

The Quark-Gluon-Plasma Is Found at RHIC

(but experimentalists have Yet to recognize it)

Miklos Gyulassy
Columbia University

Three major discoveries at RHIC

- 1) Conclusive evidence for Bulk P_{QCD} collective flow of 5000 \square , K , p
- 2) Conclusive evidence for pQCD jet quenching in Au+Au at RHIC
- 3) Conclusive evidence of jet *un*quenching in d+Au: Null Control

All 3 are explained by QCD dynamics

- 1) My Conclusion:

$$\underline{1+2+3=QGP}$$

$$E/V(\tau \sim 0.2 \text{ fm/c}) \sim 100 \varepsilon_0$$

Au+Au at 200 AGeV made Bulk QGP Matter

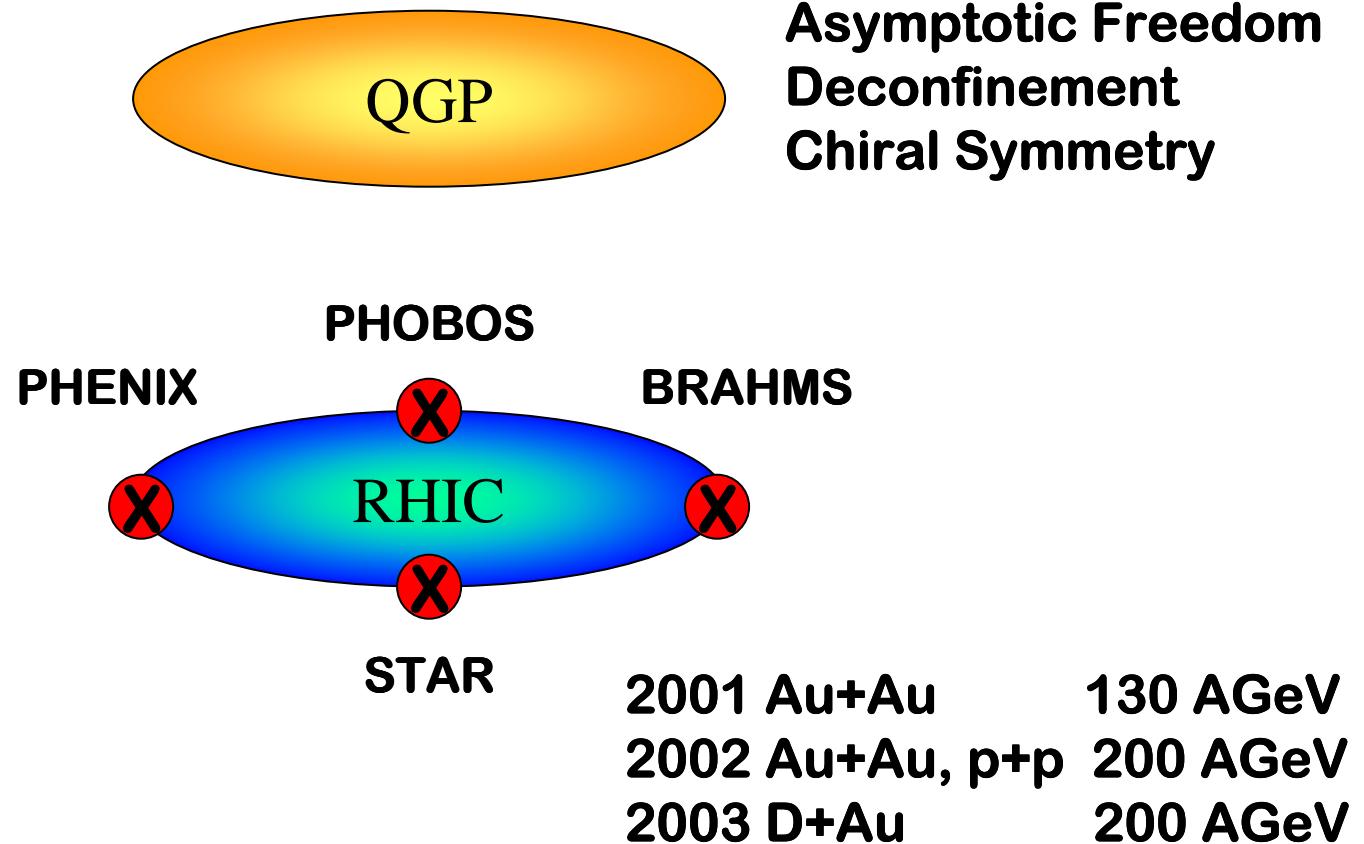
Outline

- 1. Overview of 3 convergent lines of evidence**
- 2. Bulk Collective Flow and the QCD Equation of State**
- 3. Parton Diagnostics: Jet Quenching**
- 4. The D+Au Null Control**
- 5. Conclusion: The QGP is found**

Theoretical Prediction 1975-...

Asymptotic Freedom Deconfinement Chiral Symmetry

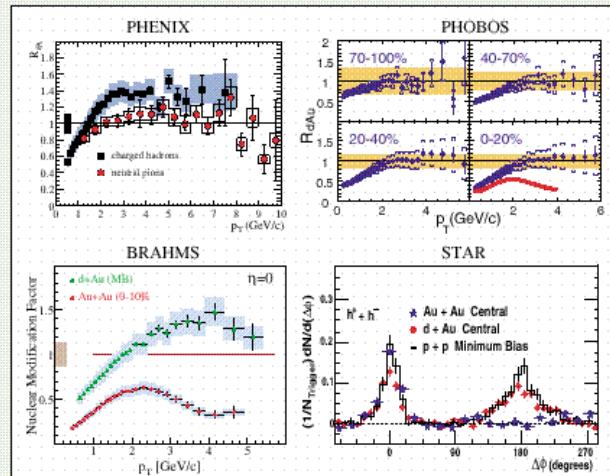
Experimental Tools 2000-...



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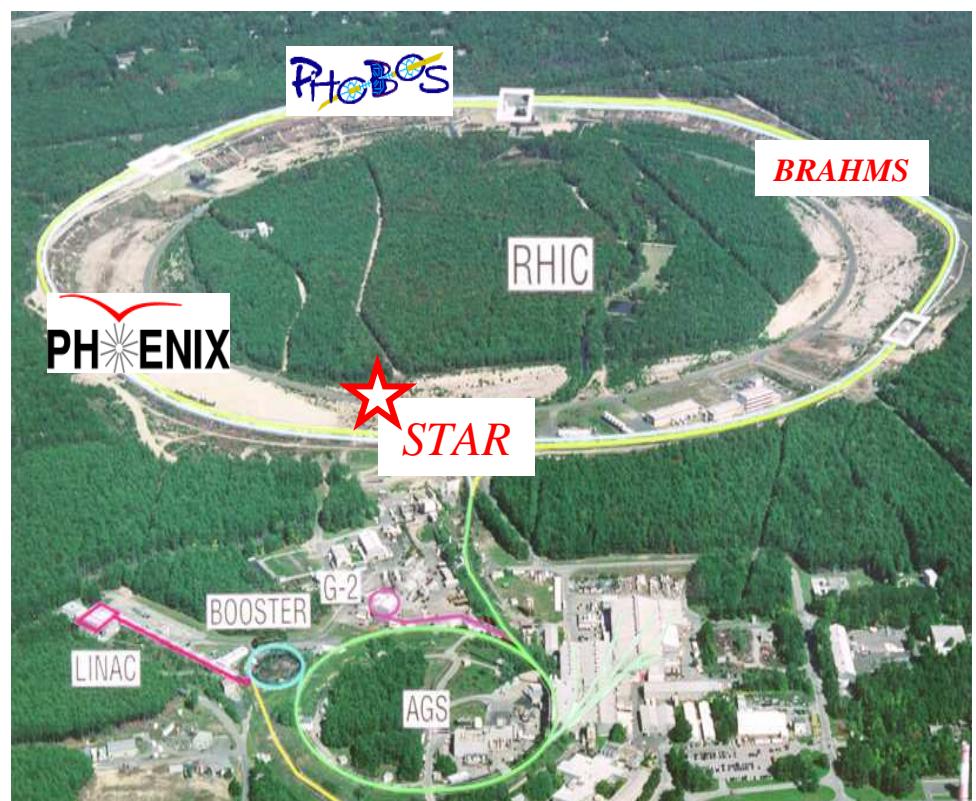
Published by The American Physical Society

Kemer 9/26/03

3rd RHIC Milestone

Nuclear Physics

- | | |
|---|--------|
| Suppressed π^0 Production at Large Transverse Momentum in Central Au + Au Collisions at $\sqrt{s_{NN}} = 200$ GeV | 072301 |
| S. S. Adler <i>et al.</i> (PHENIX Collaboration) | |
| Centrality Dependence of Charged-Hadron Transverse-Momentum Spectra in $d + \text{Au}$ Collisions at $\sqrt{s_{NN}} = 200$ GeV | 072302 |
| B. B. Back <i>et al.</i> (PHOBOS Collaboration) | |
| Absence of Suppression in Particle Production at Large Transverse Momentum in $\sqrt{s_{NN}} = 200$ GeV $d + \text{Au}$ Collisions | 072303 |
| S. S. Adler <i>et al.</i> (PHENIX Collaboration) | |
| Evidence from $d + \text{Au}$ Measurements for Final-State Suppression of High- p_T Hadrons in Au + Au Collisions at RHIC | 072304 |
| J. Adams <i>et al.</i> (STAR Collaboration) | |
| Transverse-Momentum Spectra in Au + Au and $d + \text{Au}$ Collisions at $\sqrt{s_{NN}} = 200$ GeV and the Pseudorapidity Dependence of High- p_T Suppression | 072305 |
| I. Arsene <i>et al.</i> (BRAHMS Collaboration) | |



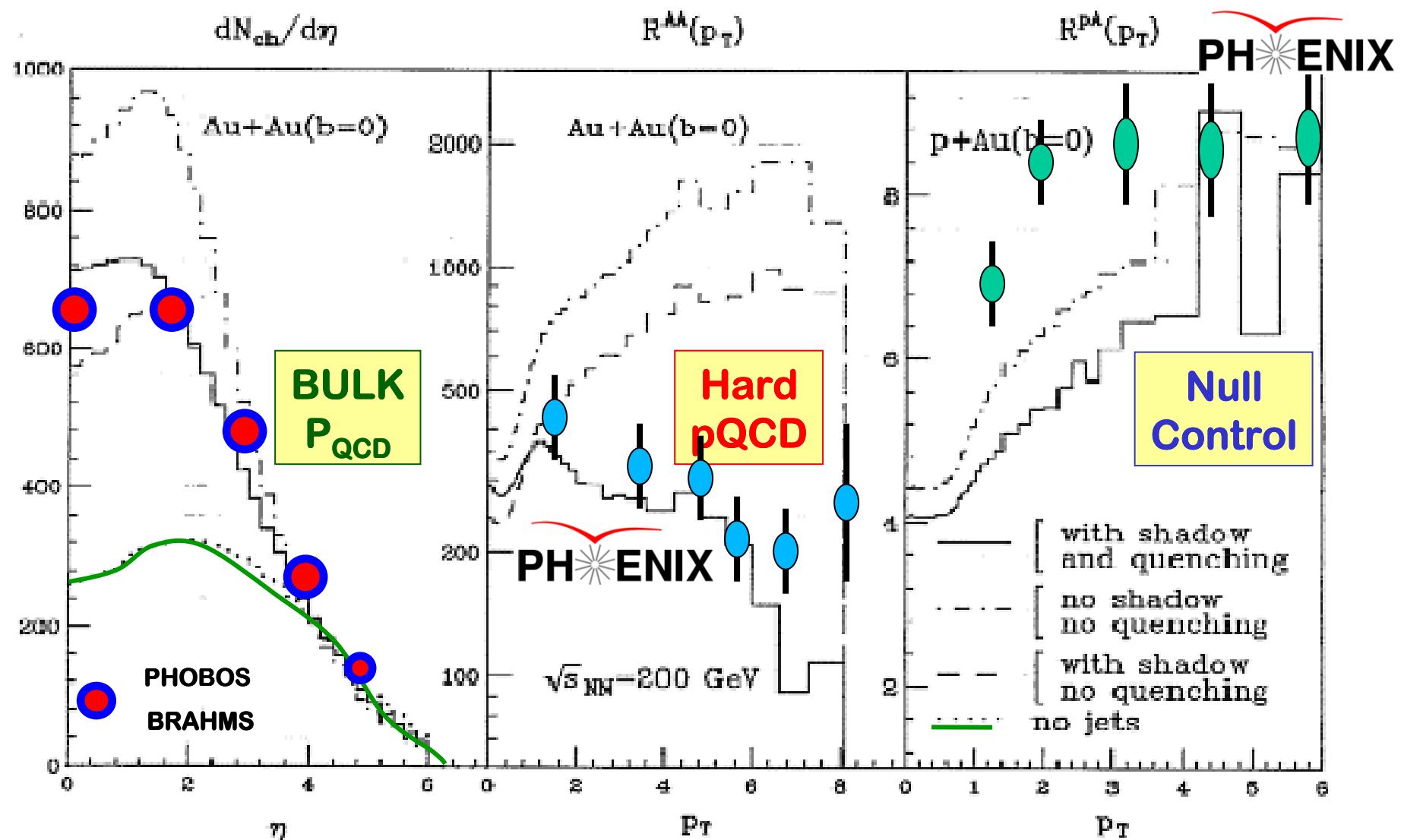
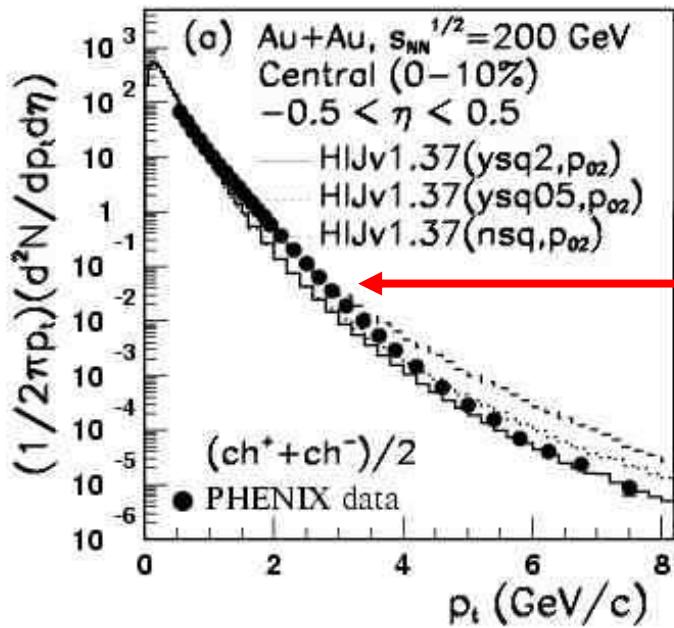
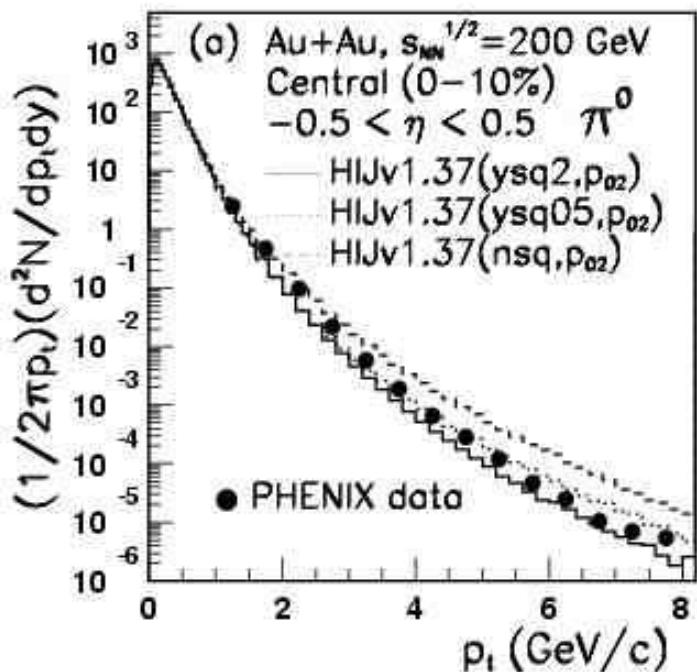


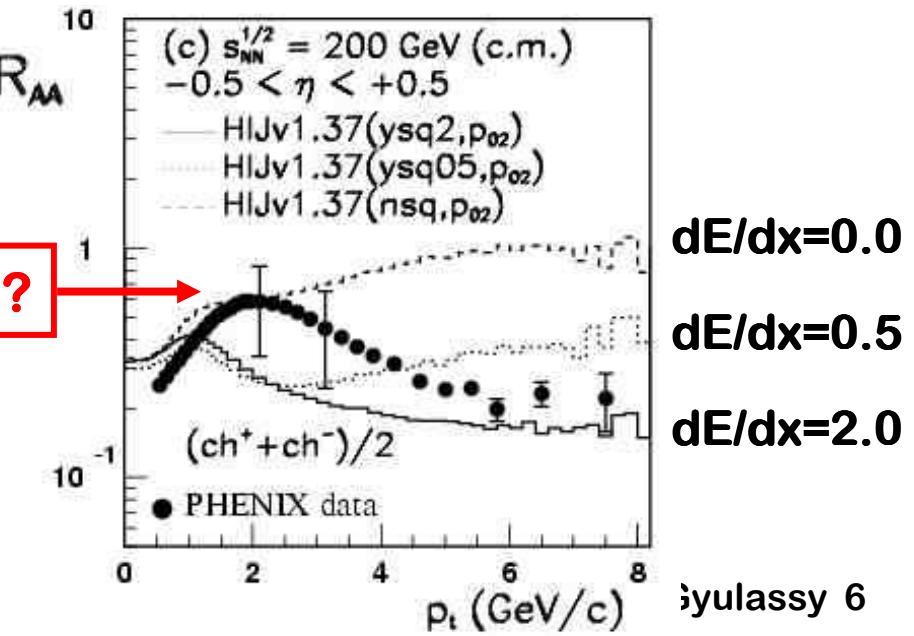
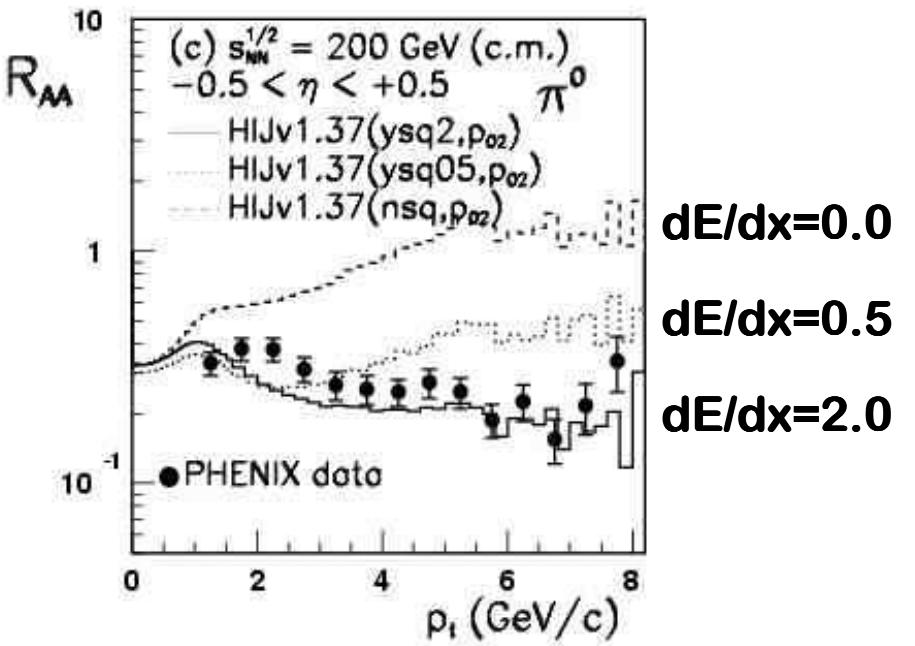
FIG. 1. Results of HIJING on the dependence of the inclusive charged-hadron spectra in central $Au + Au$ and $p + Au$ collisions on minijet production (dash-dotted line), gluon shadowing (dashed line), and jet quenching (solid line) assuming that gluon shadowing is identical to that of quarks and $dE/dt = 2 \text{ GeV/fm}$ with $\lambda_s = 1 \text{ fm}$. $R^{AA}(p_T)$ is the ratio of the inclusive p_T spectrum of charged hadrons in $A + B$ collisions to that of $p + p$.

Mini-Jet quenching and the Baryon anomaly

V.Topor Pop et al, nucl-th/0209089v4



K? p?



