

Introduction to Bounded Rationality

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Introduction

- So far: covered the 'rational model' in (excruciating) detail
- Today we will cover our first 'behavioral' topic: Bounded Rationality
 - Overview
 - Some stylized facts we may want to explain
- Discussion of 'Imperfect Perception', which will be our focus

Plan for Today

- Standard model:
$$C(A) = \max_{x \in A} u(x)$$
- If this is wrong, two ways to go:
 - 1 Modify objective
 - 2 Modify constraints
- Most of behavioral economics concerned with approach 1
- Bounded rationality concerned with approach 2
- Optimal behavior within some additional constraints

What is Bounded Rationality?

- Costs to acquiring or processing information
 - E.g. Simon [1955], Stigler [1961], Sims [2003]
- Limits on reasoning
 - E.g. Camerer [2004], Crawford [2005]
- Thinking Aversion
 - E.g. Ergan and Sarver [2010], Ortoleva [2013]
- Bounded memory
 - E.g. Wilson [2002]
- Automata
 - E.g. Piccione and Rubinstein [1993]
- Semi-Rational Models
 - E.g. Gabaix et al. [2008], Esponda [2008], Rabin and Vayanos [2010], Gabaix [2013],
- Heuristics
 - Tversky and Kahneman [1974], Gigerenzer [2000]

Advantages and Disadvantages of Bounded Rationality

- Advantage:
 - Can 'microfound' behavioral models - explain how behavioral phenomena can change with the environment
- Disadvantages:
 - May be wrong!
 - What is correct constraint?
 - Regress issue

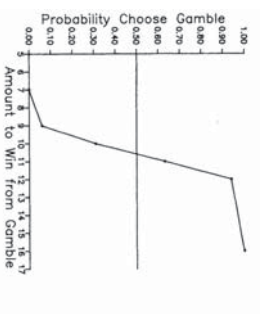
What Might We Want to Explain With Bounded Rationality

- Random Choice
- Status Quo Bias
- Failure to Choose the Best Option
- Salience/Framing Effects
- Too Much Choice
- Statistical Biases
- Compromise Effect

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Random Choice (Mosteller and Noguee 1951)



- Gamble is $\frac{1}{3}$ probability win amount and $\frac{2}{3}$ loss of 5c
- Each bet offered 14 times

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Status Quo Bias/Inertia (Madrian and Shea 2001)

- Observe behavior of workers in firms that offer 401k savings plans
- Two types of plans
 - Opt In
 - Opt Out
- Average take up after 3-15 months of tenure
 - Opt In: 37%
 - Opt Out: 86%
- Effect reduces with tenure
- Also an effect on those not automatically enrolled

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Failure to Choose the Best Option (Caplin, Dean, Martin 2011)

4	2
3	13
20	11
15	8
8	10

Failure to Choose the Best Option (Caplin, Dean, Martin 2011)

4+6+10-11-23+9	2+3+6-11-14+9+10
3+9-17-99+102-6+15	6+18-19-55+70
20-27+7-19+2+3-5	11+2-5+7-8-9+10
15-5-5+6+16+17-20-9	8+9+10-11+8+2+6-32
8+8+9-13-9-6+7	10-9+17-23+10+2+15

Choice Objects

- 6 treatments
- 2 x complexity (3 and 7 operations)
- 3 x choice set size (10, 20 and 40 options)
- No time limit

Size 10, Complexity 3

Round
2 of 10

Current selection:
No. 10, 12, 13, 14, 15, 16, 17, 18, 19, 20

Choose one:

