjects choose between different payment contracts
  - Choice between menus

Tasks

• Simple addition tasks

# Task 3

422 + 538 =

# Entry:

Time remaining in section: 13:43.

#### Contracts

#### Contract 11

	tract	
on	uaci	20

Tasks completed	Payment
0-4	0.00
5-9	0.00
10-14	0.00
15-19	0.00
20-49	0.20
50+	0.20

Tasks completed	Payment
0-4	0.00
5-9	0.00
10-14	0.00
15-19	0.00
20-49	0.00
50+	0.40

Contract 24		
Tasks completed	Payment	
0-4	0.00	
5-9	0.00	
10-14	0.00	
15-19	0.00	
20-49	0.20	
50+	0.40	

Contract 24

• Low (L), High (H) and Flex(F)

• Each contact offers two or three undominated options

Tasks	0	20	50
Payment	0	20	40
L	Yes	Yes	No
Н	Yes	No	Yes
F	Yes	Yes	Yes

• Note that  $F = L \cup H$ 

## Choice of Contracts

Contract 25		Contract 24		
Tasks completed	Payment	Tasks completed	Payment	
0-4	0.00	0-4	0.00	
5-9	0.00	5-9	0.00	
10-14	0.00	10-14	0.00	
15-19	0.00	15-19	0.00	
20-49	0.00	20-49	0.20	
50+	0.40	50+	0.40	

Contract 25 + \$0.50	Contract 24
Contract 25 + \$0.15	Contract 24
Contract 25 + \$0.10	Contract 24
Contract 25 + \$0.05	Contract 24
Contract 25 + \$0.01	Contract 24
Contract 25	Contract 24
Contract 25	Contract 24 + \$0.01
Contract 25	Contract 24 + \$0.05
Contract 25	Contract 24 + \$0.10
Contract 25	Contract 24 + \$0.15
Contract 25	Contract 24 + \$0.50

• Three questions: H vs L, H vs F, L vs F

## Experimental Structure - Main Experiment

- Instructions, comprehension check
- Example tasks
- Exogenous contracts section
  - Perform tasks under 3 contracts: High, Low, Flex
- Additional instructions
- Contract selection questions
- Endogenous contract section
  - Realization of one selected contract
- Payment

## Identifying Menu Preferences and Random Choice

- Menu Preferences
  - Use data from the multiple price list question to construct preferences
  - $A \succ B$  if subject is prepared to pay for menu A over menu B
  - $A \sim B$  if neither  $A \succ B$  nor  $B \succ A$
- Random choice
  - In order to estimate random choice need multiple observations
  - Not enough data to do so for individual subjects
  - Group subjects based on their menu preferences
  - Estimate random choice function for each group using behavior in exogenous contracts

#### Evidence for Preference for Flexibility

- Can identify five types of subject
- Preference for flex
  - $F \succ L$  and  $F \succ H$
- Standard
  - $F \sim L \succ H$  or  $F \sim H \succ L$
- Indifferent
  - $F \sim L \sim H$
- Commitment
  - $L \succ F$  or  $H \succ F$
- Intransitive

#### Evidence for Preference for Flexibility

Туре	Ν	Percent	Benchmark I	p-value	Benchmark II	p-value
Flexibility	43	35%	17%	0.00	6%	0.00
Standard	40	32%	17%	0.00	6%	0.00
Indifferent	23	19%	25%	0.12	13%	0.06
Commitment	7	6%	42%	0.00	16%	0.00
Intransitive	11	9%	-	-	59%	0.00

- Benchmark 1: Uniform random choice over transitive preference profiles
- Benchmark 2: Randomizing between preferences at each choice

#### Evidence for Preference for Flexibility

- 85% of subjects can be explained by the model
- 35% can only be explained by the model if there is preference uncertainty
- 15% not explained by the model
- Of which 9% are intransitive
- Very little (6%) evidence of preference for commitment

Subjects who:	Do Low number in Flex	Ν	p-value	
Flex ⊁ High	0.09	57	n = 0.00	
$Flex \succ High$	0.37	67	p=0.00	
Subjects who:	Do High number in Flex	N	p-value	
Flex ⊁ Low	0.42	53	p=0.00	
$Flex \succ Low$	0.77	71	P=0.00	

- Subjects who strictly prefer F to H(L) make use of the additional available option
- Do so at a higher rate than those that do not have such a preference