What is a Quark Gluon Plasma?

How will we recognize it in the lab
if we don't know what it looks like?

We need an operational QGP definition !

My 3 Part Definition of a QGP

1. A form of **matter** (many body dynamical system) with a unique set of **Bulk** (collective) phenomena and **partonic** diagnostics
2. which are **calculable** in the deconfined (**Colored**) quark-gluon basis of QCD
3. And which can be **turned on or off** via **Control** experiments

Examples of **NON-QGP** systems in QCD

- | | |
|-------------------------------------|---------------------------------|
| 1. $e+e^- \rightarrow q \bar{q}, g$ | 2 ok but not 1 |
| 2. $p+p \rightarrow \pi, K, p$ | 2 ok but not 1 |
| 3. $e+A \rightarrow \text{jets}$ | 2 ok but not 1 |
| 4. Nucleus A | 1 ok but not 2 |
| 5. SIS,AGS res. gas | 1 ok but not 2 |
| 6. SPS A+A | 1 ok but 2~OK but not 3! |

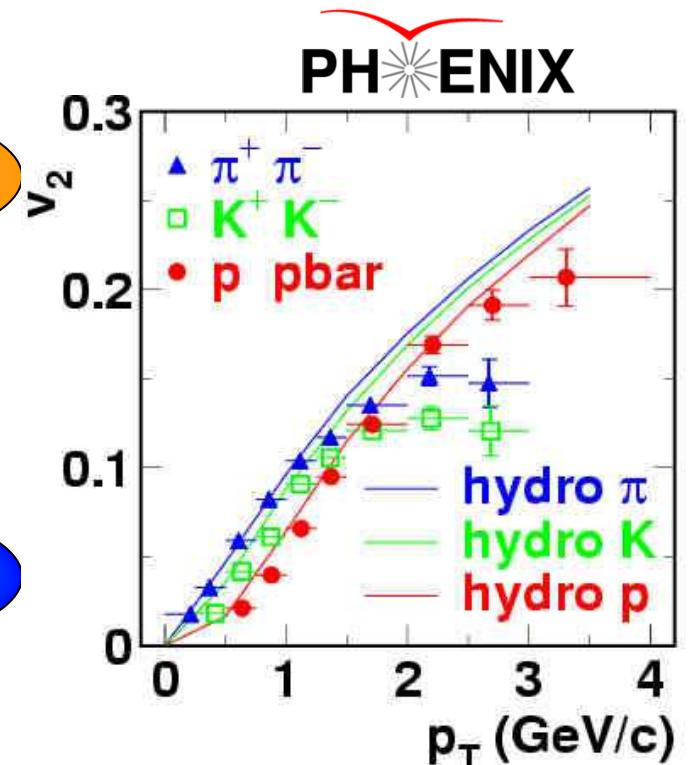
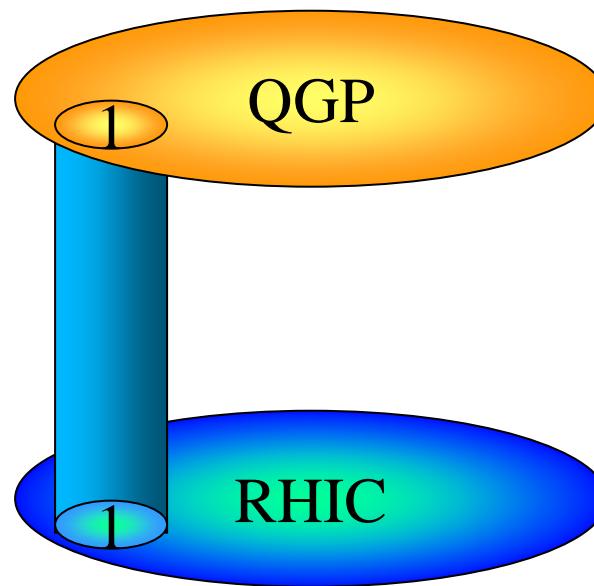
SPS AA discovered important QGP *PRE*-requisites

1. Statistical (microcanonical) phase space hadronization
 - Final Hadron degrees of freedom equilibrated (NA49)
 - Even hyperons (WA97) $T_{\text{chem}} \sim 170 \text{ MeV} \sim T_c$
2. Bulk Radial Flow $v_T \sim 0.6 c$ transverse Doppler shift (NA49)
 - Pion wind blows for a long time; Baryons windsurf
 - Conclusive evidence for Hadronic FSI
3. QCD probe $c\bar{c} \rightarrow J/\Psi$ found strongly suppressed (NA50)
 - BUT phenomenon *Failed* to turn off in p+A, S+A Control !
4. High p_T pQCD \square^0 probe *Failed* to quench due to initial state (Cronin) physics !

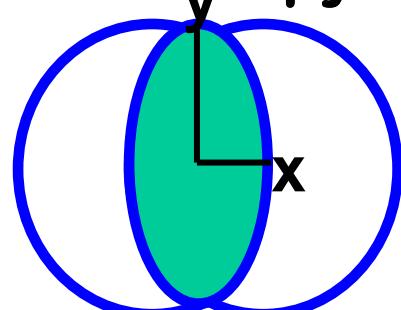
QCD parton probes at SPS failed the Null Control test of QGP

First Line of Evidence for QGP at RHIC

Bulk *Elliptic*
Collective
Flow
 P_{QCD} EOS

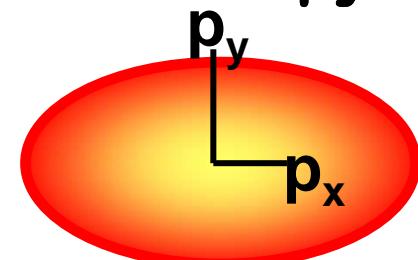


Initial *spatial*
anisotropy

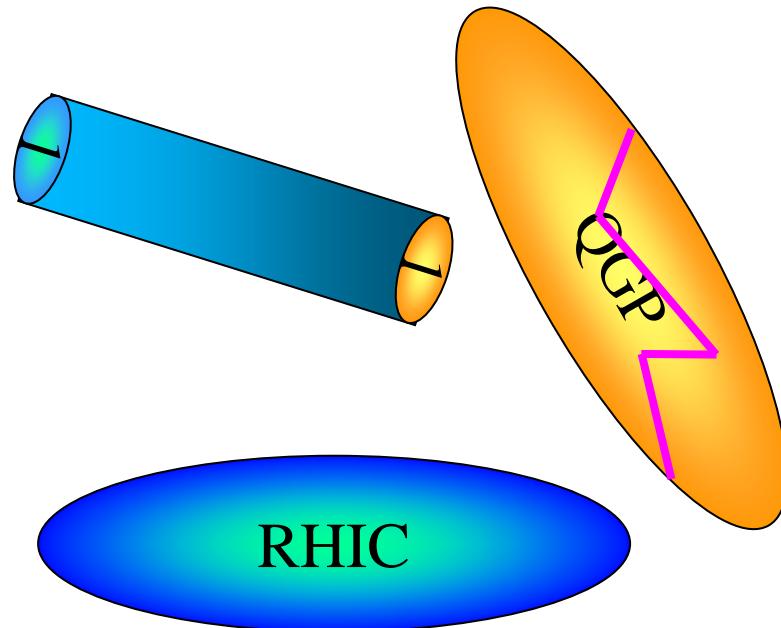


$$\partial_\mu T^{\mu\nu}(x) = 0$$

Final *momentum*
anisotropy

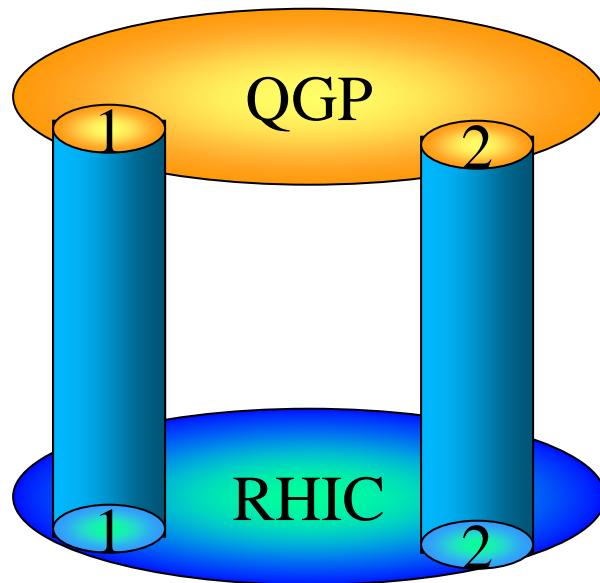
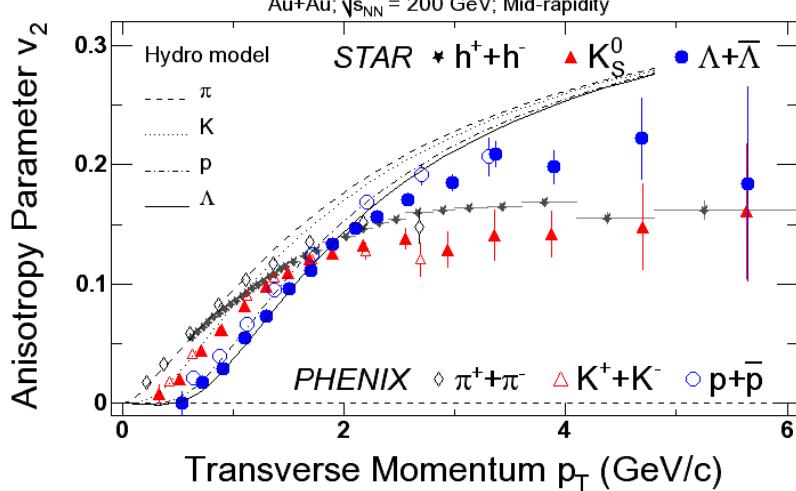


**Unfortunately
One Leg
Tables Are
Unstable!**

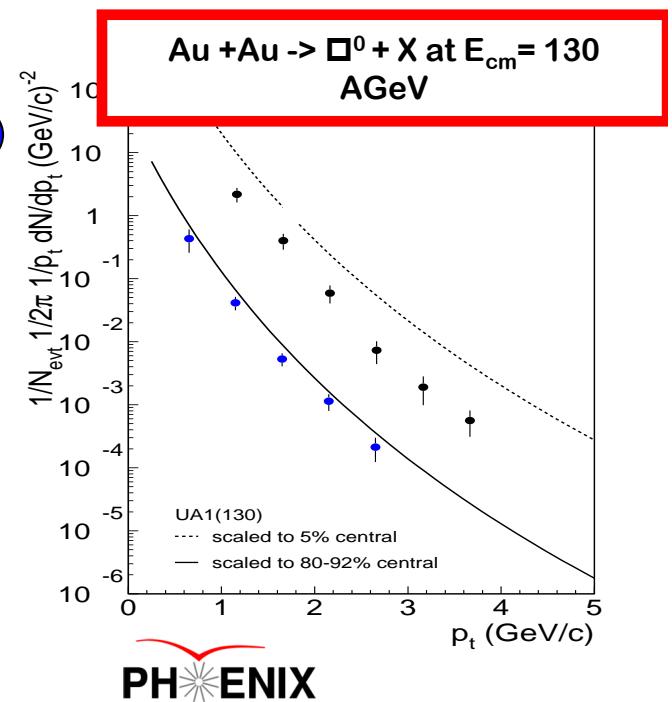


Second Line of Evidence for QGP at RHIC

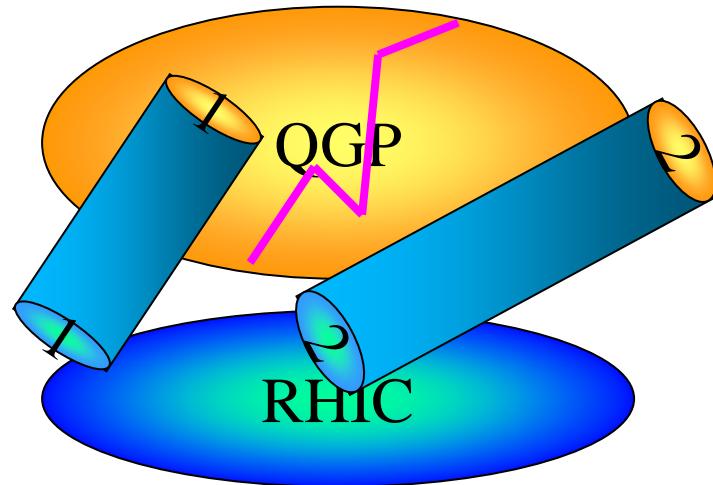
**Bulk
Elliptic
Flow**



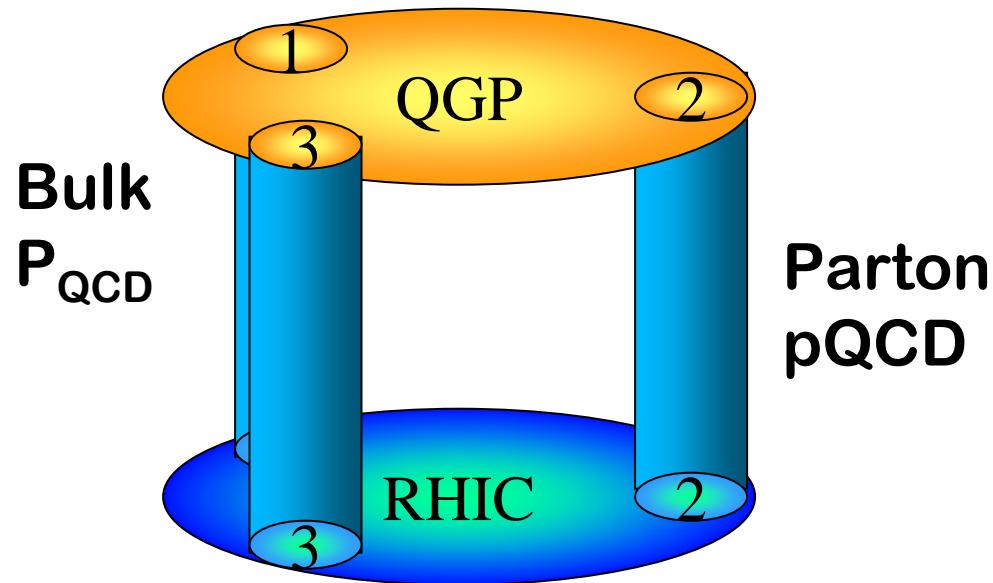
Jet Quenching



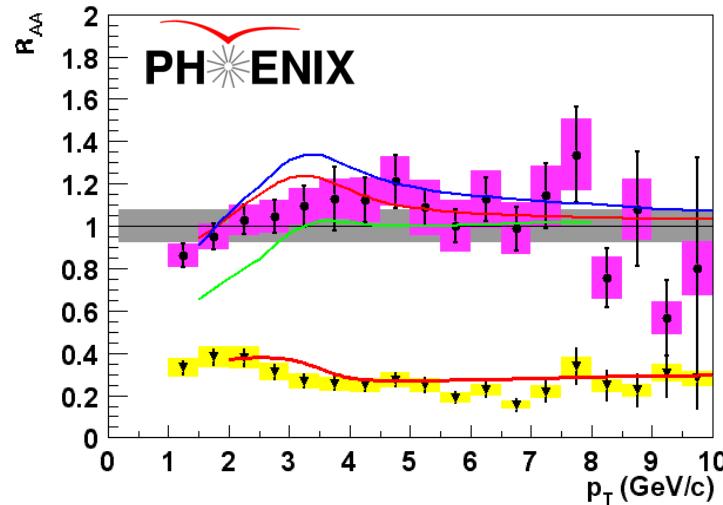
BUT
Two Legged
Tables are
STILL
Unstable!



Third Line of Evidence for QGP at RHIC



D+Au Null Control + pp Calibration

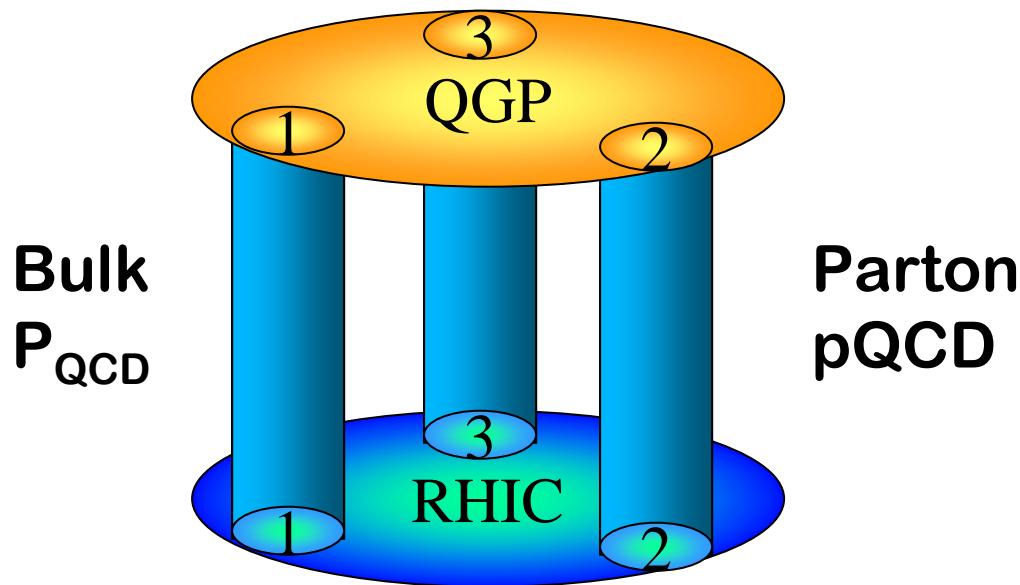


No Quench D+A !