None

Three fish in answer space

Four fish, two fish zero

Four fish three minus six

Four fish eight minus four

Five answer three fish one

Six fish one minus one

Seven fish two minus two

Eight fish one minus two

Nine fish two minus one

Ten fish one minus one

No fish in answer one

Finished

Size 20, Complexity 7

None

Seven minus two minus two minus two minus two fish minus minus two

Six fish two minus eight fish minus minus fish and fish two

Seven minus two minus two minus two minus two minus minus two

Eight minus two minus two minus two minus two minus two minus two

Nine minus two minus two minus two minus two minus two minus two

Ten minus two minus two minus two minus two minus two minus two

Eleven minus two minus two minus two minus two minus two minus two

Twelve minus two minus two minus two minus two minus two minus two

Thirteen minus two minus two minus two minus two minus two minus two

Fourteen minus two minus two minus two minus two minus two minus two

Fifteen minus two minus two minus two minus two minus two minus two

Sixteen minus two minus two minus two minus two minus two minus two

Seventeen minus two minus two minus two minus two minus two minus two

Eighteen minus two minus two minus two minus two minus two minus two

Nineteen minus two minus two minus two minus two minus two minus two

Twenty minus two minus two minus two minus two minus two minus two

Finished

Results
Failure rates (%) (22 subjects, 657 choices)

Failure rate	
Set size	Complexity
10	3
20	7
40	7

10	7%	24%
20	22%	56%
40	29%	65%

Results
Average Loss (\$)

Average Loss (\$)	
Set size	Complexity
10	3
20	7
40	7

10	0.41	1.69
20	1.10	4.00
40	2.30	7.12

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Saliency (Chetty, Looney and Kroft, 2009)

- Experiment in supermarket
- Posted prices usually exclude sales tax
- Post (in addition) prices including sales tax
- Reduced demand for these good by about 8%
- Archival data shows that, for alcohol, elasticity with respect to sales tax changes order of magnitude less than elasticity with respect to price changes

Too Much Choice (Iyengar and Lepper 2000)

- Set up a display of jams in a local supermarket
- Two treatments:
 - Limited choice – 6 Jams
 - Extensive choice – 24 Jams
- Record what proportion of people stopped at each display
- And proportion of people bought jam conditional on stopping

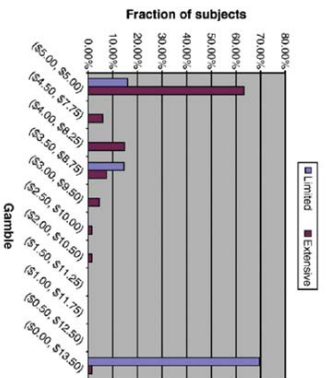
Too Much Choice (Iyengar and Lepper 2000)

- Slightly more people stopped to look at the display in the extensive choice treatment:
 - 60% Extensive choice treatment
 - 40% Limited choice treatment
- Far more people chose to buy jam, conditional on stopping, in the limited choice treatment
 - 3% Extensive choice treatment
 - 31% Limited choice treatment

Too Much Choice and Simplicity Seeking (Iyengar and Kamenica 2010)

Gamble #	if heads	if tails
Extensive condition		
1	\$5.00	\$5.00
2	\$4.00	\$7.50
3	\$4.00	\$4.00
4	\$3.50	\$8.75
5	\$3.00	\$8.50
6	\$2.50	\$10.00
7	\$2.00	\$10.50
8	\$1.50	\$11.00
9	\$1.00	\$11.75
10	\$0.50	\$12.50
11	\$0.00	\$13.50
Limited condition		
1	\$5.00	\$5.00
2	\$3.50	\$8.75
3	\$0.00	\$13.50

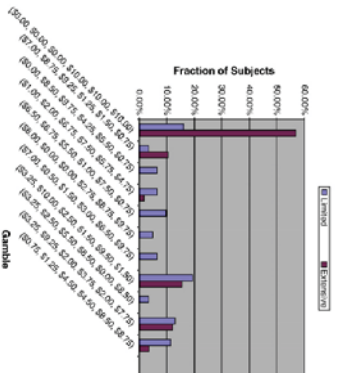
Too Much Choice and Simplicity Seeking (Iyengar and Kamenica 2010)



Too Much Choice and Simplicity Seeking (Iyengar and Kamenica 2010)