#### Evidence for Responsive Menu Preferences

	Menu Preference:	All Subj.	Non-Indiff.
Do Low number in Flex	$Flex \succ High$	0.83	0.96
Do High number in Flex	$Flex \succ Low$	0.71	0.83

- Most subjects who do low (high) number of acts prefer F to H (L)
- This is near universal in the case of non-indifferent subjects

- Typical time preference experiment [e.g Benhabib Bisin Schotter 2007]:
  - Identify \$x that is indifferent to \$y in 1 month's time
  - Identify \$z in 1 month's time that is indifferent to \$w in 2 month's time
- Approximate the discount rates as

$$\delta(0,1) = \frac{x}{y}$$
$$\delta(1,2) = \frac{z}{w}$$

• Evidence of present bias if

$$\frac{x}{y} < \frac{z}{w}$$

- What are some of the problems with this approach?
  - Curvature of the utility function
  - Transaction costs/trust
  - Income smoothing and shocks

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## Curvature of the Utility Function

- Assume that money is consumed in the period it is received.
- Background consumption  $\bar{c}$  in each period
- Indifference point occurs when

$$u(\bar{c} + x) + \delta(0, 1)u(\bar{c}) + \sum_{t=2}^{\infty} \delta(0, t)u(\bar{c})$$
  
=  $u(\bar{c}) + \delta(0, 1)u(\bar{c} + y) + \sum_{t=2}^{\infty} \delta(0, t)u(\bar{c})$ 

Which implies

$$\delta(0,1) = \frac{u(\bar{c}+x) - u(\bar{c})}{u(\bar{c}+y) - u(\bar{c})}$$

- Which equals  $\frac{x}{y}$  only if *u* is locally linear
- Note, will not affect identification of present bias, but will affect identification of discount factor

# Curvature of the Utility Function

- Solution #1: "Eliciting Risk and Time Preferences " [Andersen et al 2008]
- (As the name suggests) measure risk and time preferences for each subject
  - MPL to measure indifference point between present and future consumption
  - MPL to measure indifference point between safe and risky prospects
- Use the latter to estimate curvature of the utility function
- Replace  $\frac{x}{y}$  with  $\frac{u(x)}{u(y)}$
- Reduces estimated annual discount rates from around 25% to around 10%
- Note: assumes same curvature in 'risk' and 'time' preferences

## Curvature of the Utility Function

• Solution #2: "Estimating Time Preferences from Convex Budgets " [Andreoni and Sprenger ]





FIGURE 1. SAMPLE DECISION SCREEN

• Assuming subjects do not pick at the endpoints, can estimate curvature and discount rate

- What are some of the problems with this approach?
  - Curvature of the utility function
  - Transaction costs/trust
  - Income smoothing and shocks

# Transaction Costs/Trust

- Imagine that you think that the experimenter is forgetful
- If they give you the money today, they will remember for sure
- If they are supposed to give you the money in the future, there is a  $\gamma$  probability they will forget
- Then indifference point between today and one month (assuming linear utility) if

$$\frac{x}{y} = \gamma \delta(0, 1)$$

And between one month and two months

$$\frac{z}{w} = \delta(1,2)$$

- Even an exponential discounted will look like they have present bias
- Same effect if there are transaction costs to collecting money on any day other than today

# Transaction Costs/Trust

- Various authors have made different attempts to solve this problem:
- Andreoni and Sprenger [2013]
  - All payments (current and future) paid to campus mailbox
  - Always payments in all periods
  - Self addressed envelopes
  - Provided with the address of the experimenter
- Halevy [2015]
  - Repeated visits to classroom
- Dean and Sautmann [2015]
  - Repeated survey visits to household
- Generally studies that take these measures find little present bias for money

## Transaction Costs/Trust

	week 1		week 2		week 3	
	Α	В	Α	В	Α	В
avg. switch at or below (CFA)	157.0	155.6	153.5	152.4	158.4	154.6
correlation A	week	s 1 and 2:	0.61	week	s $2$ and $3$ :	0.67
correlation B	week	s 1 and 2:	0.62	week	s 2 and 3:	0.64
A=B	64.4	40%	65.3	39%	69.8	32%
more patient in A	18.4	47%	16.1	17%	13.3	32%
more patient in B	17.1	13%	18.4	45%	16.8	36%
pay neg. interest	9.66 %	8.15%	7.38%	5.52%	7.37%	6.86%
inconsistent	14.76%	13.93%	10.16%	11.71%	11.13%	10.51%
N	90	59	96	65	96	61

- Experiment in urban Mali
- Surveyors came to the house every week
- No problem with transaction costs or trust
- No present bias!