Strong Quench A+A

Three Lines Converge to QGP at RHIC

Null Control



1. Bulk P_{QCD} Collective Elliptic Flow
2. Parton pQCD Jet dynamics
3. p+p Calibration and d+A Null Control

$$QGP = P_{QCD} + pQCD + dA = v_2 + (R_{AA} + I_{AA}) + R_{dA}$$

Outline

1. Overview of 3 convergent lines of evidence

2. Bulk Collective Flow and the QCD Equation of State

3. Parton Diagnostics: Jet Quenching

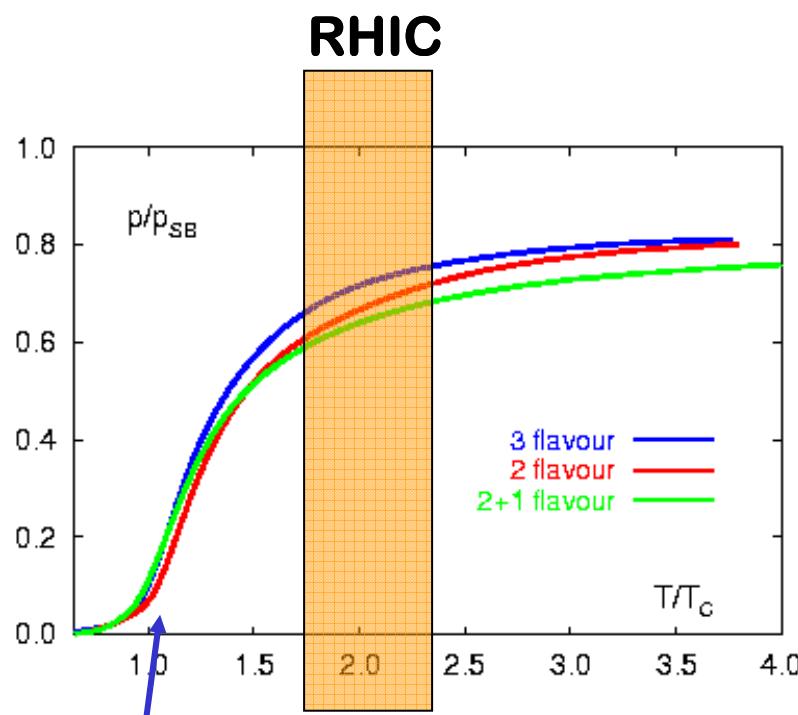
4. The D+Au Null Control

5. Conclusion: The QGP is found

The QGP Equation of State from LQCD

$$P_{\text{QCD}} \approx \frac{1}{3} K_{\text{QCD}} T^4 - B_{\text{vac}}$$

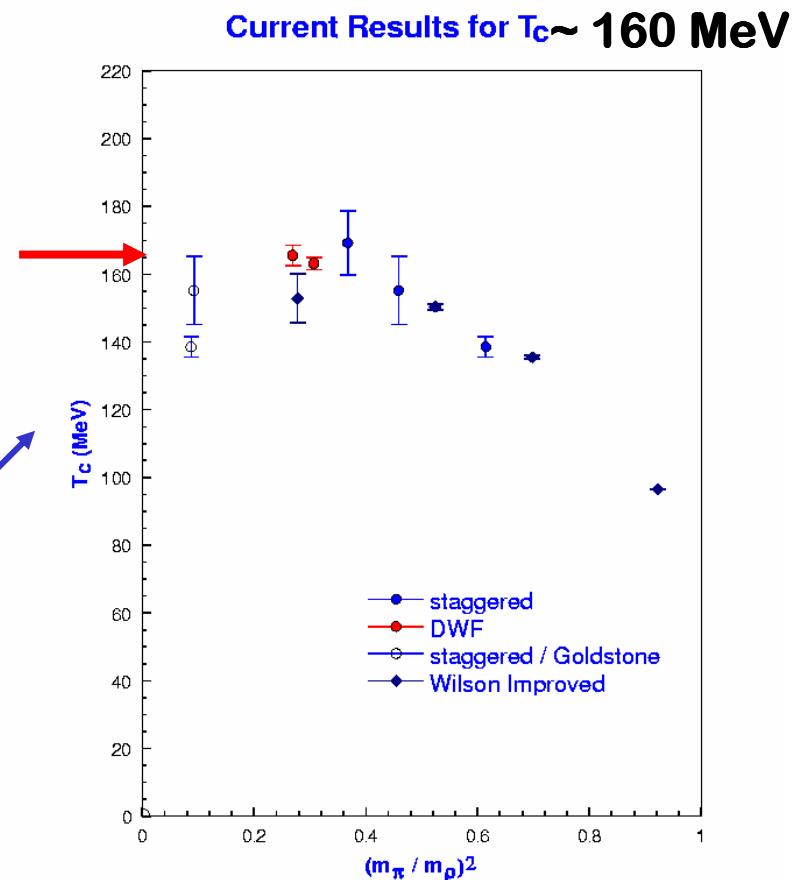
$$\epsilon_{\text{QCD}} \approx K_{\text{QCD}} T^4 + B_{\text{vac}}$$



F. Karsch et al

Goal is to test this unique prediction of QCD :

The softening of P_{QCD}
 $c_s \sim 0$ Near $T_c \sim 160$ MeV



N. Christ et al

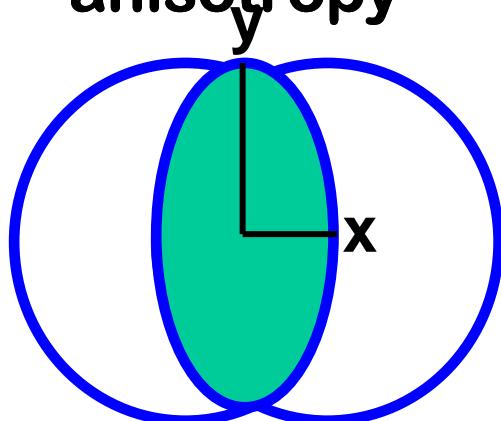
Bulk Collective Flow of QCD matter

$$\partial_\mu T^{\mu\nu} = \partial_\mu \{ u^\mu u^\nu (\varepsilon(T) + P(T)) - g^{\mu\nu} P(T) \} = 0$$

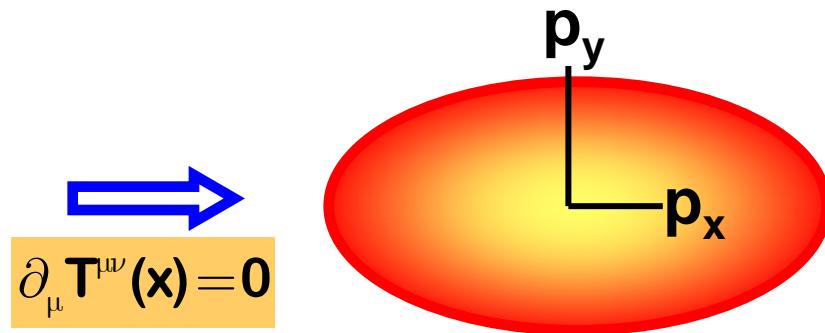
QCD EOS

H. Stocker, W. Greiner (1980)
P. Kolb, U. Heinz et al
D. Teaney, E. Shuryak et al
T. Hirano, Y. Nara

Initial *spatial*
anisotropy



Final *momentum* anisotropy



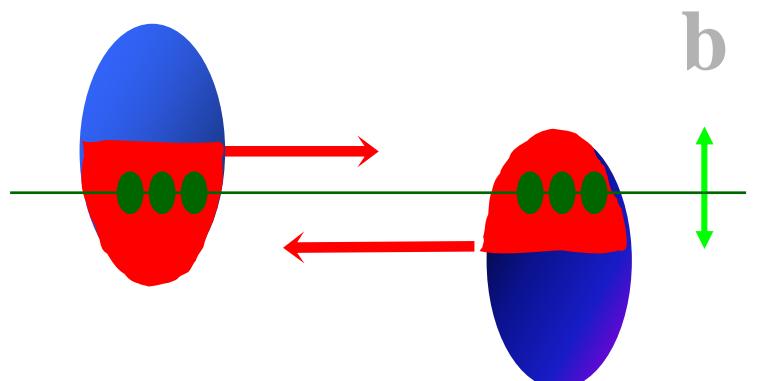
Elliptic Flow

$$\frac{dN}{dy dp_T^2 d\phi} = \rho(y, p_T) \{ 1 + 2 v_2(p_T) \cos(2\phi) + \dots \}$$

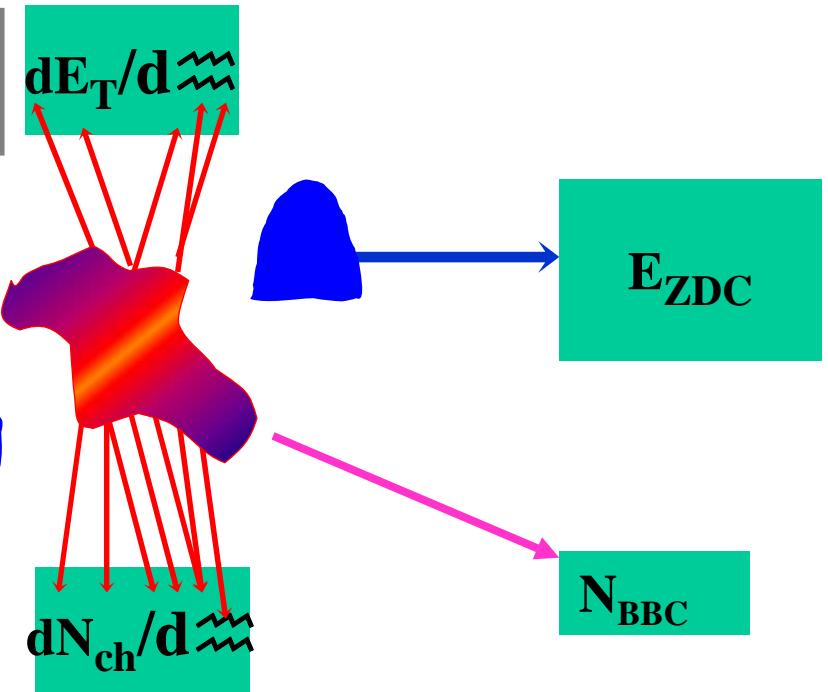
The Nuclear Geometry Experimental Knob

Initial Geometry

$$N_{\text{part}}(b) = 2 \int d^2s T_A(s + \frac{b}{2}) (1 - e^{-\sigma T_A(s - \frac{b}{2})})$$



Experimental Handles



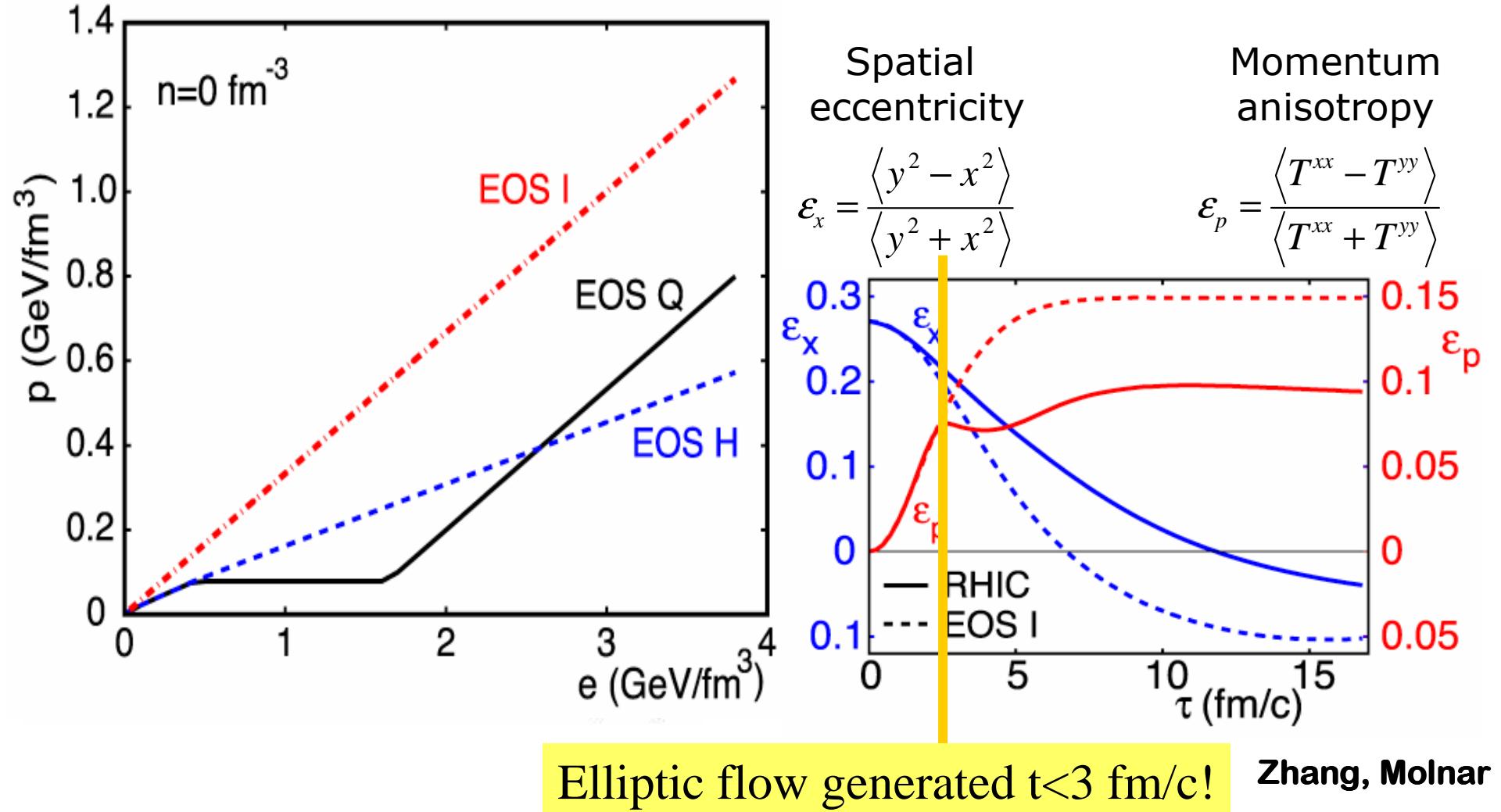
$$T_A(b) = \int dz \rho_A(z, b) \approx 2\rho_0 \sqrt{R^2 - b^2}$$

$$T_{AB}(b) = \int d^2s T_A(s + \frac{b}{2}) T_B(s - \frac{b}{2})$$

$$N_{\text{coll}}(b) = \sigma T_{AA}(b) \underset{\sim}{\sim} \frac{\sigma A^2}{\pi R^2} \sim A^{4/3} \sim 1100$$

Time evolution of asymmetry in non-central collisions

P.F.Kolb, J. Sollfrank and U. Heinz, PRC 62 (2000) 054909

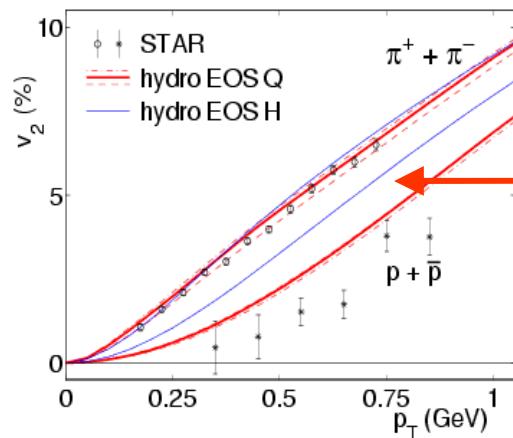
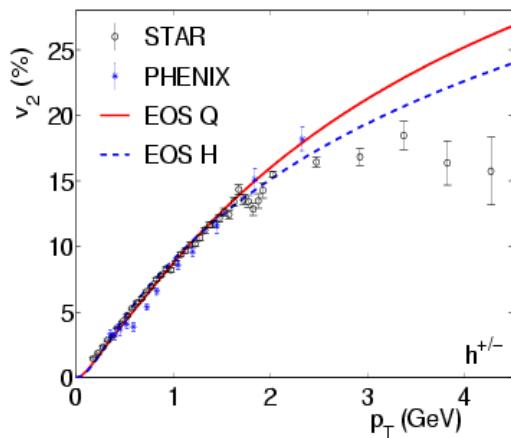


Observed Elliptic Flow at RHIC saturates hydro limit

$$\partial_\mu T^{\mu\nu} = \partial_\mu \{ u^\mu u^\nu (\epsilon(T) + P(T)) - g^{\mu\nu} P(T) \} = 0$$

P.Kolb U. Heinz, et al,
D.Teany, E. Shuryak et al
T. Hirano, Y. Nara

strong elliptic flow v_2 , $v_2(p_T \leq 2 \text{ GeV})$ exhausts hydrodynamic prediction

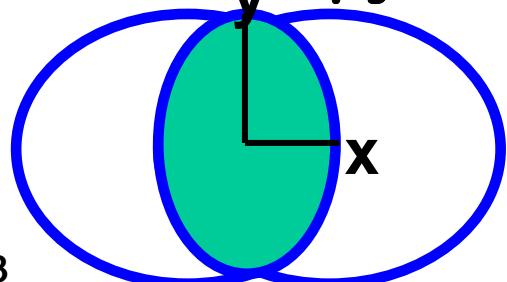


The most sensitive Barometric probe of the QCD Equation of State $P(T)$

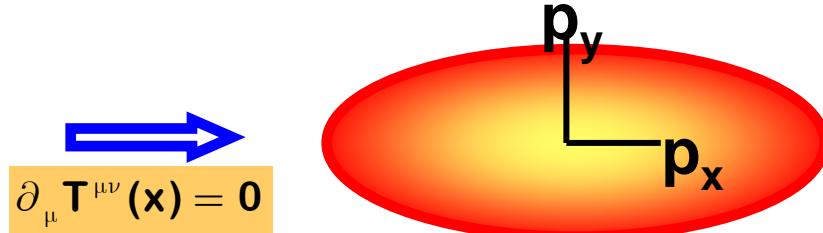
M_h dependent $v_2(p_T)$

STAR Coll., PRL 86 (2001) 402; 87 (2001) 182301; PHENIX Coll., nucl-ex/020400512 and QM 2001

Initial *spatial* anisotropy



Final *momentum* anisotropy



$$\partial_\mu T^{\mu\nu}(x) = 0$$



Identified Particle Elliptic Flow in Au+Au Collisions at $\sqrt{s_{NN}} = 130$ GeV
C. Adler *et al.* Phys. Rev. Lett. **87**, 182301 (2001).

PHENIX

Elliptic Flow of Identified Hadrons in Au+Au Collisions at $\sqrt{s_{NN}} = 200$ GeV
nucl-ex/0305013 v1 16 May 2003