Extensive condition						
Gamble #	If <input type="checkbox"/>	If <input type="checkbox"/>	If <input type="checkbox"/>	If <input type="checkbox"/>	If <input type="checkbox"/>	If <input type="checkbox"/>
1	\$0.00	\$0.00	\$0.00	\$10.00	\$10.00	\$10.00
2	\$1.50	\$9.25	\$8.75	\$7.00	\$0.75	\$1.25
3	\$4.25	\$5.50	\$9.75	\$8.50	\$0.00	\$0.75
4	\$1.00	\$2.00	\$6.75	\$7.50	\$5.75	\$4.75
5	\$3.50	\$1.00	\$0.75	\$5.50	\$7.50	\$8.00
6	\$0.00	\$1.00	\$8.75	\$6.50	\$2.75	\$8.00
7	\$8.75	\$1.50	\$1.50	\$6.50	\$8.50	\$1.50
8	\$3.75	\$1.50	\$3.25	\$2.50	\$9.25	\$10.00
9	\$5.50	\$8.50	\$3.25	\$0.00	\$8.50	\$2.50
10	\$9.25	\$7.75	\$3.75	\$2.00	\$3.25	\$2.00
11	\$1.25	\$4.50	\$8.50	\$8.75	\$4.50	\$0.75

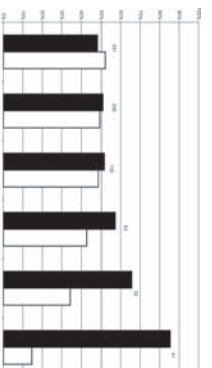
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Gambler's Fallacy (Croson and Sundali 2005)

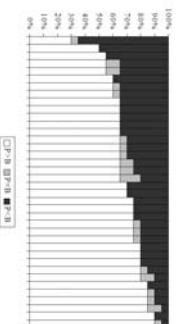


- Proportion of Gambler's Fallacy bets in casino gambling

Hot Hands Fallacy (Offerman and Sonnemans 2000)

- Two types of coin
 - 'Fair': Independent
 - 'Unfair': Repeat last outcome with probability 70%
- Prior distribution: 50/50
- Subjects observe 20 coin flips, then report probability of unfair coin

Gambler's Fallacy (Croson and Sundali 2005)

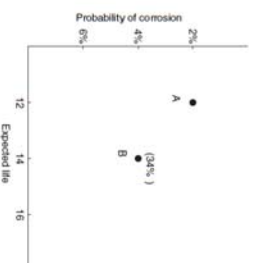


- For each subject, proportion that overestimate probability of unfair coin

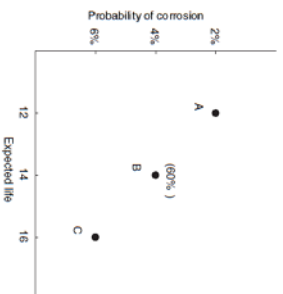
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Compromise Effect (Simonsen 1989)



Compromise Effect (Simonsen 1989)



Imperfect Perception and Information Acquisition

- We are going to focus of models of bounded rationality in which the DM does not necessarily internalize all available information
- They may have a 'perceptual state' which is different from the externally available information
- This is different from most standard models
 - DM has perfect perception (e.g. know what is in their choice set)
 - Or we know what they do not know (e.g. state of the world)
- In general there may be a gap between what **we** know as the researcher and what the **DM** knows
 - Shopper may not look at all available options
 - Buyer may not perfectly perceive the quality of a car

Imperfect Perception and Information Acquisition

- This can lead to choice 'mistakes' from the point of view of an external observer
 - Choose an inferior option
 - Make wrong choice given state
- These mistakes may be 'optimal' given information costs and constraints

Imperfect Perception and Information Acquisition

- We will consider two types of unawareness
 - ① 'All or nothing'
 - Alternatives are either completely understood, or nothing is known
 - E.g. Consideration sets, sequential sets
 - Good description when there are a large number of simple alternatives
 - Examples:
 - Caplin, Dean and Martin [2011]
 - Masatloglu, Nakajima and Ozbay [2012]
 - Manzini and Mariotti [2014]

Imperfect Perception and Information Acquisition

- We will consider two types of unawareness
- ① Models of partial learning
 - States of the world Ω with prior μ
 - Choice over actions $a : \Omega \rightarrow \mathbb{R}$
 - Choose an information structure
 - Set of signals: $\Gamma(\gamma)$
 - Probability of receiving each signal γ from each state $\omega : \pi(\gamma|\omega)$
 - Choices can be conditioned only on the information structure
 - Good description when there are a smaller number of more complicated alternatives
 - Examples
 - Sims [2003] (Rational Inattention)
 - Mateika and McKay [2015]
 - Caplin and Dean [2015]