- What are some of the problems with this approach?
  - Curvature of the utility function
  - Transaction costs/trust
  - Income smoothing and shocks

- So far, we have assumed that experimental payments take place in isolation
  - Often described as 'narrow bracketing'
- But this may be inappropriate
  - Subjects may suffer shocks to income/value of consumption
    - Get paid today
    - Have a big bill due today
  - May smooth consumption by borrowing and saving

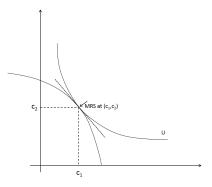
• Recall the Strong Hyperbolic Euler Equation

$$\begin{aligned} \frac{\partial u(c_t)}{\partial c_t} &= R_t E_t \left[ \left( \beta \delta c'_{t+1} + (1 - c'_{ct+1}) \delta \right) \frac{\partial u(c_{t+1})}{\partial c_{t+1}} \right] \\ &= R_t E_t d_t \frac{\partial u(c_{t+1})}{\partial c_{t+1}} \end{aligned}$$

• It can be shown that, if experimental payments are small

$$\frac{y}{x} = R_t = MRS_t = \frac{\frac{\partial u(c_t)}{\partial c_t}}{E_t \left( d_t \frac{\partial u(c_{t+1})}{\partial c_{t+1}} \right)}$$

Experimental payments measure MRS not time prefs



- This does **NOT** rely on direct arbitrage of experimental payments
  - Only that experimental subjects obey Euler Equation
  - Take their actual MRS into account when making experimental decisions

$$\frac{y}{x} = R_t = MRS_t = \frac{\frac{\partial u(c_t)}{\partial c_t}}{E_t \left( d_t \frac{\partial u(c_{t+1})}{\partial c_{t+1}} \right)}$$

- What will we see in time preference experiments?
- Depends on the interest rate regime
  - Perfect credit markets with market interest rate  $\bar{R}$

$$\frac{y}{x} = R_t = \bar{R}$$

No access to credit

$$\frac{y}{x} = \frac{\frac{\partial u(y_t)}{\partial y_t}}{E_t \left( d_t \frac{\partial u(y_{t+1})}{\partial y_{t+1}} \right)}$$
$$\frac{\frac{\partial u(y_t)}{\partial y_t}}{\beta \delta E_t \left( \frac{\partial u(y_{t+1})}{\partial y_{t+1}} \right)}$$

- No smoothing, but measured MRS affected by shocks
- 'Present bias' individual could just be having a bad day
- Will give  $\beta\delta$  'on average'

- Partial access to credit:  $R_t = R(s_t)$ 
  - Interest rates increase with borrowing (decrease with savings)
- Implies that measured MRS should
  - Fall with exogenous increase in income
  - Rise with an exogenous increase to  $\frac{\partial u(c_{t+1})}{\partial c_{t+1}}$  (i.e. expenditure shock such as family illness)
  - Fall with an increase in savings
- Test this using the experiment in Mali

OLS	OLS	OLS	OLS	IV	IV	CL
		-0.185	-0.189	-0.153	-0.159	-0.262 +
		(0.142)	(0.143)	(0.163)	(0.142)	(0.136)
		-0.330	-0.321	-0.268	-0.265	-0.316
		(0.251)	(0.258)	(0.261)	(0.270)	(0.282)
-0.409	** -0.409	** -0.382	** -0.384	** -0.378	* -0.380	* -0.379 *
(0.142)	(0.149)	(0.125)	(0.133)	(0.171)	(0.149)	(0.171)
		0.268	* 0.245	+ 0.192	0.177	0.215 +
		(0.128)	(0.131)	(0.141)	(0.132)	(0.119)
0.252	+ 0.233	+ 0.251	0.222	1.683	+ 1.562	* 0.390 *
(0.145)	(0.139)	(0.182)	(0.183)	(0.761)	(0.769)	(0.199)
-		-			-	0.916 **
						(0.044)
4.69	** 4.782	** 4.56	** 4.67	** 4.527	** 4.622	** _
(0.011)	(0.059)	(0.093)	(0.125)	(0.144)	(0.145)	
yes	yes	yes	yes	yes	yes	yes
-	yes	-	yes	-	yes	yes
2540	2540	2390	2390	2390	2390	12608
	-0.409 (0.142) 0.252 (0.145) - 4.69 (0.011) yes	-0.409 ** -0.409 (0.142) (0.149) 0.252 + 0.233 (0.145) (0.139) - - - - - - - - - - - - - - - - - - -	-0.185 (0.142) -0.330 (0.251) -0.409 ** -0.409 ** -0.382 (0.142) (0.149) (0.125) 0.268 (0.128) 0.252 + 0.233 + 0.251 (0.145) (0.139) (0.182) 	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$