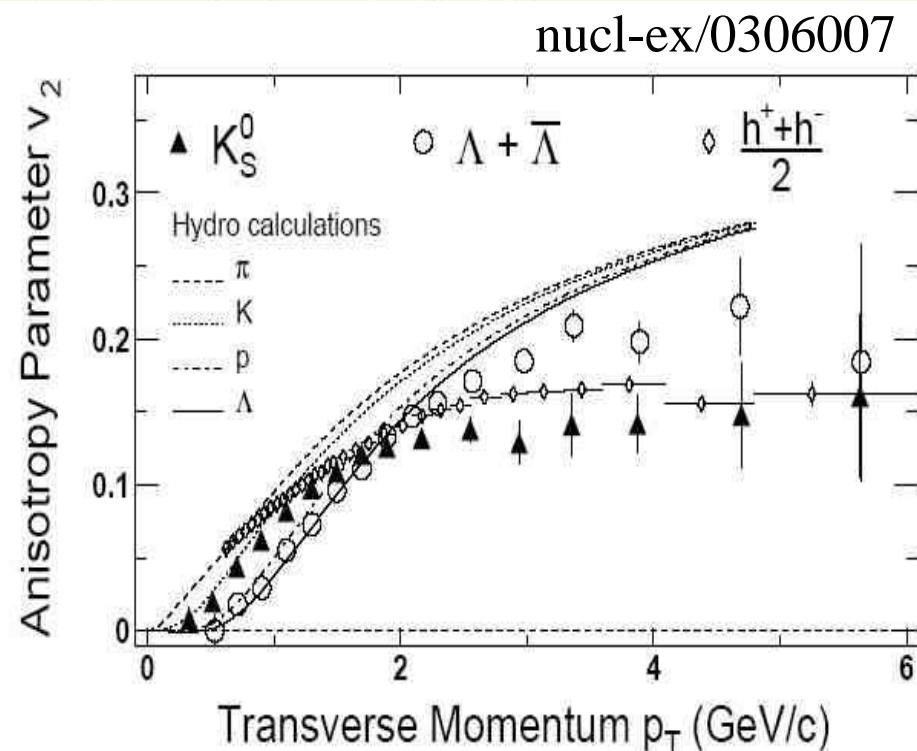
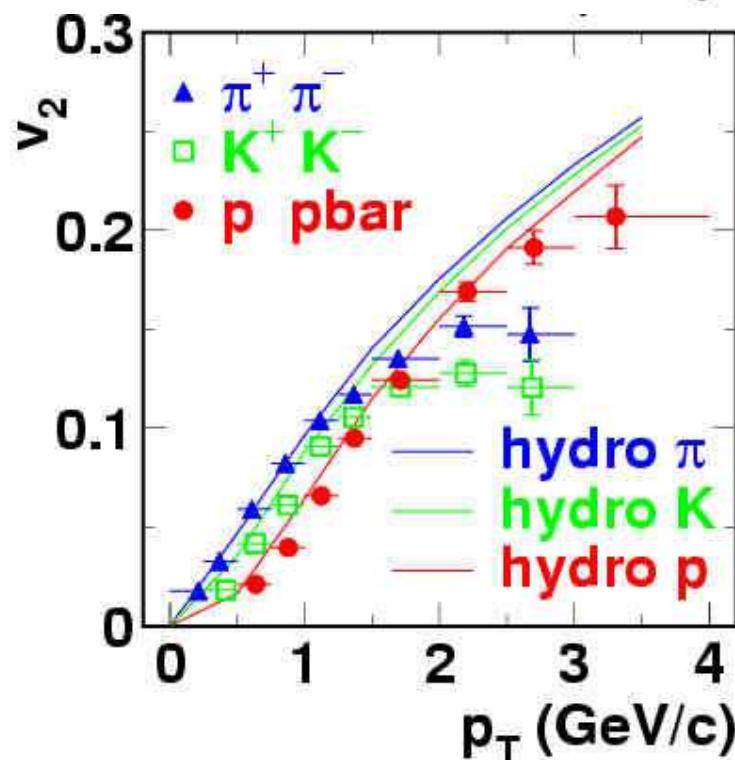
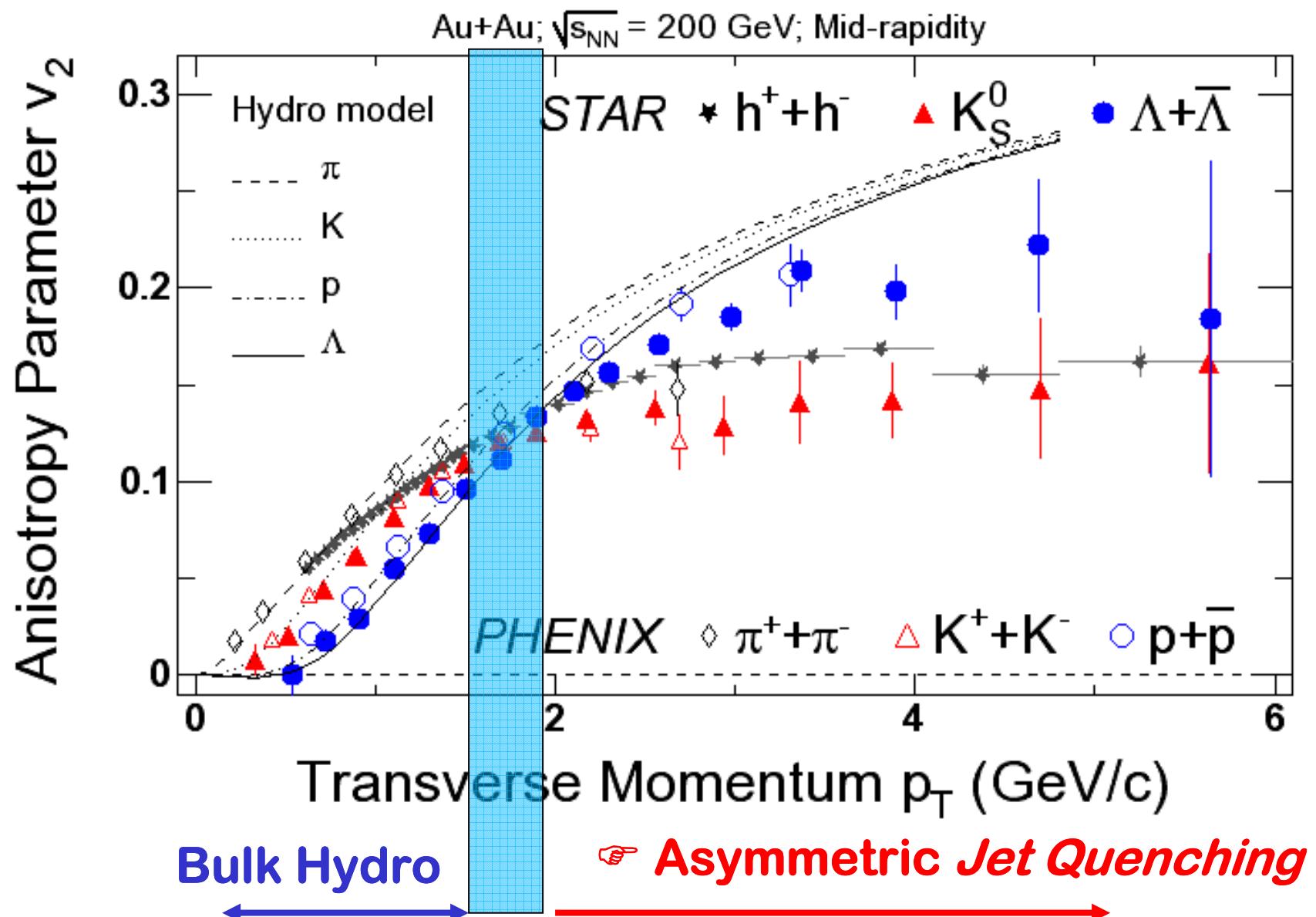
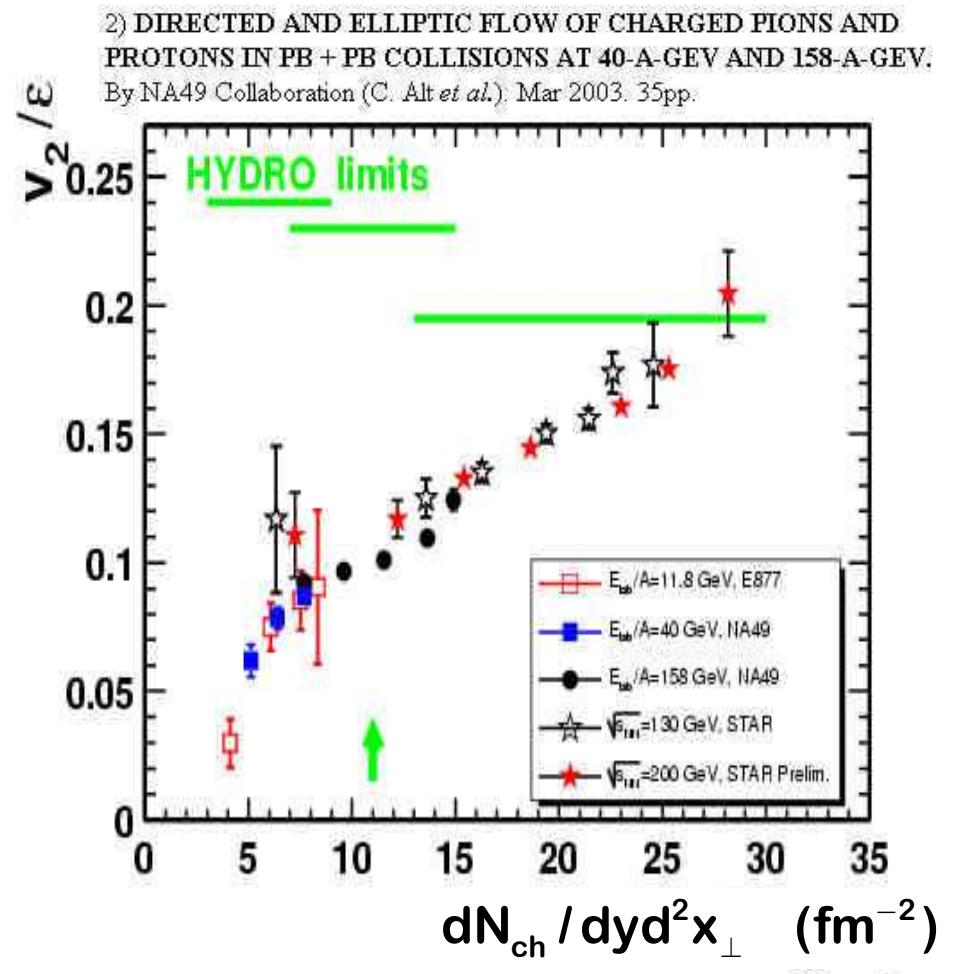
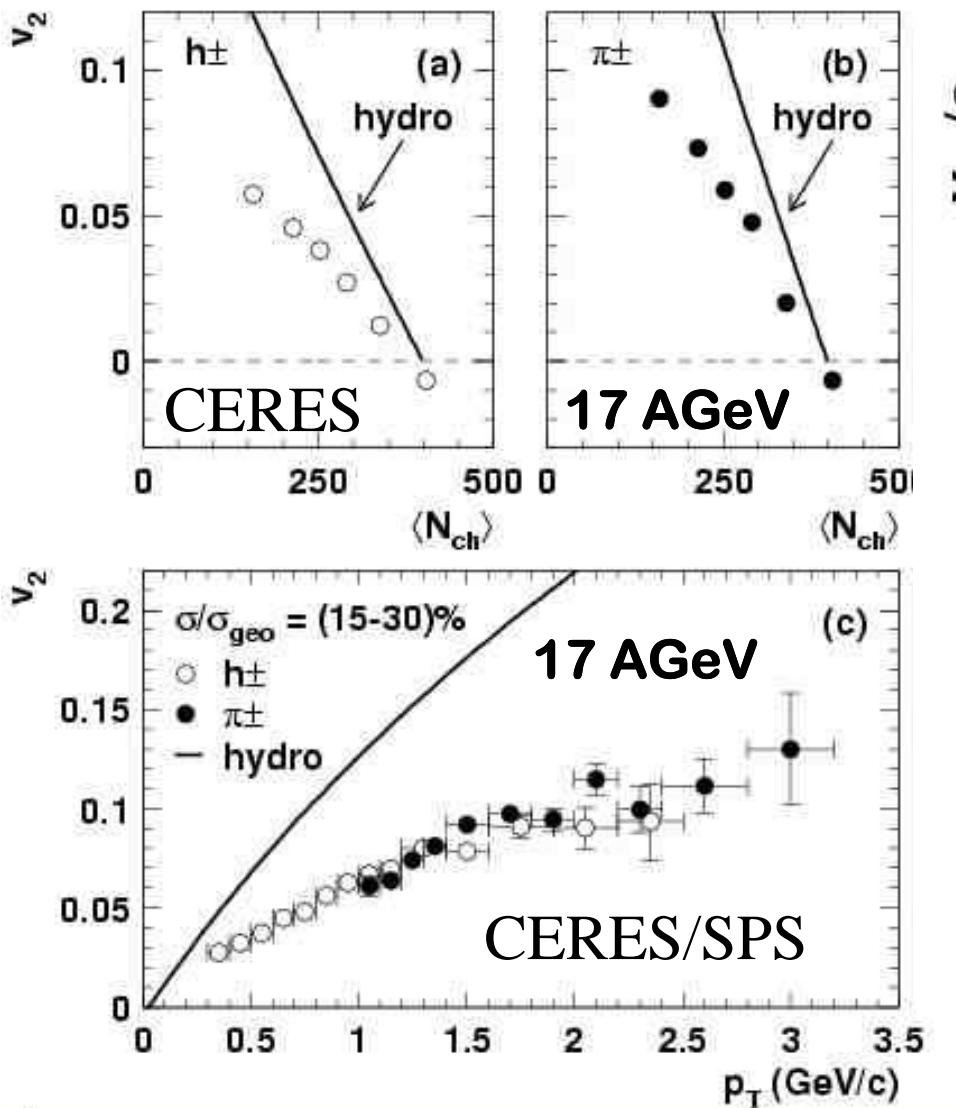


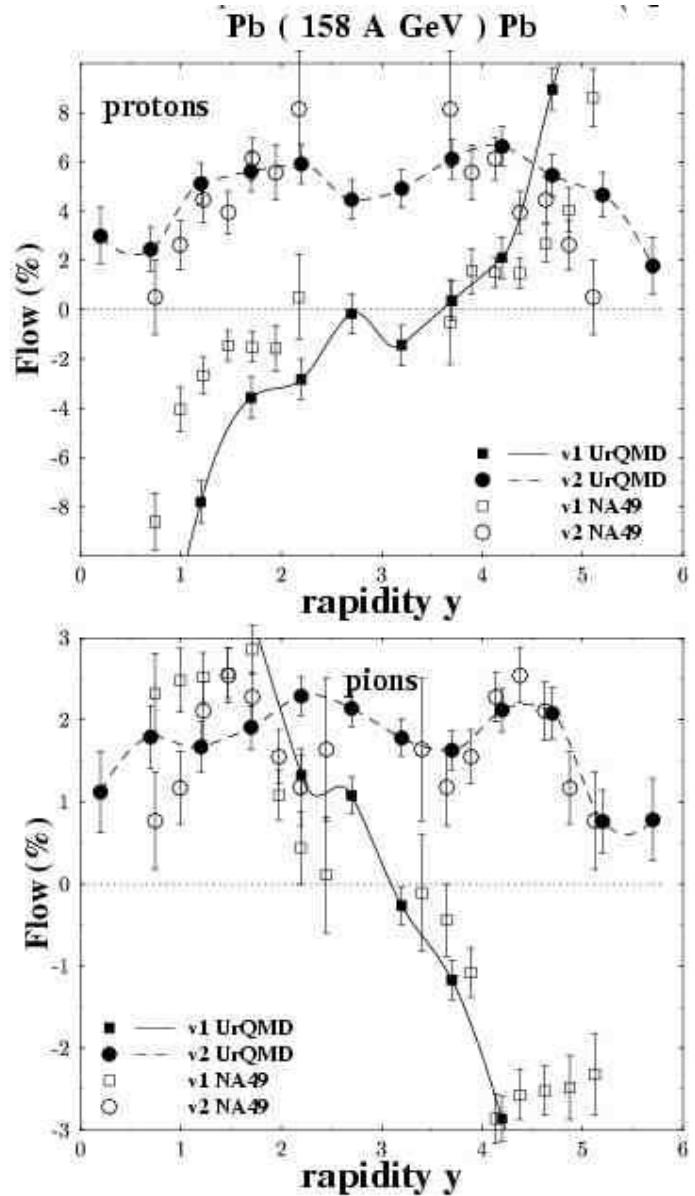
FIG. 1: The minimum-bias (0–80% of the collision cross section) $v_2(p_T)$ for K_S^0 , $\Lambda + \bar{\Lambda}$ and h^\pm . The error bars shown are statistical only. Hydrodynamical calculations of v_2 for pions, kaons, protons and lambdas are also plotted [10].



Below RHIC energies, QCD hydro over-predicts elliptic flow!

$v_2(E_{\text{cm}})$ \longrightarrow QGP hydro for the *FIRST* time at RHIC!

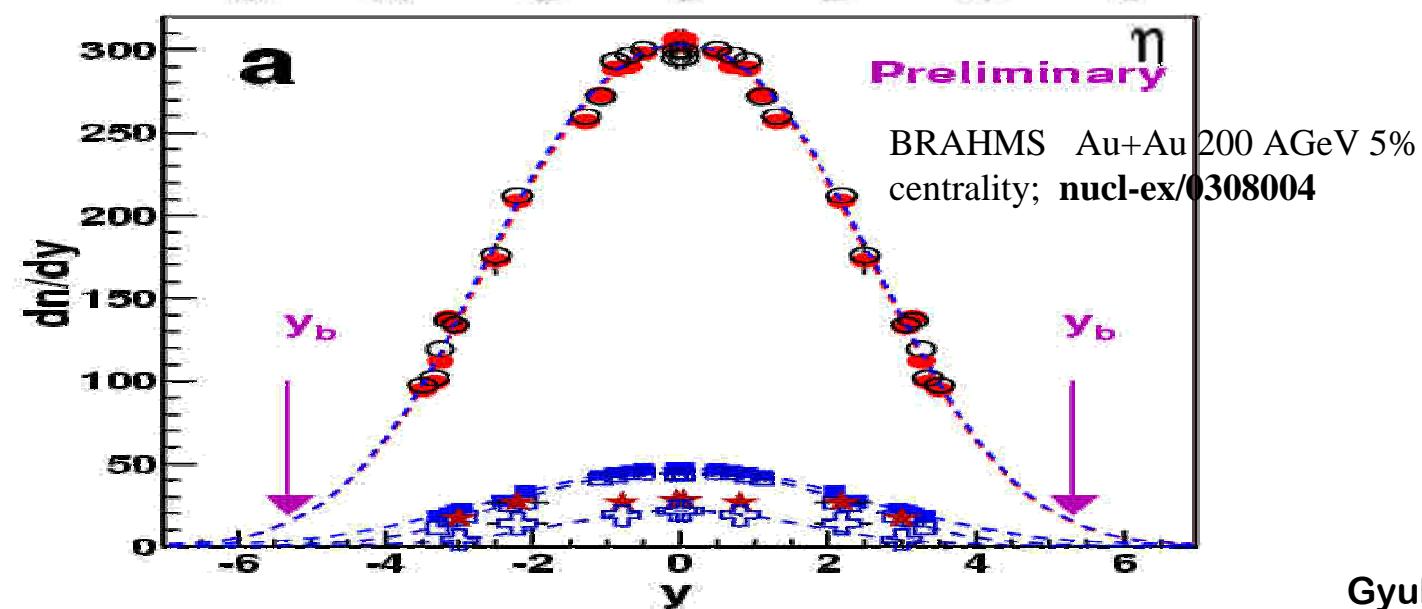
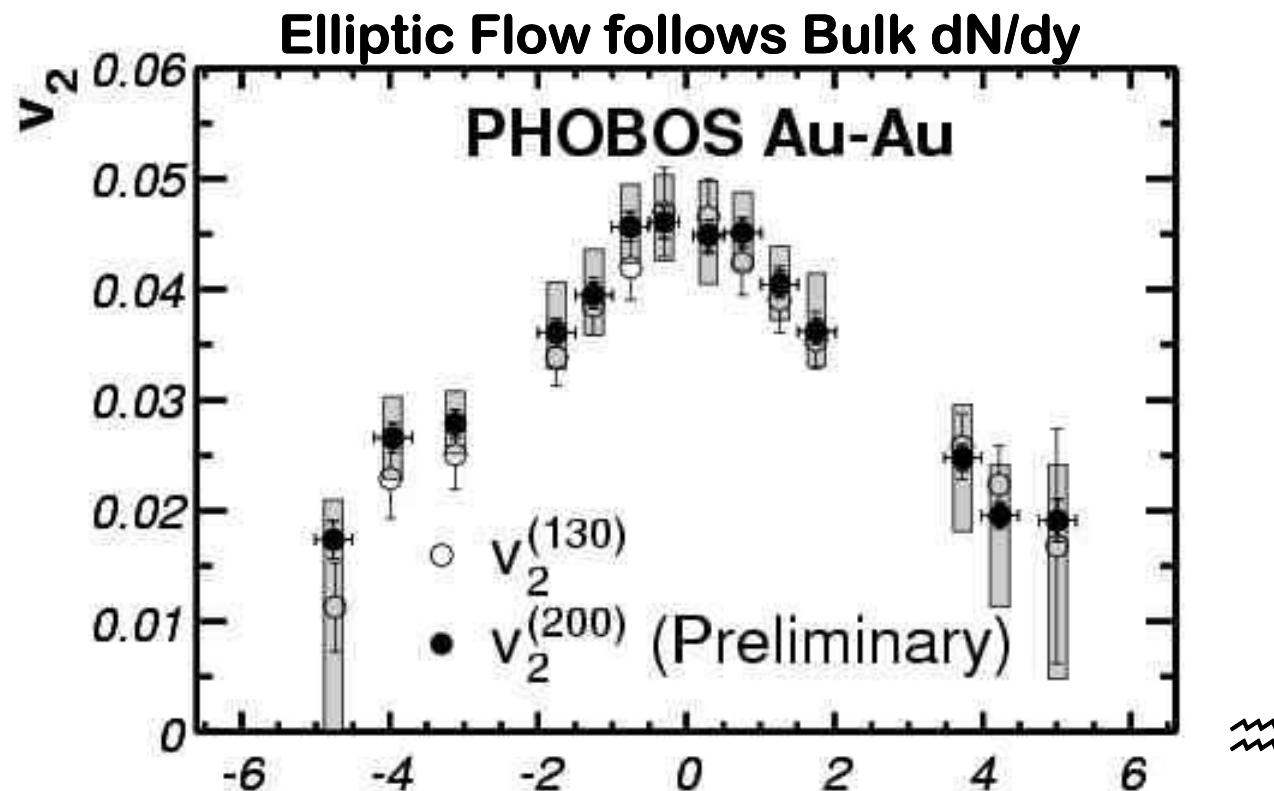




S.Soff, S.A. Bass, M. Bleicher,
H.Stoecker, Walter Greiner
nucl-th/9903061

Resonance/String Transport
UrQMD explains SPS
Sub-Hydro Flows v1 and v2

FIG. 2. Flow parameters v_1 and v_2 as a function of rapidity for protons (upper diagram) and charged pions (lower diagram). Open symbols are data and full symbols display the UrQMD results



Summary Part I:

- 1) BULK Elliptic azimuthal flow of 1000's of pions in non-central A+A is found at all energies, AGS, SPS, RHIC
- 2) However, only above 130 AGeV does the collective flow reach the hydrodynamic limit ($dN_{ch}/dyd^2r > 25/fm^2$)
- 3) The hadron flavor dependence of $v_2(p_T)$ requires soft QCD equation of state $c_s \sim 0$ for $T \sim T_c \sim 160$ MeV

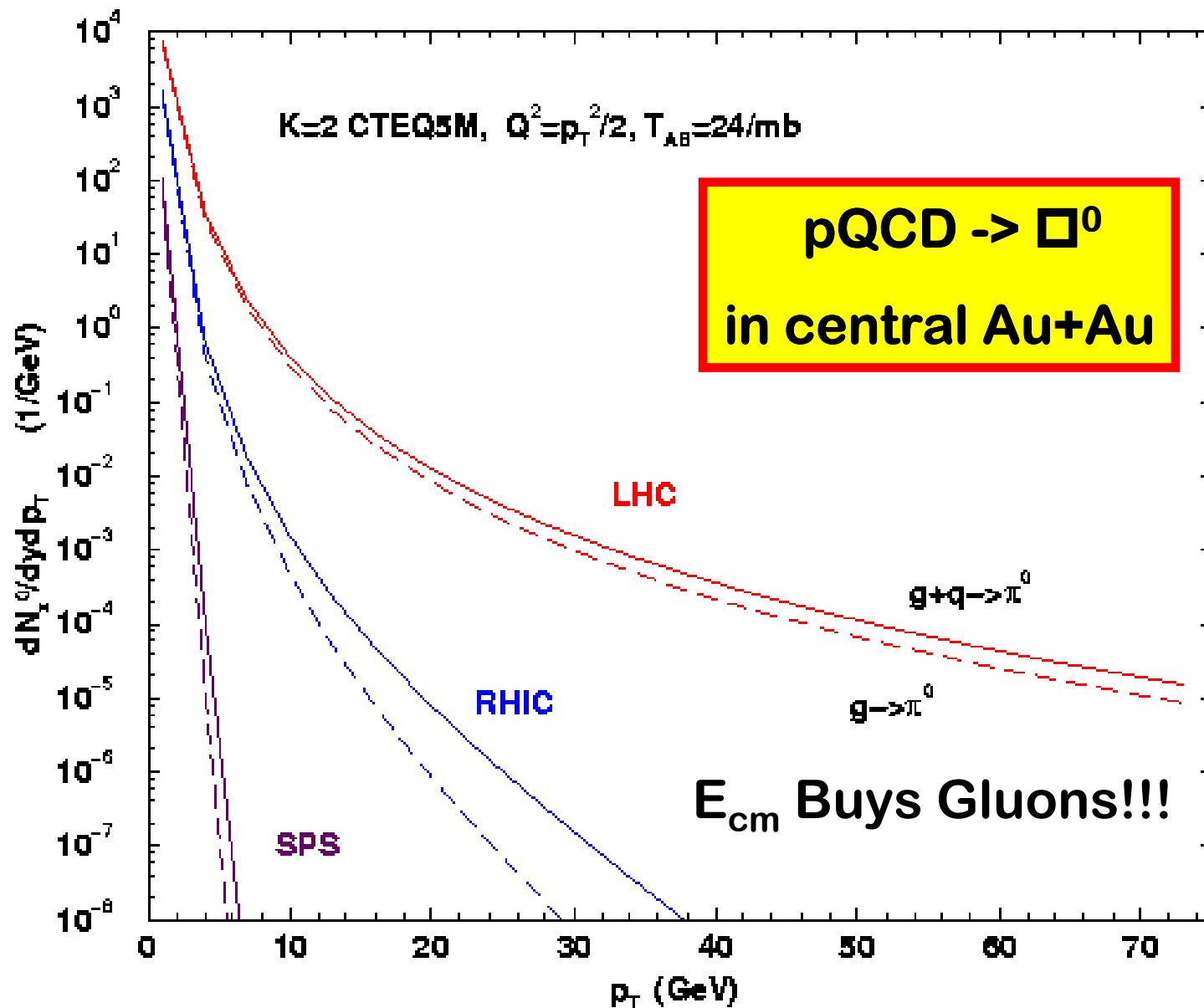
Is this the evidence for the production of equilibrated QGP?

How can we know if quark gluon degrees of freedom are relevant?

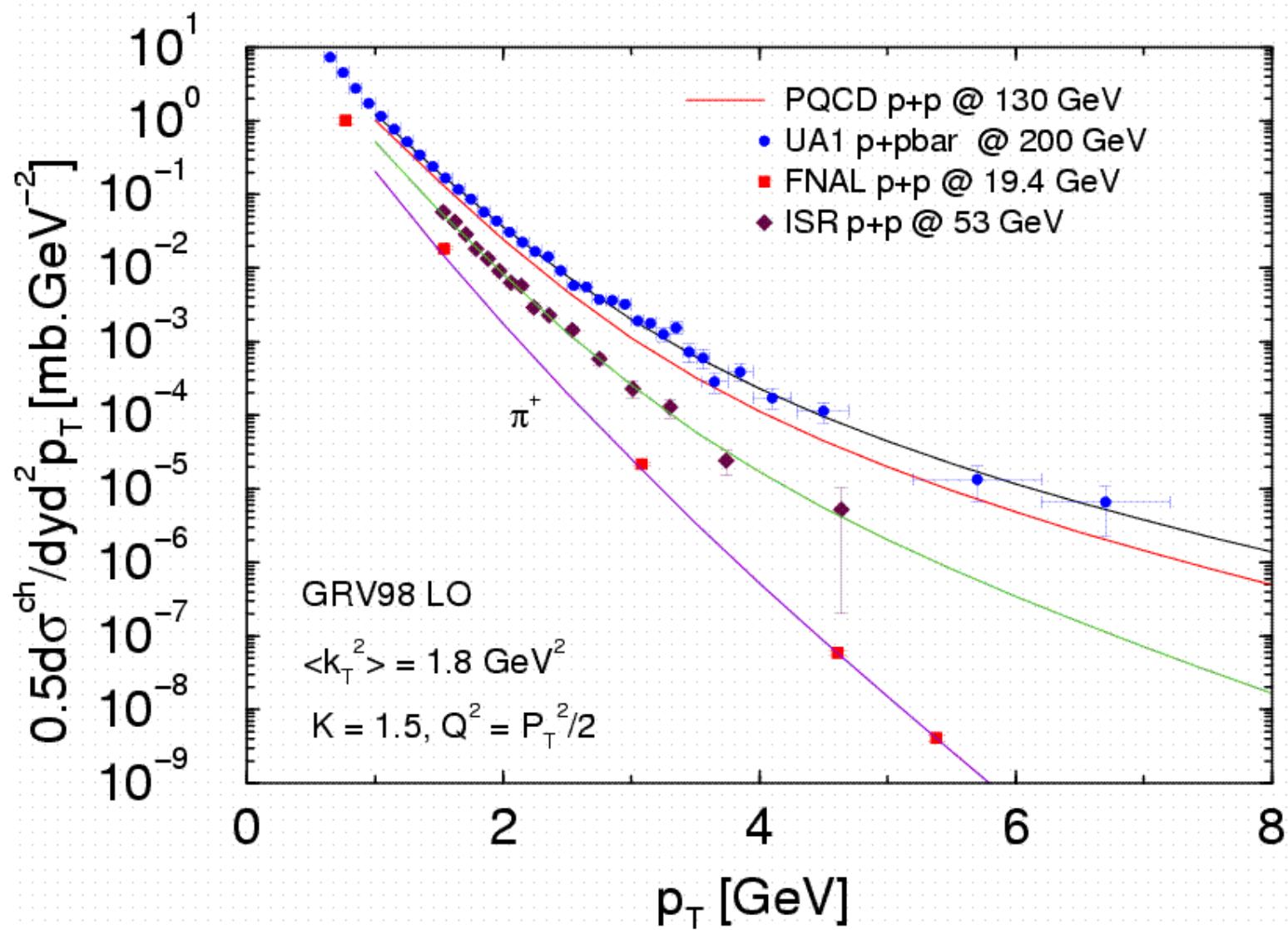
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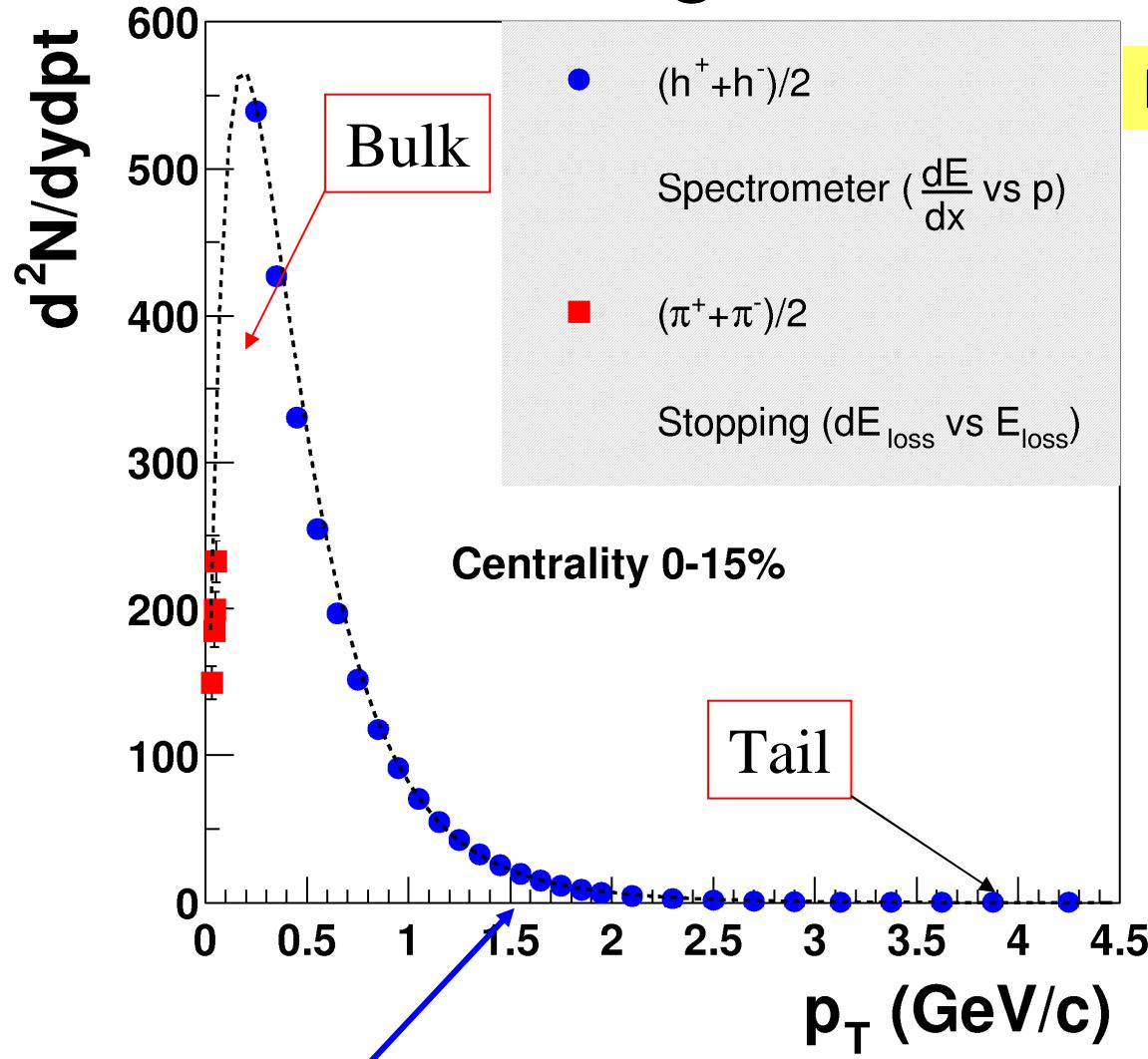
$\text{Au+Au } (b < 3) \rightarrow \pi^0$ $\sqrt{s} = 20, 200, 5500 \text{ AGeV}$



pQCD Calibration to p+p Baseline



p_T Distribution of Charged Particles

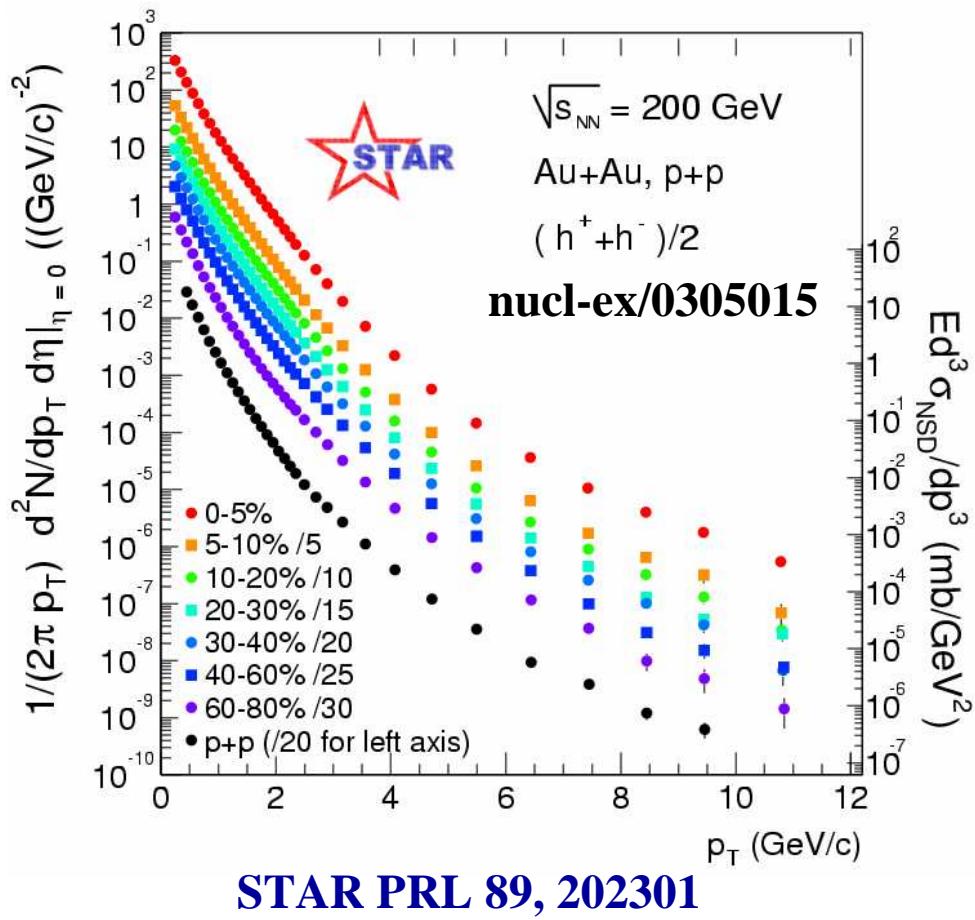
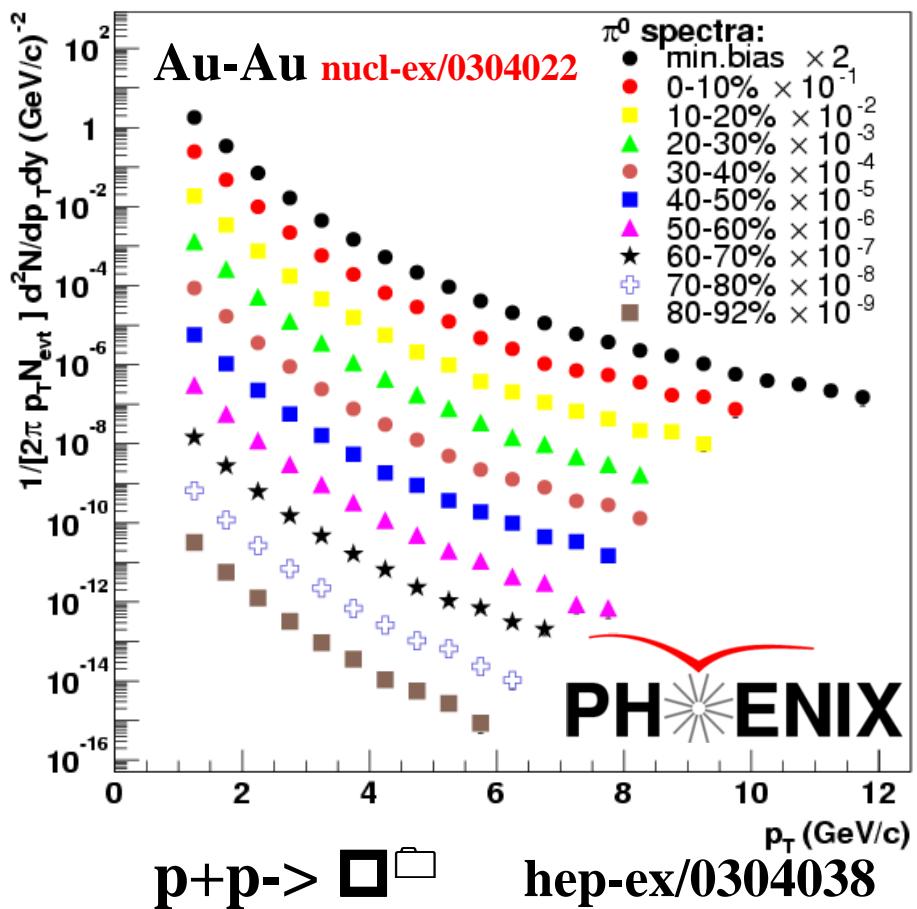


Phobos Preliminary

G.Roland

We can use this tiny calibrated pQCD tail to probe the QGP Bulk!

The high p_T window at RHIC is now wide open



Pion Quenching at 200 AGeV

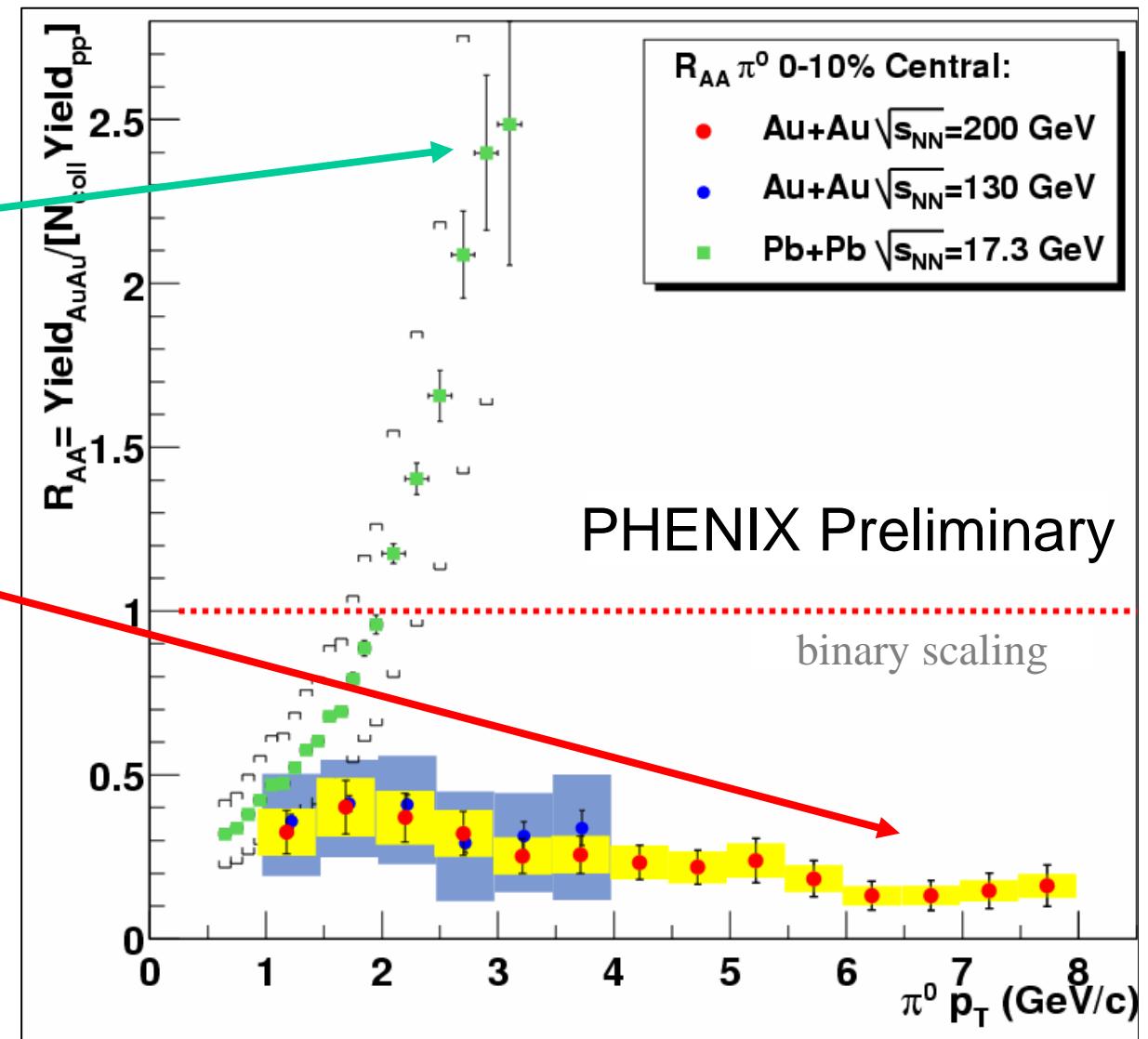
PHENIX

$$B^{VV}(b^L) = \frac{\langle N_{\text{hadrons}}^{\text{primary}} \rangle (q_s Q^{\text{bb}} / q b^L q V Q_{\text{bb}}^{\text{inelastic}})}{\langle N_{\text{hadrons}}^{\text{event}} \rangle (q_s N_{VV} / q b^L q V)} =$$

D. d'Enterria QM02

SPS – “Cronin” effect

RHIC – “Jet Quenching”