Standard errors clustered at the individual level (in parentheses). Significance levels + p < 0.10, \*p < 0.05, \*\*p < 0.01

Table 8: Savings and $MRS_t$ .								
	OLS	OLS	CL					
Savings (I-E)	-0.291	** -0.279	** -0.291 **					
	(0.076)	(0.079)	(0.080)					
1/(error SD)	-	-	0.916 **					
			0.044					
Constant	4.584	** 4.673	** _					
	(0.029)	(0.070)						
Ind FE	yes	yes	yes					
Time FE		yes	yes					
Observations	2390	2390	12608					

Standard errors clustered at the individual level (in parentheses).

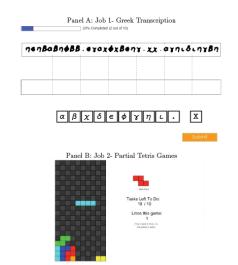
Significance levels + p<0.10, \* p<0.05, \*\* p<0.01

- So what can we learn from time preference experiments?
- If people are not 'narrow bracketers' then not a lot about time preferences
  - Measured MRS reports effective market interest rate
  - Income and expenditure shocks can look like present bias
  - In complete credit constraints case, average of repeated measures can be used to estimate parameters
- However, we can potentially learn about the shocks and constrains on a household finances
  - Less credit constrained  $\Rightarrow$  less volatile MRS
  - Positive correlation between spending and MRS  $\Rightarrow$  importance of expenditure shocks

## Measuring Time Preferences

- Given these problems, how can we measure time preferences?
- We could use something other than money
  - Primary Rewards: e.g. "Time Discounting for Primary Rewards" [McClure et al 2007]
  - Effort: e.g "Working Over Time: Dynamic Inconsistency in Real Effort Tasks" [Augenblick et al 2015]
- Does this solve the problem?
- Depends on
  - Whether or not people suffer shocks to the cost of effort
  - Can 'smooth' effort

#### Working Over Time Augenblick et al. [2015]

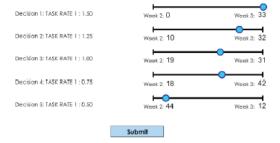


#### Working Over Time Augenblick et al. [2015]

#### Job 1 Transcription

Please use the sliders to allocate tasks between Week 2 and Week 3.

8



#### Working Over Time Augenblick et al. [2015]

	Monetary Discounting		Effort Discounting		
	(1) All Delay Lengths	(2) Three Week Delay Longths	(3) Job 1 Crock	(4) Job 2 Tetris	(5) Combined
Present Bias Parameter: $\hat{\beta}$	0.974 (0.009)	0.988 (0.009)	0.900 (0.037)	$\begin{array}{c} 0.877\\ (0.036) \end{array}$	0.888 (0.033)
Daily Discount Factor: $\hat{\delta}$	0.998 (0.000)	0.997 (0.000)	0.999 (0.004)	1.001 (0.004)	1.000 (0.004)
Monetary Curvature Parameter: $\hat{\alpha}$	0.975 (0.006)	0.976 (0.005)			
Cost of Effort Parameter: $\hat{\gamma}$			1.624 (0.114)	1.557 (0.099)	1.589 (0.104)
# Observations # Clusters Job Effects	1500 75	1125 75	800 80	800 80	1600 80 Yes
$H_0:eta=1$	$\chi^2(1) = 8.77$ (p < 0.01)	$\chi^2(1) = 1.96 \ (p = 0.16)$		$\chi^2(1) = 11.43$ (p < 0.01)	$\chi^2(1) = 11.42$ (p < 0.01)
$H_0: \beta(Col. 1) = \beta(Col. 5)$	$\chi^2(1) = 6.37 \ (p = 0.01)$	I			
$H_0: \beta(Col. 2) = \beta(Col. 5)$		$\chi^2(1) = 8.26$ (p < 0.01)			

# Link Between Preference Reversals and Preference for Commitment

- Augenblick et al. [2015] find preference reversals in the real effort task
- Does this lead to a preference for commitment?
- Recall:

Non-exponential discounting

- $\Leftrightarrow$  Preference reversals
- $\Leftrightarrow$  Demand for commitment
- Subjects offered a commitment device
  - Choice for effort at t + 1 vs t + 2 made at time t and t + 1
  - Commitment: Higher probability that time *t* choice would be operationalized

# Link Between Preference Reversals and Preference for Commitment

•

	Monetary 1	Discounting	Effort Discounting		
	Commit (=0)	Commit (=1)	Commit (=0)	Commit (=1)	
	(1) Tobit	(2) Tobit	(3) Tobit	(4) Tobit	
Present Bias Parameter: $\hat{\beta}$	0.999 (0.010)	0.981 (0.013)	0.965 (0.022)	0.835 (0.055)	
Daily Discount Factor: $\hat{\delta}$	0.997 (0.000)	0.997 (0.001)	0.988 (0.005)	1.009 (0.005)	
Monetary Curvature Parameter: $\hat{\alpha}$	0.981 (0.009)	0.973 (0.007)			
Cost of Effort Parameter: $\hat{\gamma}$			1.553 (0.165)	$1.616 \\ (0.134)$	
# Observations	420	705	660	940	
# Clusters Job Effects	28	47	33 Yes	47 Yes	
$H_0: eta = 1$		$\begin{array}{c} \chi_2(1) = 2.15 \\ (p = 0.14) \end{array}$	$\begin{array}{c} \chi_2(1) = 2.64 \\ (p = 0.10) \end{array}$		
$H_0:\beta(Col.\ 1)=\beta(Col.\ 2)$	$\chi_2(1) = 1.29 \ (p = 0.26)$				
$H_0:\beta(Col.\ 3)=\beta(Col.\ 4)$			$\chi_2(1) = 4.85$ (p = 0.03)		

Table 4: Monetary and Real Effort Discounting by Commitment

- Subjects who commit have higher measured present bias
- However, as usual, hard to get people to pay for commitment

- Is the fact that present bias agents won't pay for commitment a sign of a lack of sophistication?
- Not really
  - Technically: violation of sophistication is paying to add an option which you then do not use
  - Intuitively: Maybe present bias is not due to non-exponential discounting
- Do we have other evidence for lack of sophistication?

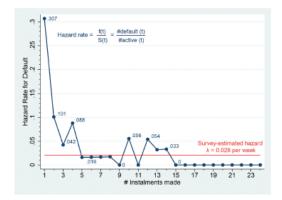
- "Paying Not to Go to the Gym" [DellaVigna and Malmendier, 2006]
- Test whether people have sophisticated beliefs about their future behavior
- Examine the contract choices of 7978 healthcare members
- Also examine their behavior (i.e. how often they go to the gym)
- Do people overestimate how much they will go the gym, and so choose the wrong contract?

- Three contracts
  - Monthly Contract automatically renews from month to month
  - Annual Contract does not automatically renew
  - Pay per usage

- Consumers appear to be overconfident
  - Overestimate future self control in doing costly tasks
    - Going to the gym
    - Cancelling contract
- 80% of customers who buy monthly contracts would be better off had they paid per visit (assuming same number of visits)
  - Average cost of \$17 vs \$10
- Customers predict 9.5 visits per month relative to 4.5 actual visits
- Customers who choose monthly contracts are 18% more likely to stay beyond a year than those who choose annual contract, and wait 2.29 months after last visit before cancelling

- Naivete can also lead people to take up commitment contracts which are bad for them
  - "When Commitment Fails Evidence from a Regular Saver Product in the Philippines" [John 2015]
- Subjects offered the chance to take up an "Achiever's Savings Account'"
  - Had to make regular payments
  - If they failed, paid a 'default cost'
  - Interest rate equal to the standard market rate

#### Sophistication



- 55% default on contract
- Largely do so 'immediately': unlikely to be due to shocks



- There are not a lot of naturally occurring commitment devices out there
- But people can be induced to take up commitment
  - Often will not pay for it
- Two possible reasons for this
  - Preference for flexibility
  - Lack of sophistication

There is evidence for both of these

- Time preference experiments run with money are problematic
- Other tasks may be better
  - Show more present bias
- There is a link between present bias and preference for commitment