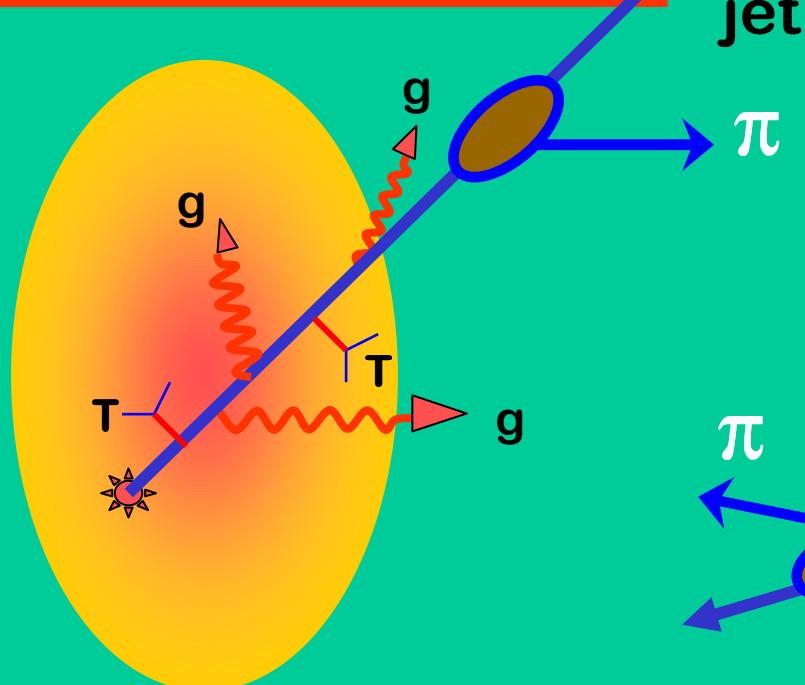


Jet Quenching and Tomography

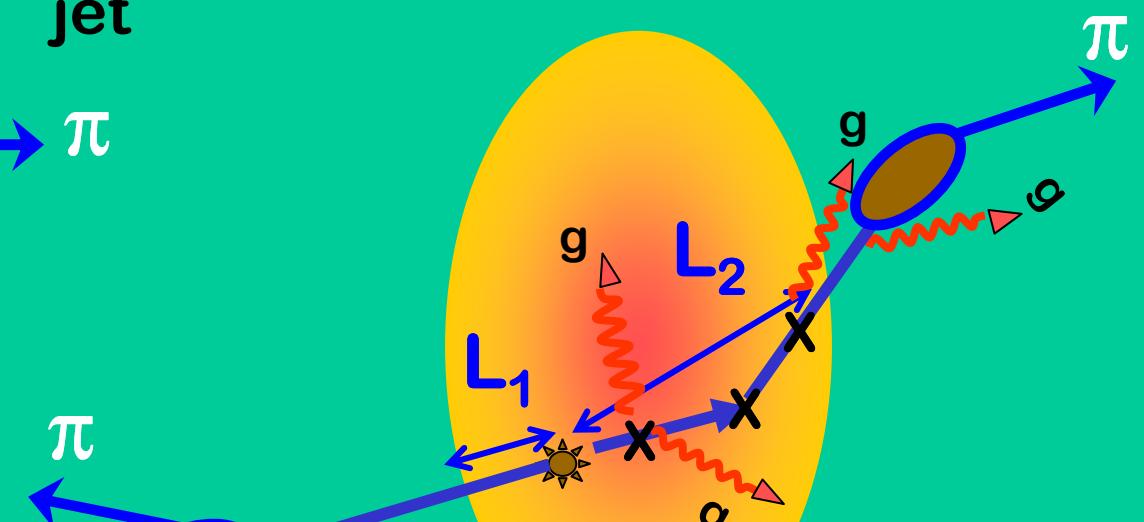
Ivan Vitev, Peter Levai, Xin-Nian Wang, MG

Reviewed in nucl-th/0302077

Single Hadron Tomography



Di-Hadron Tomography



$$L(\phi) \frac{1}{\pi R^2} \frac{dN}{dy}$$

$$\Delta E_{GLV} \sim C_{\text{jet}} C_T \alpha_s^3 \ln \frac{p_T}{\mu^2 L} \int d\tau \tau \rho(\tau, r(\tau))$$

Non-abelian Radiative Energy Loss

QCD Bethe-Heitler

QGP Multiple Collision

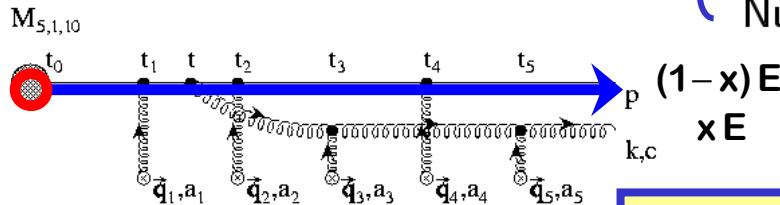
“Thick” Plasma Limit

$$\Delta E = \alpha \sqrt{\omega_c E} \sim 10 \text{ GeV} \left(\frac{L}{5 \text{ fm}} \right)$$

$$E < \omega_c = \left\langle \frac{q^2}{\lambda} \right\rangle \frac{L^2}{2} \approx 60 \text{ GeV}$$

“Thin” Plasma Limit

L/λ_g Opacity Expansion



- G. Bertsch, F. Gunion, Phys. Rev. **D25** 746 (1982)
- M. Gyulassy, X.-N. Wang, Nucl. Phys. **B420** 583-614 (1994); Phys. Rev. **D51** 3436-3446 (1995)

- R. Baier, Yu. Dokshitzer, A. Mueller, S. Peigne, D. Schiff, Nucl. Phys. **B483** 291-320 (1997); Phys. Rev. **C58** 1706-1713 (1998)

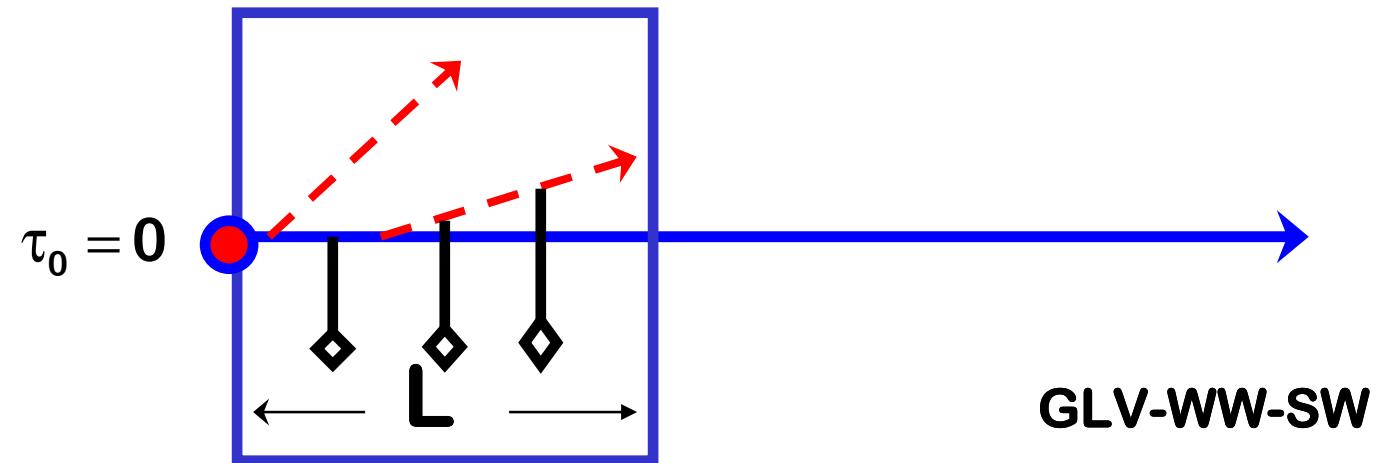
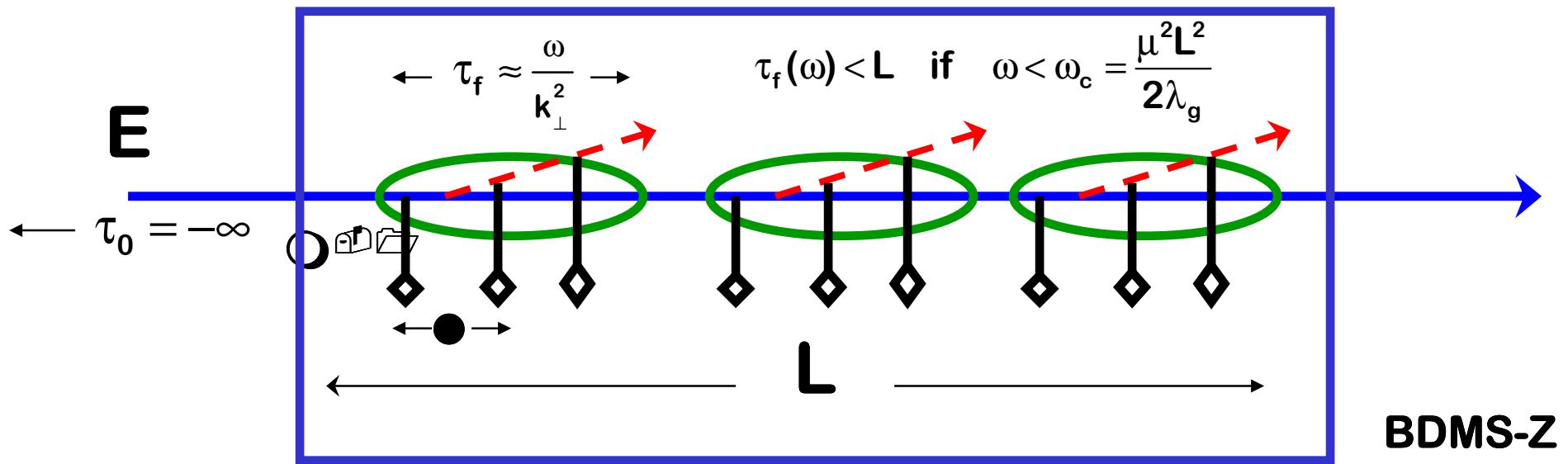
- B. Zakharov, JETP Lett. **65** 615-620 1997, JETP Lett. **73** 49-52 (2001)

- M. Gyulassy, P. Levai, **Ivan Vitev NPB 595** 371-419 (2001); Phys. Rev. Lett. **85** 5535-5538 (2000) **Phys.Lett.B538:282-288,2002**

- U. Wiedemann, Nucl. Phys. **B588** 303-344 (2000), Nucl. Phys. **B582** 409-450 (2000)

$$\Delta E^{(1)} \approx \frac{9}{4} \alpha_s^3 \pi C_R \left(\frac{1}{\pi R^2} \frac{dN_g}{dy} \right) \left\{ \text{Log} \frac{2E}{\mu^2 L} \right\} L(\phi)$$

Thick vs Thin Plasma dE/dx



Gluon Double Differential Distributions to All Orders in Opacity

1. Add up all Direct and Virtual FSI at order $\left(\frac{L}{\lambda_g}\right)^n$
2. Use GLV Reaction Operator Formalism to solve recursion relations algebraically

Screened Yukawa

$$x \frac{dN^{(n)}}{dx dk^2} = \frac{C_R \alpha_s}{\pi} \frac{1}{n!} \left(\frac{L}{\lambda_g}\right)^n \prod_{i=1}^n \int d\mathbf{q}_i \left[\frac{\mu_i^2}{\pi} (\mathbf{q}_i^2 + \mu_i^2)^{-2} - \delta^2(\mathbf{q}_i) \right]$$



$$\Delta z_k = z_k - z_{k-1} \sim \frac{L}{n+1}$$

LPM effect →

$$\left(\cos \left(\sum_{k=2}^j \omega_{(k, \dots, n)} \Delta z_k \right) - \cos \left(\sum_{k=1}^j \omega_{(k, \dots, n)} \Delta z_k \right) \right)$$

where

$$\omega_{(j, \dots, n)} = \frac{(k - q_j - \dots - q_n)^2}{2xE}$$

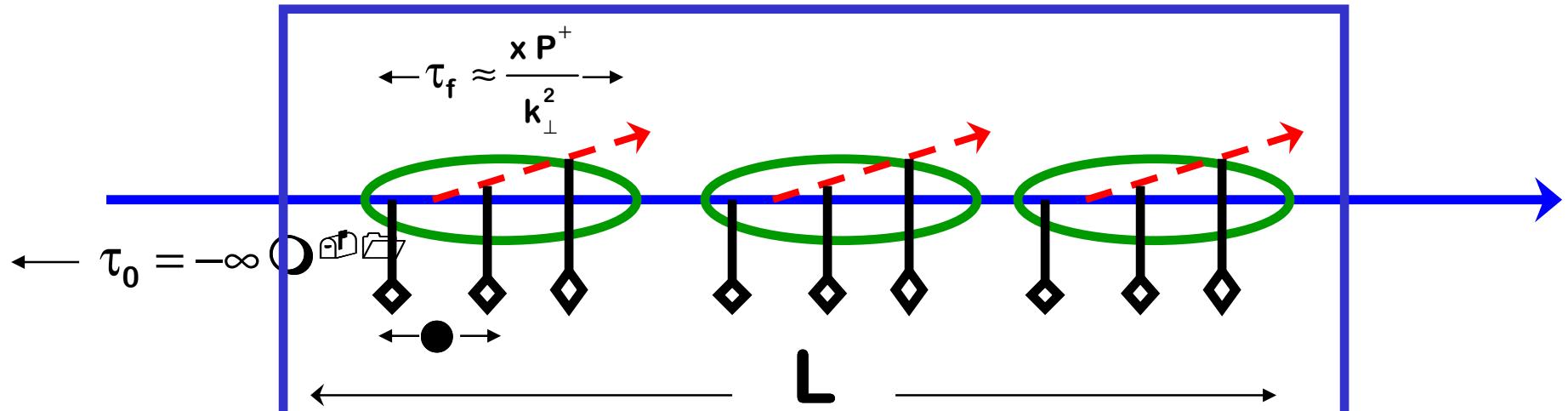
Inverse Formation Times

$$\mathbf{C}_{(j, \dots, n)} = \frac{k - q_j - \dots - q_n}{(k - q_j - \dots - q_n)^2}$$

Scatt amplitudes

$$\mathbf{B}_{(j+1, \dots, n)(j, \dots, n)} = \mathbf{C}_{(j+1, \dots, n)} - \mathbf{C}_{(j, \dots, n)}$$

BDMPS-Z Asymptotic Approach to dE/dx



If $L \gg \tau_f \gg \lambda \gg \mu^{-1}$, then $\langle k_\perp^2 \rangle \approx \mu^2 \frac{\tau_f}{\lambda_g}$, $\tau_f \approx \sqrt{x P^+ \lambda_g / \mu^2}$

$$N_{coh} = \frac{L}{\tau_f}, \text{ and } x \frac{dN_g}{dx} \sim C_R \alpha_s N_{coh} \sim C_R \alpha_s \left(\frac{\mu^2 / \lambda_g}{x P^+} \right)^{\frac{1}{2}} L$$

If $\tau_f \gg L \gg \lambda \gg \mu^{-1}$, then $\langle k_\perp^2 \rangle \approx \mu^2 \frac{L}{\lambda_g}$, $\tau_f \approx x P^+ \lambda_g / (\mu^2 L)$

$$N_{coh} = 1, \text{ and } x \frac{dN_g}{dx} \sim C_R \alpha_s \quad \text{for } x > x_{fac} = \frac{\mu^2 L^2}{P^+ \lambda_g}$$

Initial Jet distribution $\rho_g(p) = \frac{dN_g}{dy d^2p} \sim \frac{c}{p^{n-7}}$

No medium Pion distribution $\rho_\pi(p_\pi) = \int_{p_\pi}^\infty \frac{dp}{p} \rho_g(p) D_{\pi/g}(z = \frac{p_\pi}{p})$

In medium $p \rightarrow p - \Delta p(p) \approx p(1-\varepsilon)$

$$D(z) \rightarrow D'(z) = \frac{\theta(1-\varepsilon-z)}{1-\varepsilon} D\left(z' = \frac{z}{1-\varepsilon}\right)$$

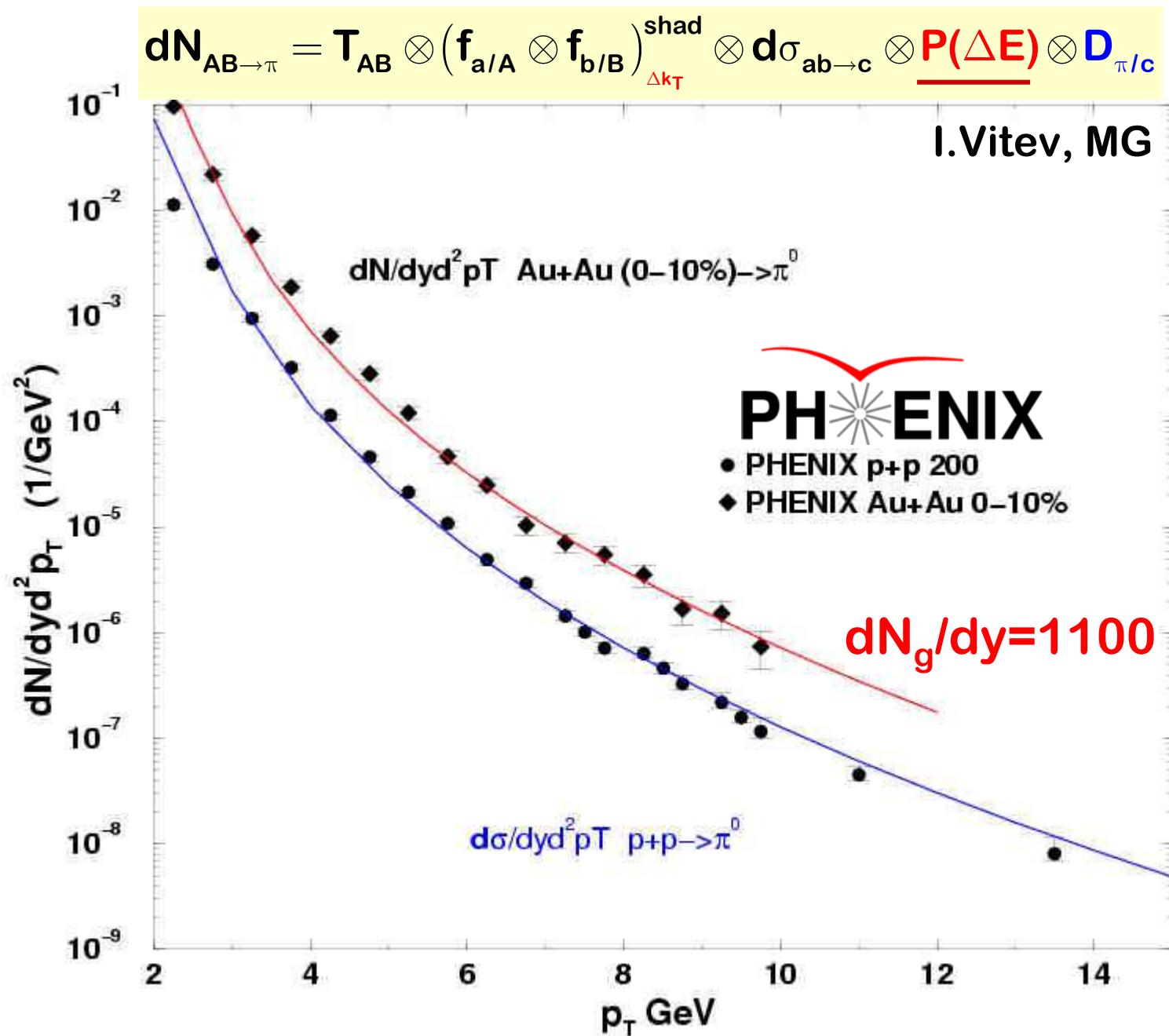
Quenched Pions $\rho_\pi(p_\pi, \varepsilon) = \int_{\frac{p_\pi}{(1-\varepsilon)}}^\infty \frac{dp}{p} \rho_g(p) \frac{1}{(1-\varepsilon)} D_{\pi/g}(z' = \frac{p_\pi}{p(1-\varepsilon)})$

For $\rho_g(p) \propto 1/p^n$: $\rho_\pi^{\text{quenched}}(p_\pi) = \langle (1-\varepsilon)^{n-2} \rangle \rho_g(p_\pi)$

Quench Factor $S = \frac{\langle \rho_\pi(p, \varepsilon) \rangle}{\rho_\pi(p, 0)} = \langle (1-\varepsilon)^{n-2} \rangle = (1-Z \langle \varepsilon \rangle)^{n-2}$

Fluctuations reduce ΔE by factor $Z \sim 0.5$

GRV
EKS
BKK
GLV

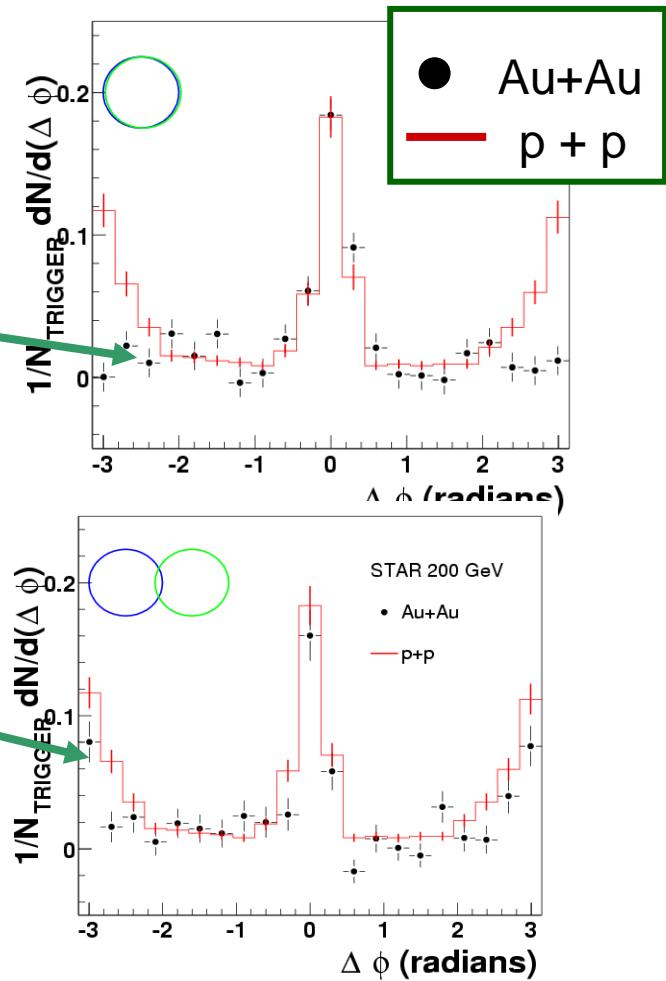
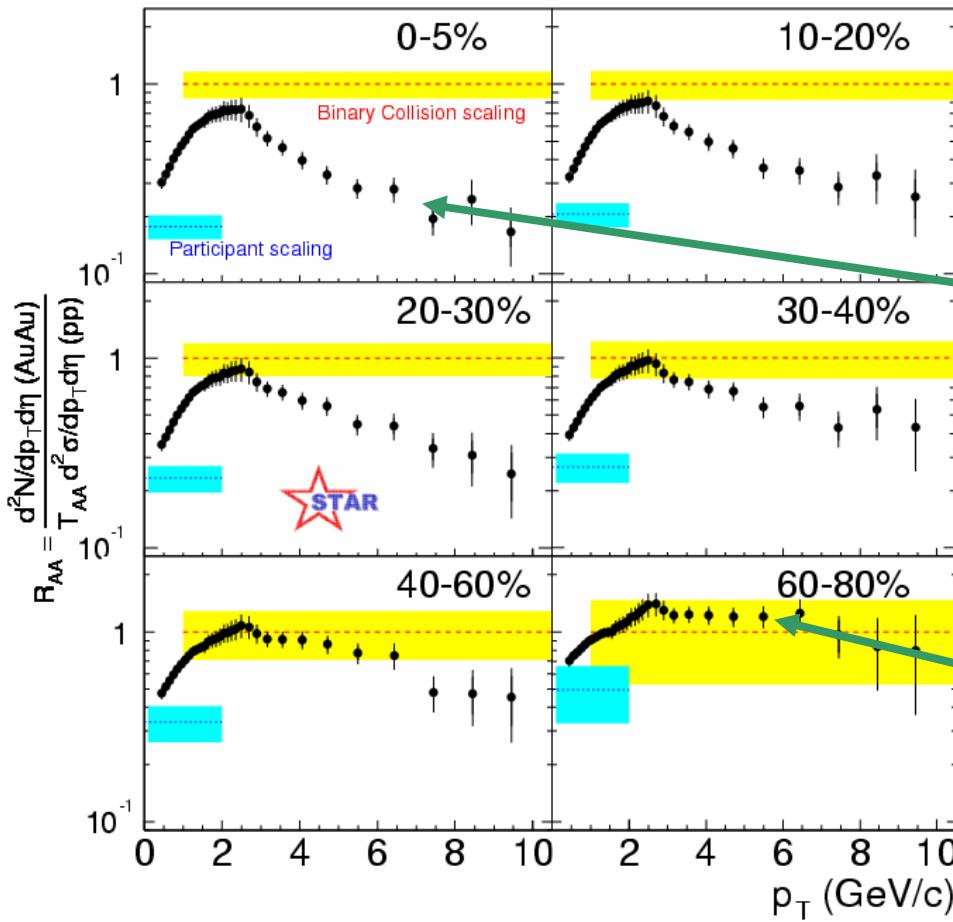


Absolute scale pQCD jet tomography



Quenching and *Mono-Jets*

AR: 200 GeV Au+Au / p+p



Hadron suppression and disappearance of back-to-back ‘jet’ are correlated!

STAR PRL 90, 082302

STAR: C. Adler et al. Phys. Rev. Lett. 90, 082302 (2003)
 Leading hadron fragments outside QGP

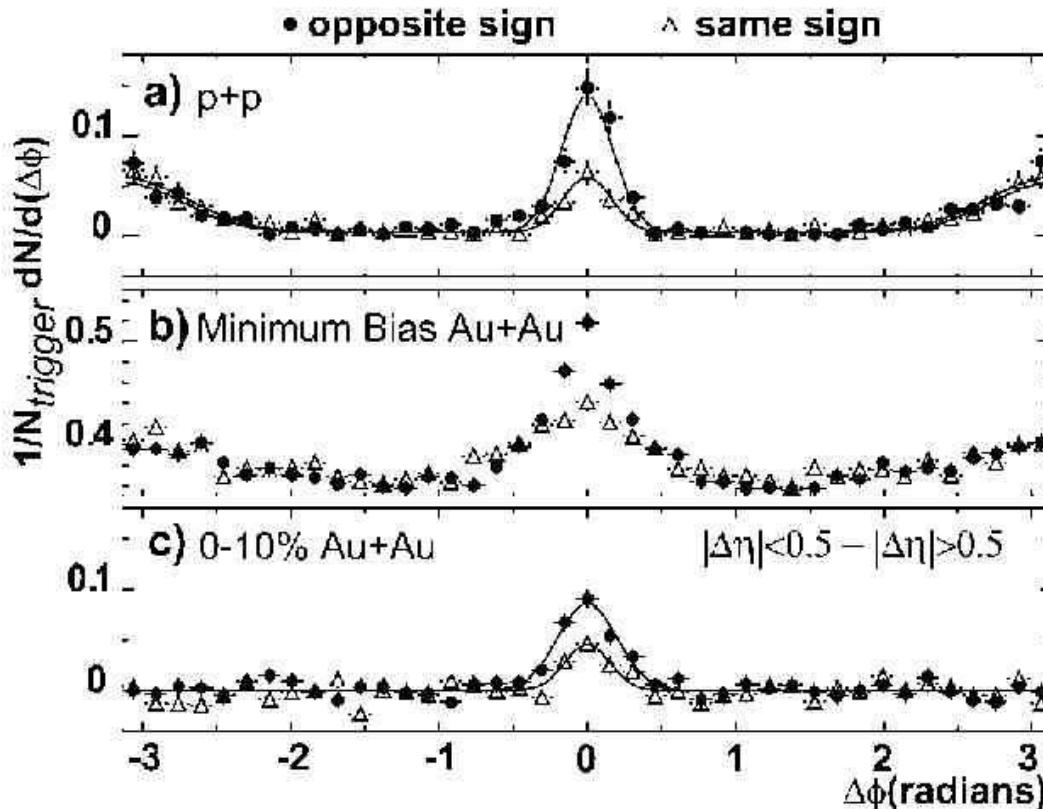
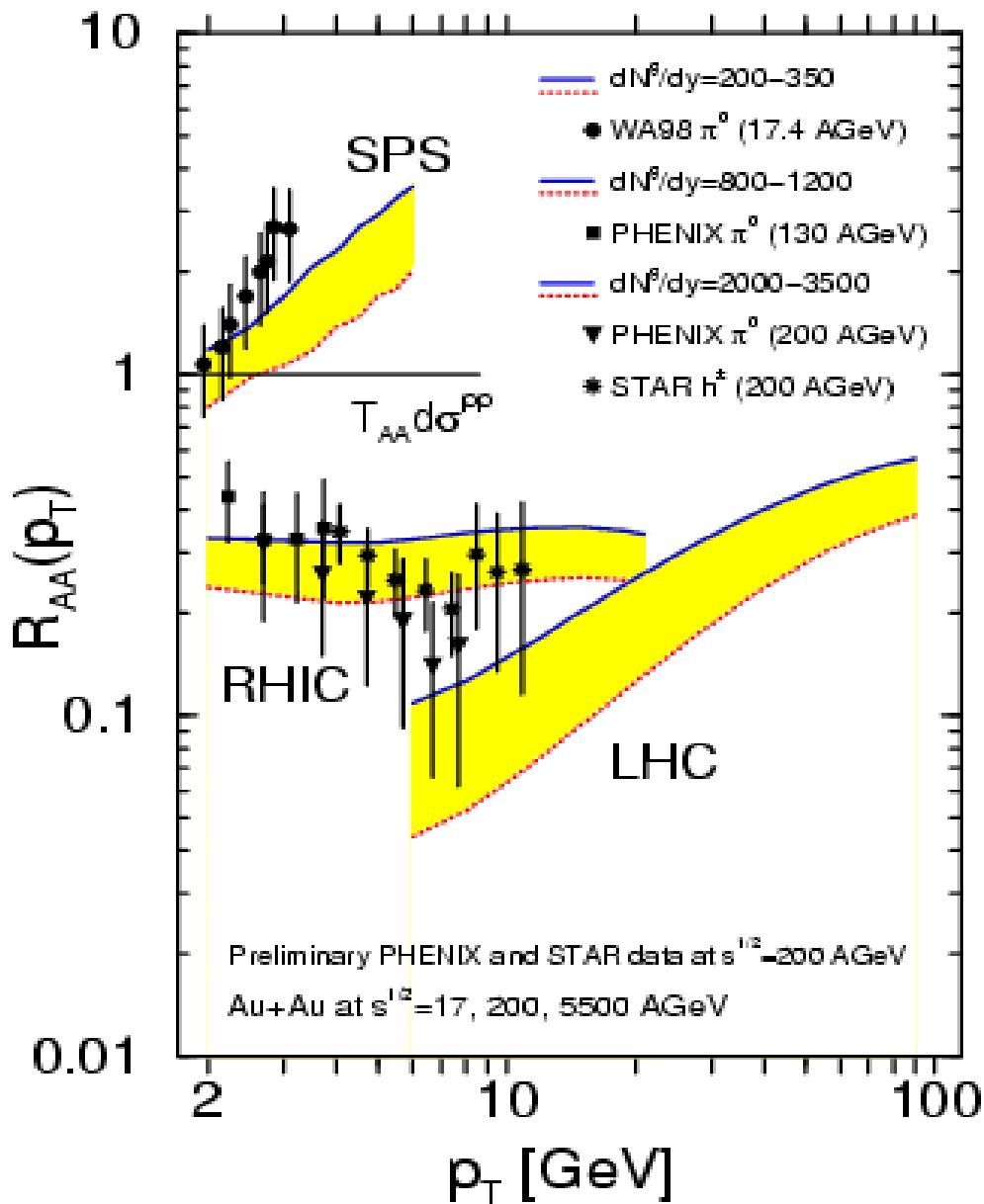


FIG. 1. Azimuthal distributions of same-sign and opposite-sign pairs for (a) $p + p$, (b) minimum bias Au + Au, and (c) background-subtracted central Au + Au collisions. All correlation functions require a trigger particle with $4 < p_T^{\text{trig}} < 6 \text{ GeV}/c$ and associated particles with $2 \text{ GeV}/c < p_T < p_T^{\text{trig}}$. The curves are one or two Gaussian fits.

Single Hadron Tomography from SPS, RHIC, LHC

Ivan Vitev and MG, Phys.Rev.Lett. 89 (2002)



1) Cronin *enhancement*
dominates at SPS

2) Cronin+Quench+Shadow

conspire to give ~ flat

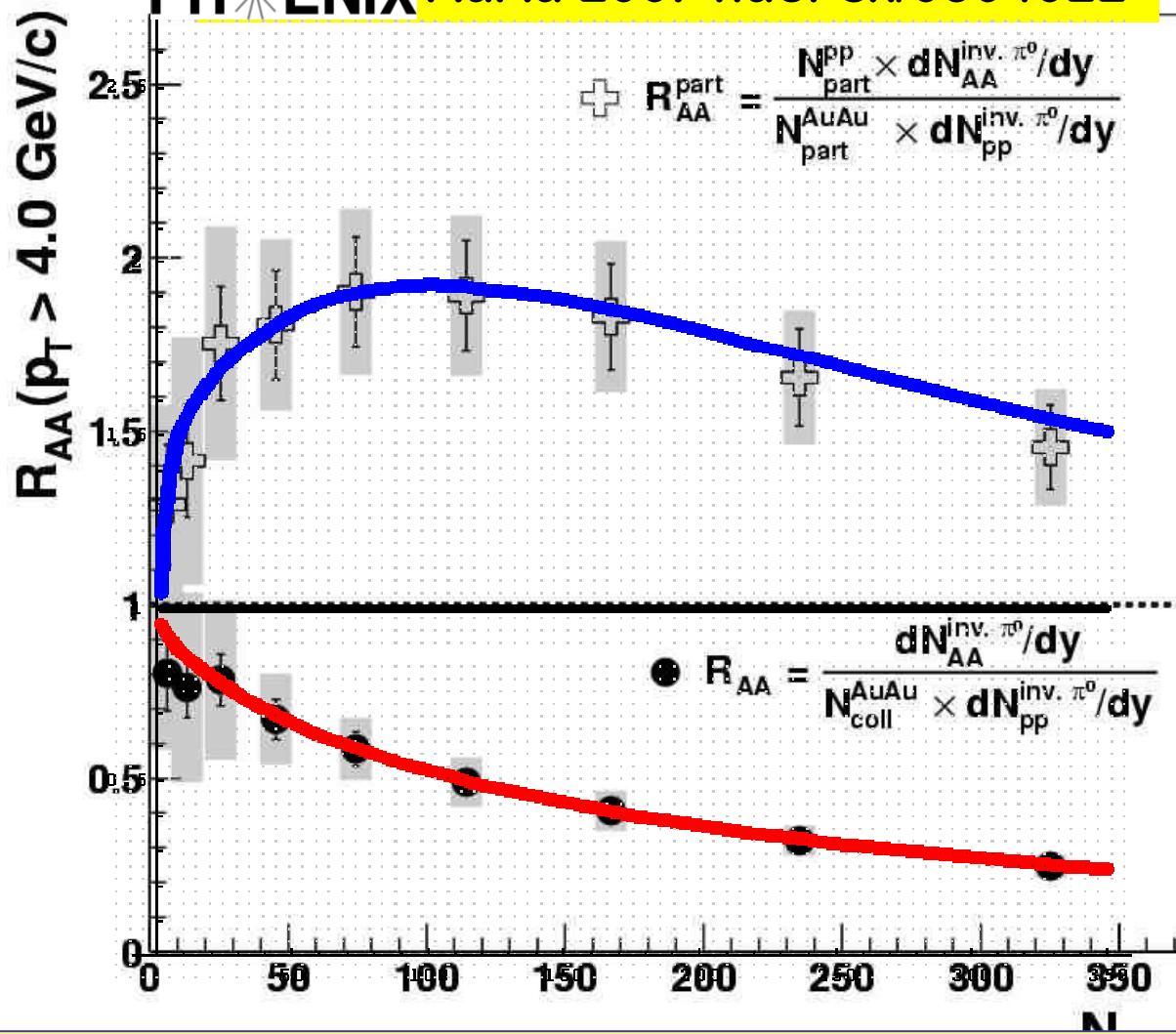
$R_{AA} \sim N_{part}/N_{bin}$ at RHIC

$dN_g/dy \sim 1000 \rightarrow \rho_g \sim 100 \rho_0$

3) Predict sub N_{part} quench,
positive p_T slope of R at LHC

Centrality Dependence of \square Quenching

PHENIX AuAu 200: nucl-ex/0304022

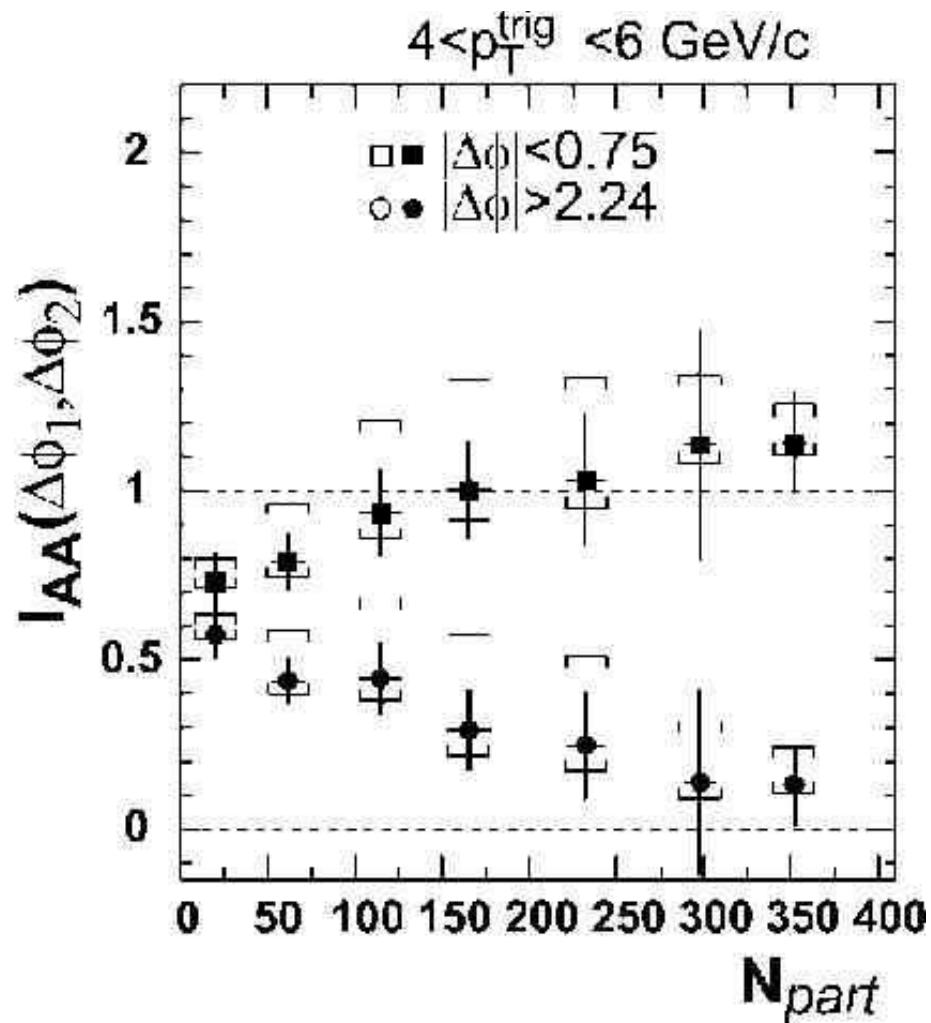
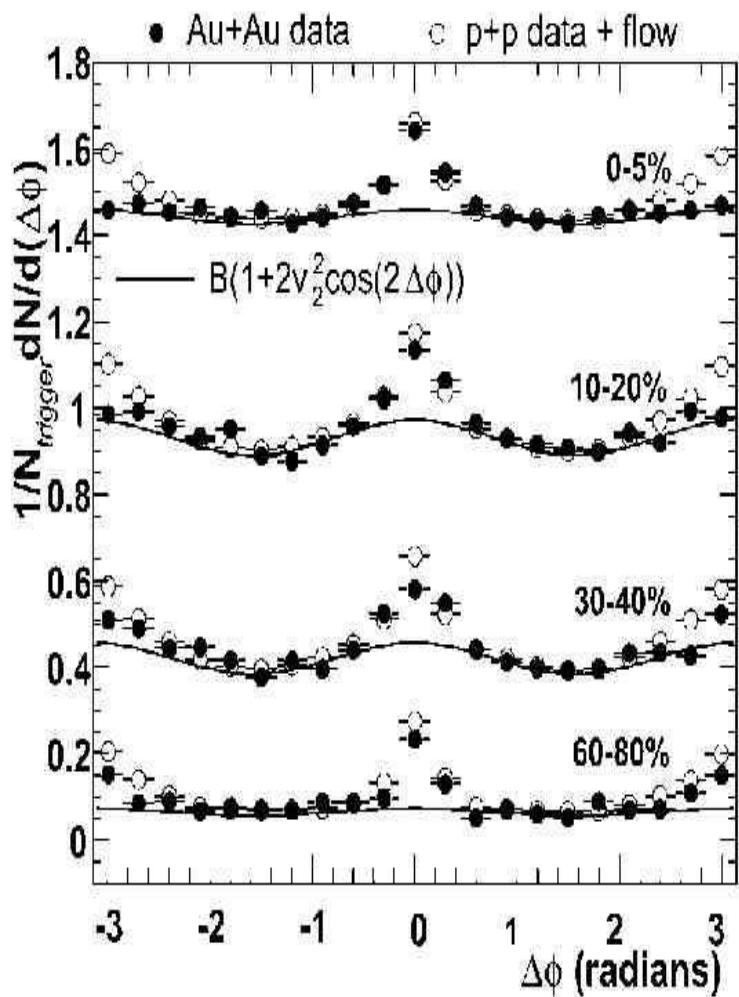


Consistent
With GLV

$$\Delta E_{GLV} \propto \int d\tau \tau \rho(\tau, r(\tau)) \propto \frac{R}{\pi R^2} \frac{dN_g}{dy} \propto N_{part}^{2/3}$$

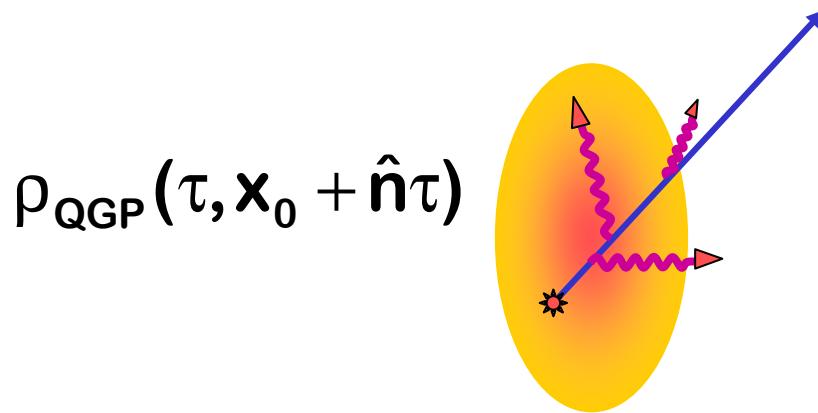
STAR: C. Adler et al. Phys. Rev. Lett. 90, 082302 (2003)

$$I_{AA}(\Delta\phi_1, \Delta\phi_2) = \frac{\int_{\Delta\phi_1}^{\Delta\phi_2} d(\Delta\phi) \{D^{\text{AuAu}} - B[1 + 2v_2^2 \cos(2\Delta\phi)]\}}{\int_{\Delta\phi_1}^{\Delta\phi_2} d(\Delta\phi) D^{pp}}.$$

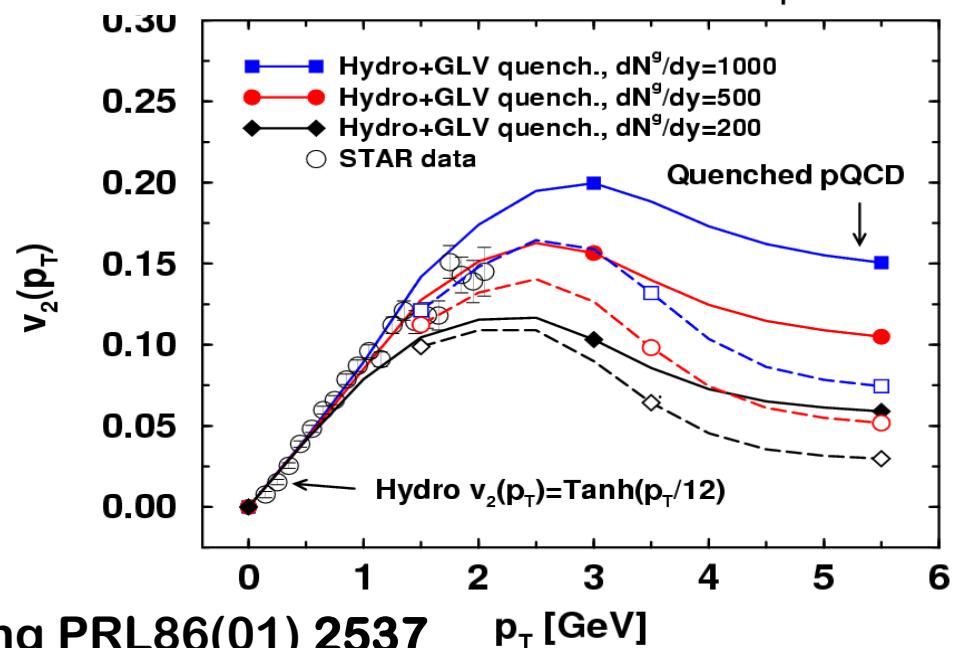
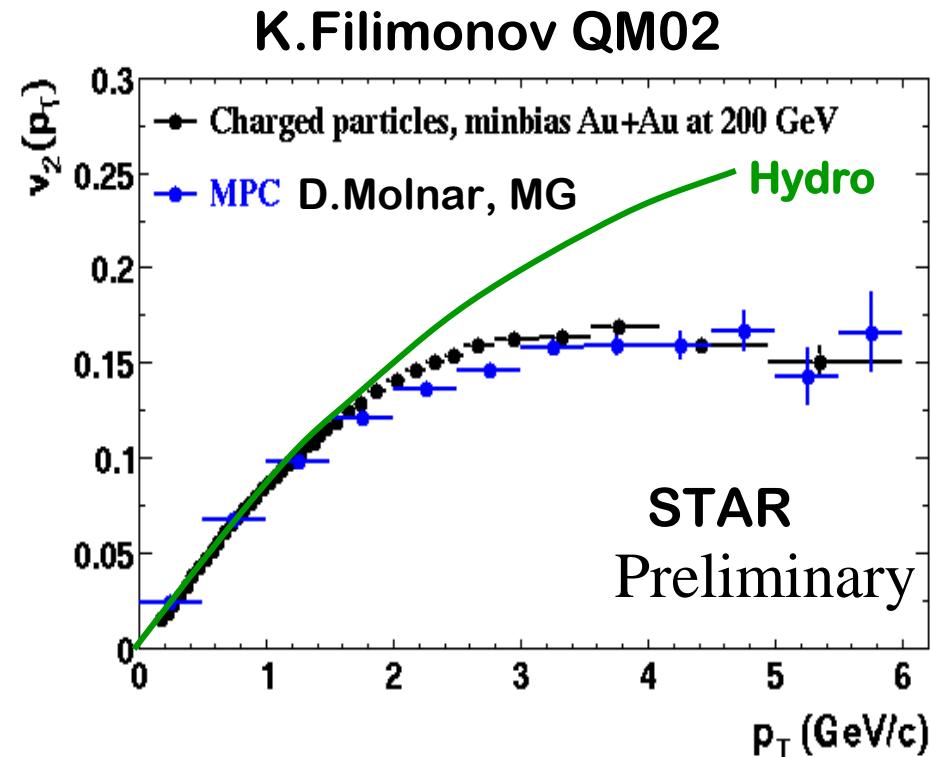


Correlation of Associated hadrons $2 < pT < 4$ GeV with triggered $4 < pT < 6$

Azimuthal $v_2(p_t)$ Tomography



Deviation from hydro above $p_T > 2$ GeV/c and approximate Saturation of v_2 explained by finite asymmetric energy loss of jets in noncentral AA



Summary Part II:

- 1) Strong suppression of $p_T > 4\text{GeV}$ hadrons observed at RHIC as predicted due to jet quenching in opaque QCD matter
- 2) Jet tomographic analysis indicates that QGP matter has an initial energy density ~ 100 times nuclear matter
- 3) Centrality dependence of mono-jet production consistent with GLV radiative gluon energy loss

$$\propto \int d\tau \rho(\tau, x(\tau)) \propto N_{\text{part}}^{2/3}$$

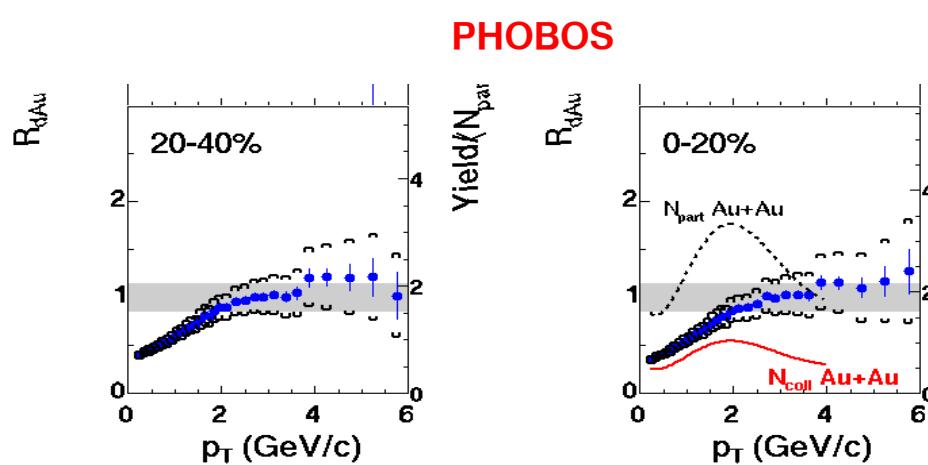
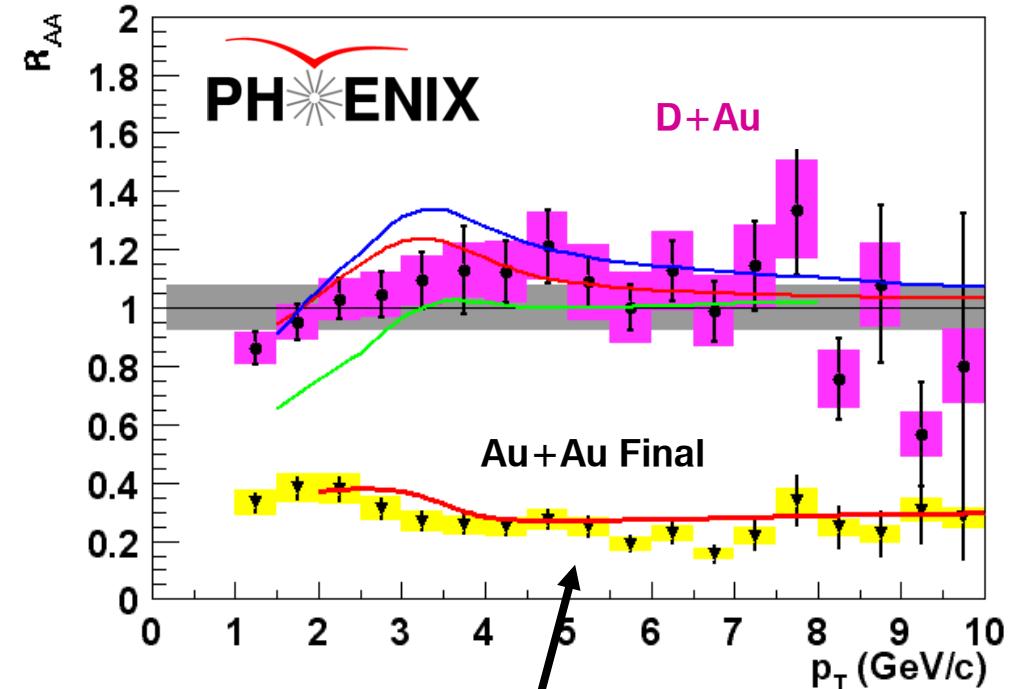
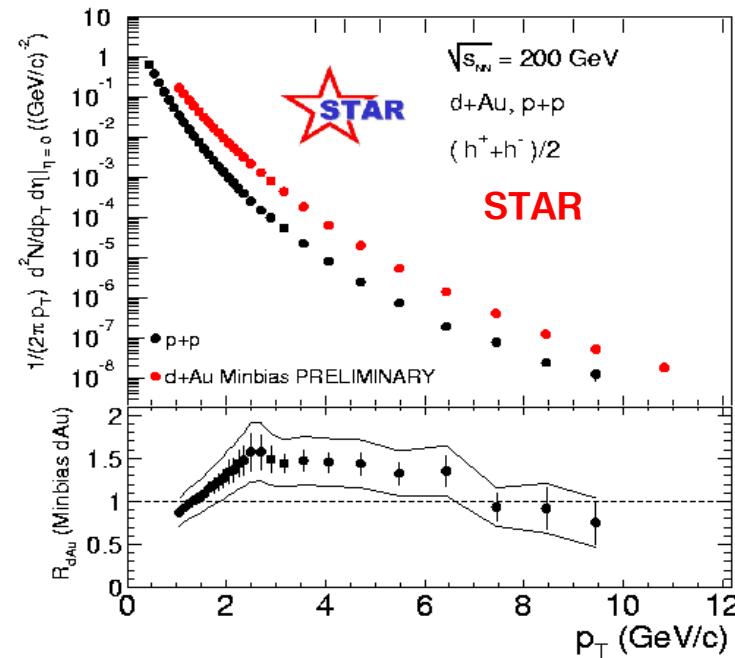
Is this then the evidence for the production of a QGP?

We must still rule out strong initial state gluon shadowing!
[as suggested by Kharzeev, Levin, McLerran (CGC)]

Outline

- 1. Overview of 3 convergent lines of evidence**
- 2. Bulk Collective Flow and the QCD Equation of State**
- 3. Parton Diagnostics: Jet Quenching**
- 4. The D+Au Null Control**
- 5. Conclusion: The QGP is found**

The *UN*-Quenched Prediction for dA (for $x > 0.01$) is confirmed !



AA quench must be
due to final state
interactions: **Jet Quenching**

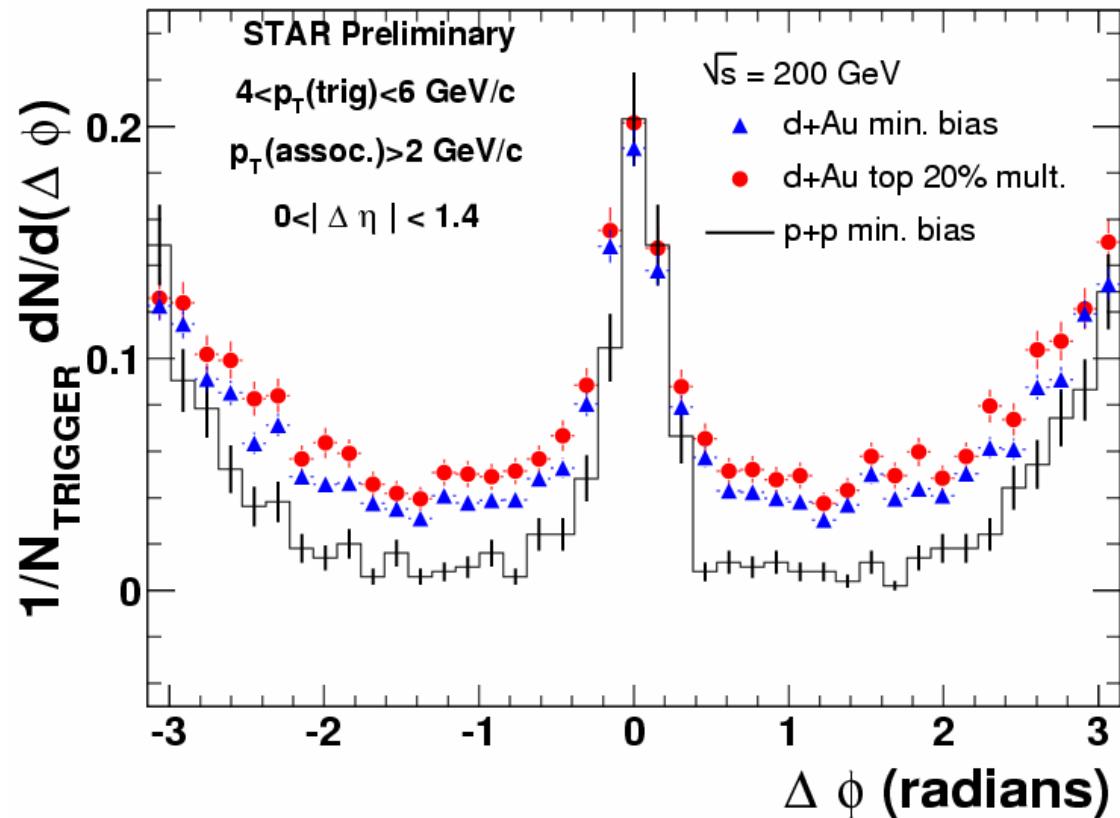
PHENIX, STAR, PHOBOS, BRAHMS
Phys.Rev.Lett.91 (2003)

d+Au: two-particle correlations

STAR: Phys.Rev.Lett.91:072304,2003

Check mate!

The NULL dA Quench prediction is seen in full strength back-to-back Correlations, as in p+p.



- underlying event grows: p+p < d+Au minbias < d+Au central
- near-side: correlation strength and width similar
- away-side: d+Au peak broadens but little centrality dependence

Unquenched back-to-back jets are observed in central d+Au!

Outline

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Four independent calibrations of Initial QGP density

$$\varepsilon(\tau_0) \approx 100 \varepsilon_0 = 15 \text{ GeV/fm}^3$$

1. Bjorken Backward extrapolation

$$E_T/N_\pi = 0.5 \text{ GeV}, \quad dN_\pi/dy = 1000,$$

$$\tau_0 = 1/p_0 = 0.2 \text{ fm/c}, \quad V = (0.2 \text{ fm})\pi R^2 = 30 \text{ fm}^3$$

$$\varepsilon_{Bj} = 500 \text{ GeV}/30 \text{ fm}^3 = 100 \varepsilon_0$$

2. Hydrodynamic initial condition needed for $v_2(p_T)$

$$\varepsilon_{\text{Hydro}} > 2 \varepsilon_{Bj} = 500 \text{ GeV}/30 \text{ fm}^3 = 100 \varepsilon_0$$

KHH
TS
HN

3. Jet Tomography: $dN_g/dy = 1000$

$$\varepsilon_{\text{Jets}} \approx \varepsilon_{Bj} \approx 100 \varepsilon_0$$

GLV
WW

4. Gluon saturation $p_T < Q_s$ predicted

$$dN_g/dy = 1000 \text{ at } Q_{\text{sat}} = 1 \text{ GeV at } y=0$$

MB
McV
EKRT

My 3 Part Definition of a QGP is satisfied

1. A form of matter (many body dynamical system)
with a unique set of Bulk (collective) Elliptic Flow
phenomena and partonic diagnostics Jet Quenching
2. which are calculable in the deconfined LatticeQCD
(Colored) quark-gluon basis of QCD pQCD
3. And which can be turned on or off via
Control experiments N_{part} and Au->D

Bonus: Softening of the QGP EOS observed

The END of searching for QGP

The BEGINNING of measuring its properties

- 12D Correlations
- Heavy Quarks
- Direct Photons
- Leptons

Experimental To Do List

- $\gamma = \pm 3$ dAu to test if $x=0.001$ QGP->CGC ?
- $C_2(\phi_1, \phi_2, p_t_1, p_t_2, \eta_1, \eta_2, f_1, f_2, \text{Mult}, A, B, Ecm)$
- Heavy Quark tomography [Magdalena Djordjevic]
- Open Charm (enhancement?); J/Psi (suppression?)
 - Charm Flow? [Sotiria Batsouli]
- Direct Photons thermometer
 - and tagged direct photon -quark jets!
- Turn energy $Ecm \sim 50-100$ and $A=20-100$ exp. knobs

Theory To Do List

- HBT source E_{cm} invariance?
 - why No time-delay?
- E_T/N E_{cm} invariance, N_{part} invariance?
- Dissipative effects on $V_2(pT)$?
- $V_2(y)$ *NON* Bjorken boost invariant
 - Baryon transport dynamics
- Thermalization, QGP Transport theory